

# ***Directly imaging habitable exoplanets***

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# ***Outline***

## **Introduction & fundamentals**

- Scientific motivation
- Fundamentals: contrast, separation, visible & IR
- Current exoplanet imaging

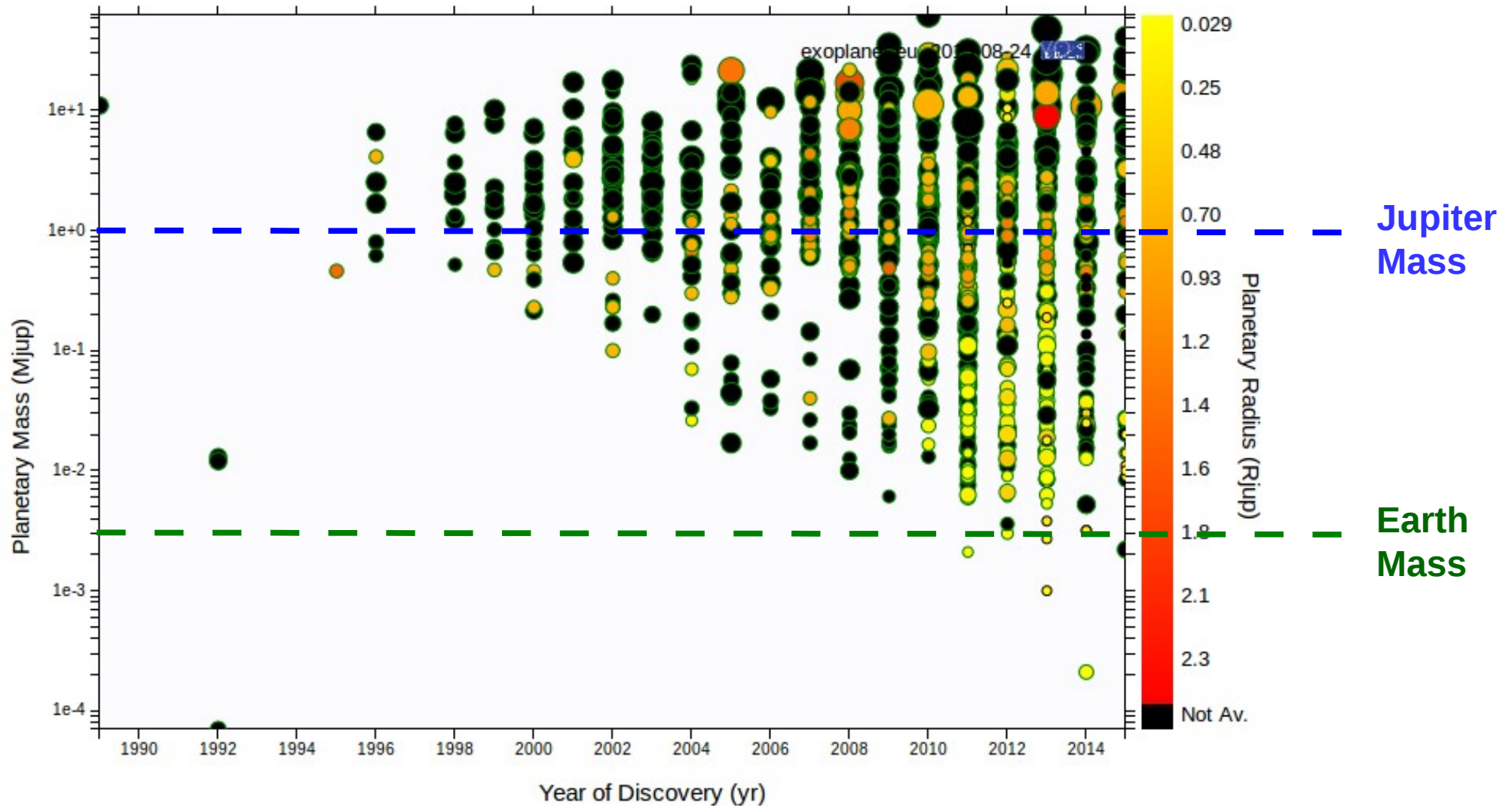
## **Technology**

- Overcoming diffraction
- Coronagraphy
- Wavefront control

## **Habitable planets: Scientific Opportunities**

- SPACE: Direct imaging of Earth-like planets around Sun-like stars
- GROUND: Imaging habitable planets around M-type stars with ELTs

# *Planets identified – we are now starting to identify Earth-size planets*



Semi-Major Axis (AU)



# Observation techniques

Techniques to detect exoplanets around main sequence stars (many of them covered in this course):

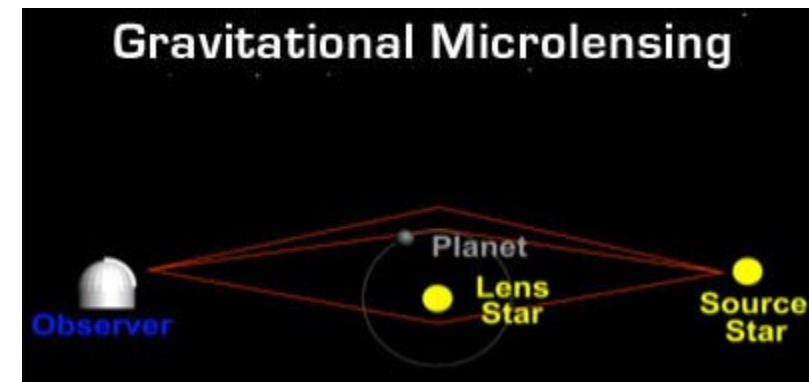
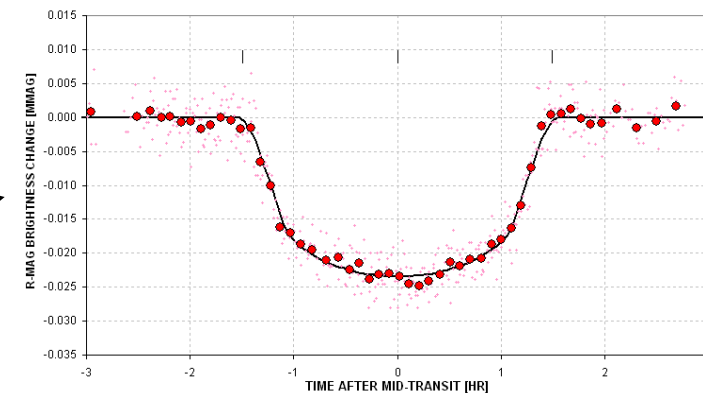
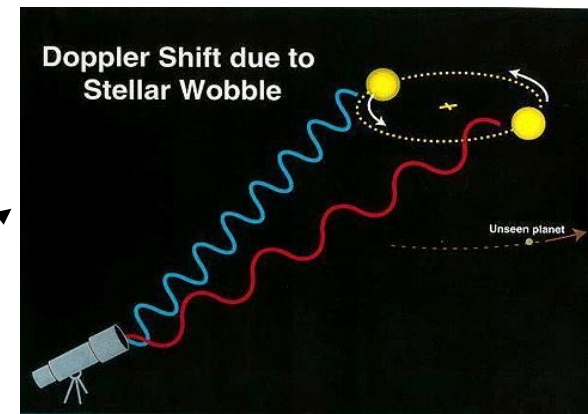
**Radial velocity:** measure small shift in star's spectra to compute its speed along line of sight.

**Astrometry:** measure accurate position of star on sky to identify if a planet is pulling the star in a small periodic orbit around the center of mass

**Transit photometry:** if planet passes in front of its star, the star apparent luminosity is reduced

**Microlensing:** planet can bend light, and amplify background starlight through gravitational lensing

**Direct imaging** (with telescope or interferometer): capture high contrast image of the immediate surrounding of a star





# Habitable planets

Potentially habitable planet :

- **Planet mass** sufficiently large to retain atmosphere, but sufficiently low to avoid becoming gaseous giant
- **Planet distance to star** allows surface temperature suitable for liquid water (habitable zone)

***Habitable zone = zone within which Earth-like planet could harbor life***

Location of habitable zone is function of star luminosity  $L$ . For constant stellar flux, distance to star scales as  $L^{1/2}$

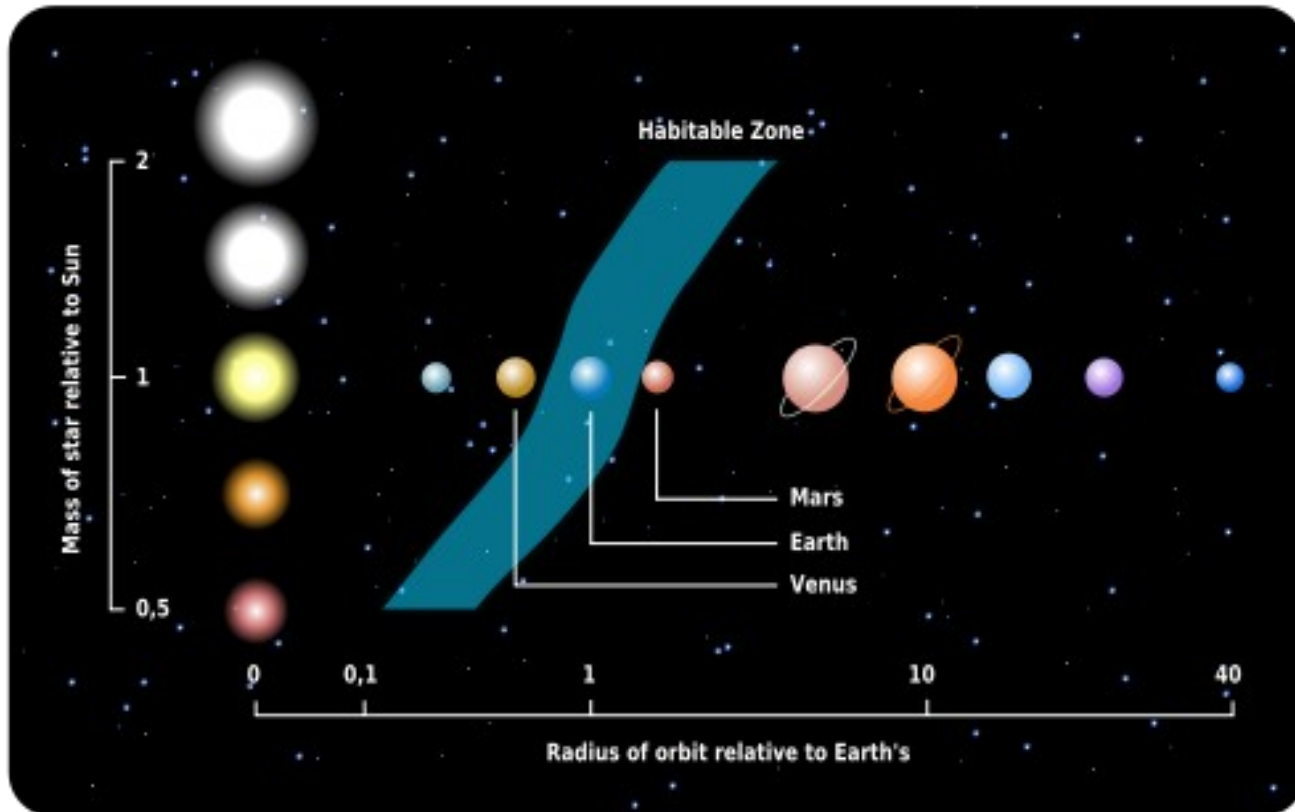
Examples:

Sun

→ habitable zone is at ~1 AU

Rigel (B type star)

Proxima Centauri (M type star)



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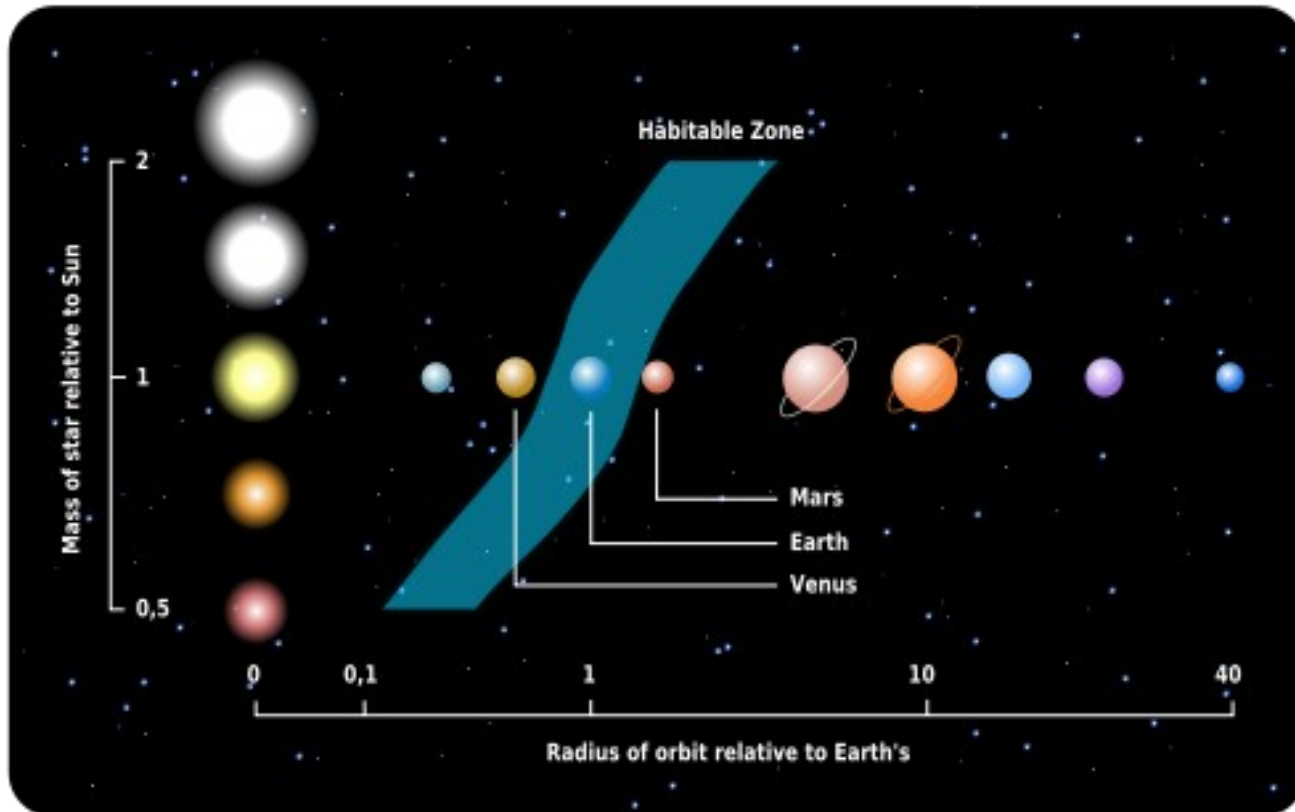
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Rigel (B type star):

18 solar mass

Proxima Centauri (M type star):

0.123 solar mass



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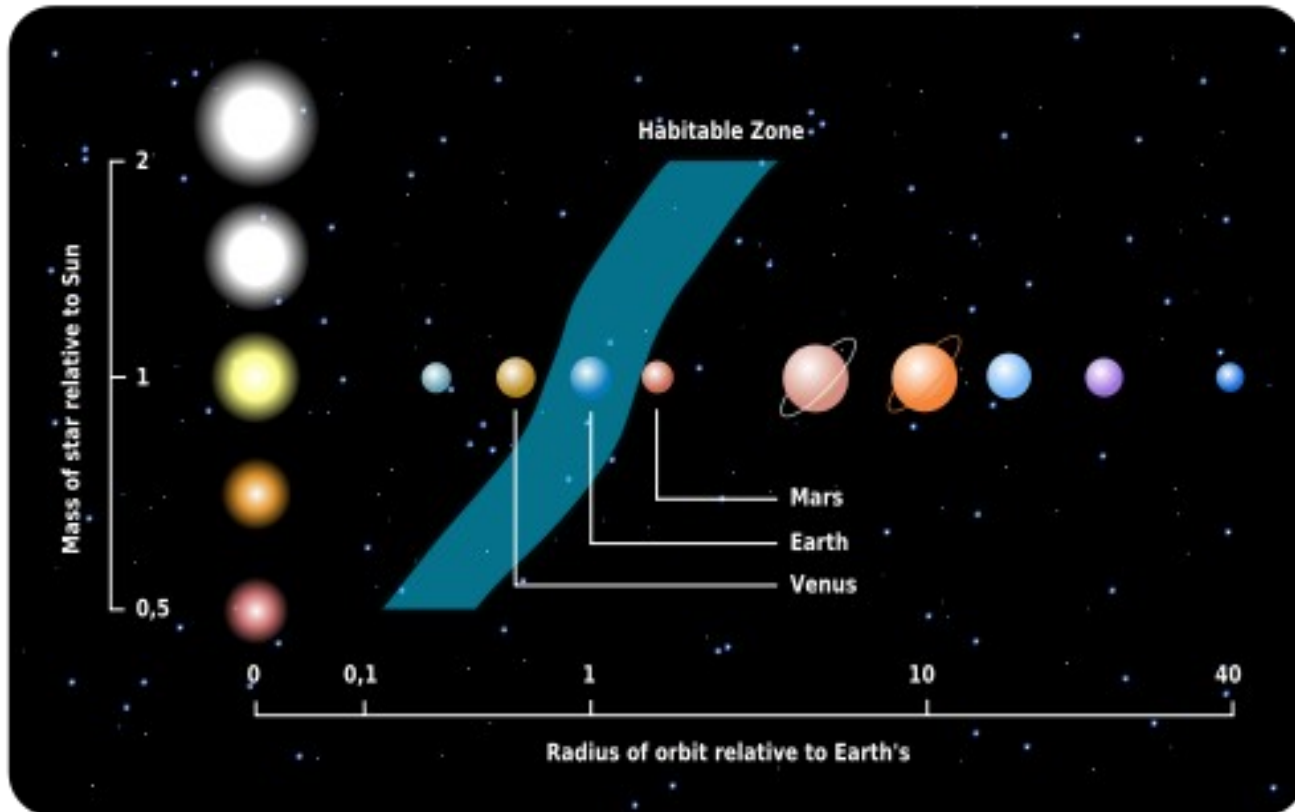
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100000x Sun luminosity

Proxima Centauri (M type star):

0.123 solar mass

1/600 Sun luminosity





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Examples:

Sun

→ habitable zone is at ~1 AU

Rigel (B type star):

18 solar mass

100000x Sun luminosity

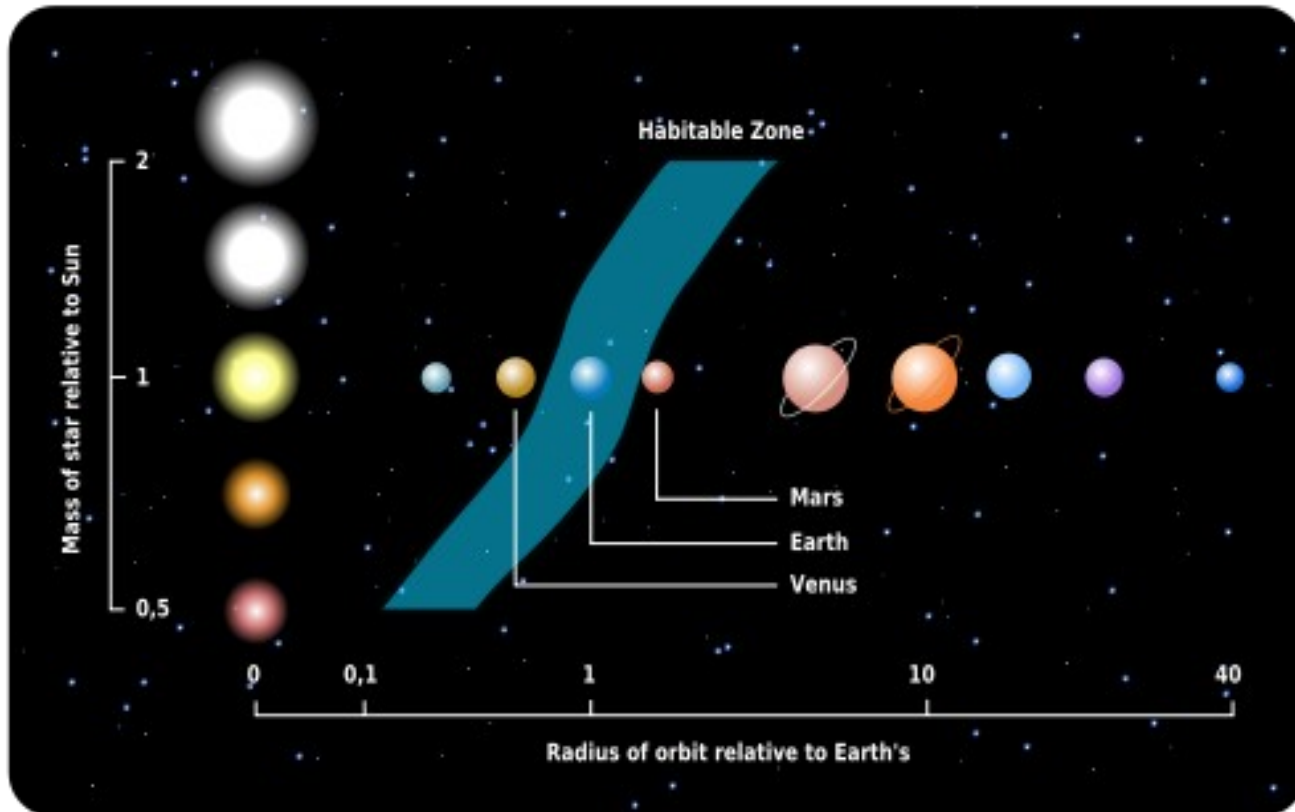
→ habitable zone is at ~300 AU

Proxima Centauri (M type star):

0.123 solar mass

1/600 Sun luminosity

→ habitable zone is at ~0.04 AU



# Direct imaging of Exoplanets (incl. Habitable planets) allows ...

Orbit

Atmosphere composition

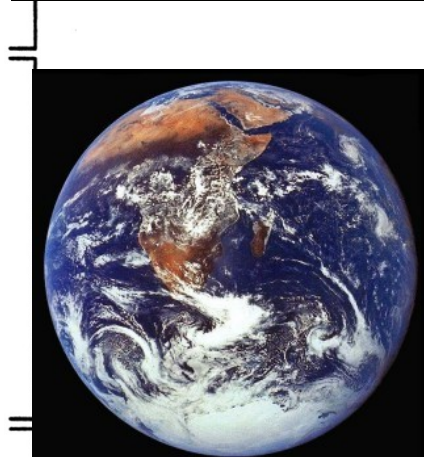
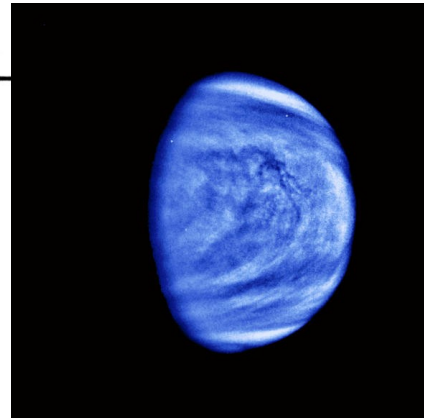
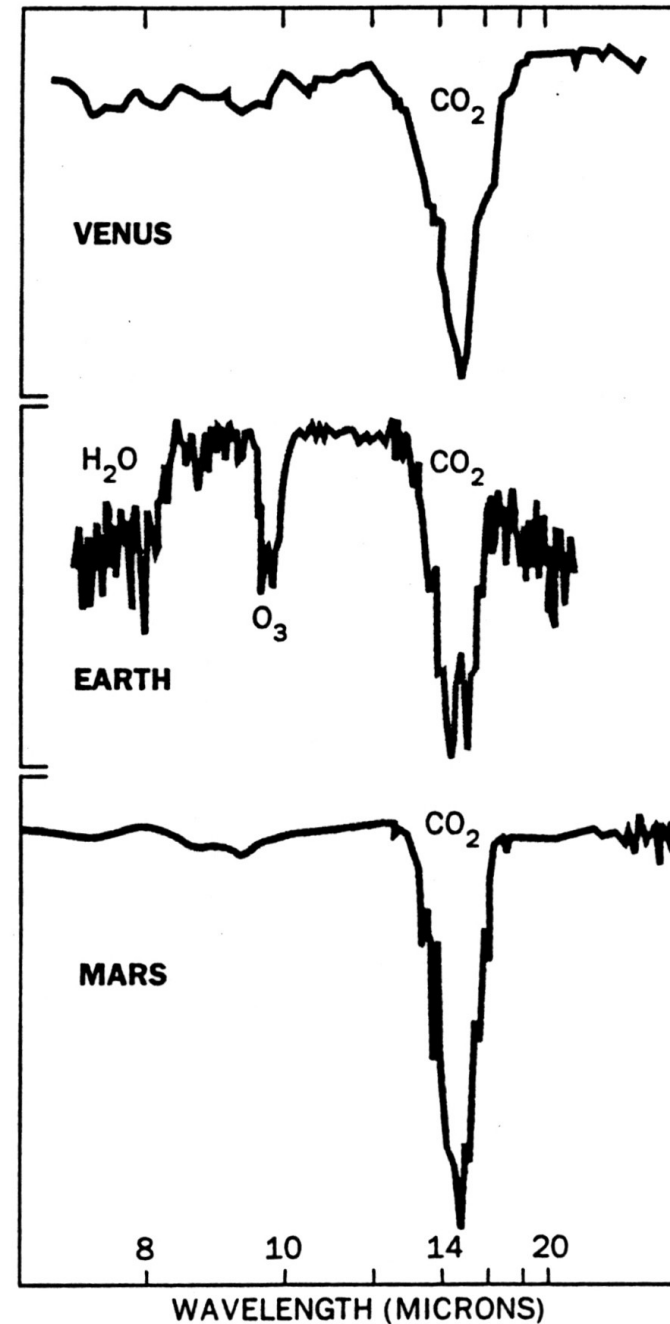
Continents vs. Oceans ?

Rotation period

Weather patterns

Planetary environment :

Planets + dust



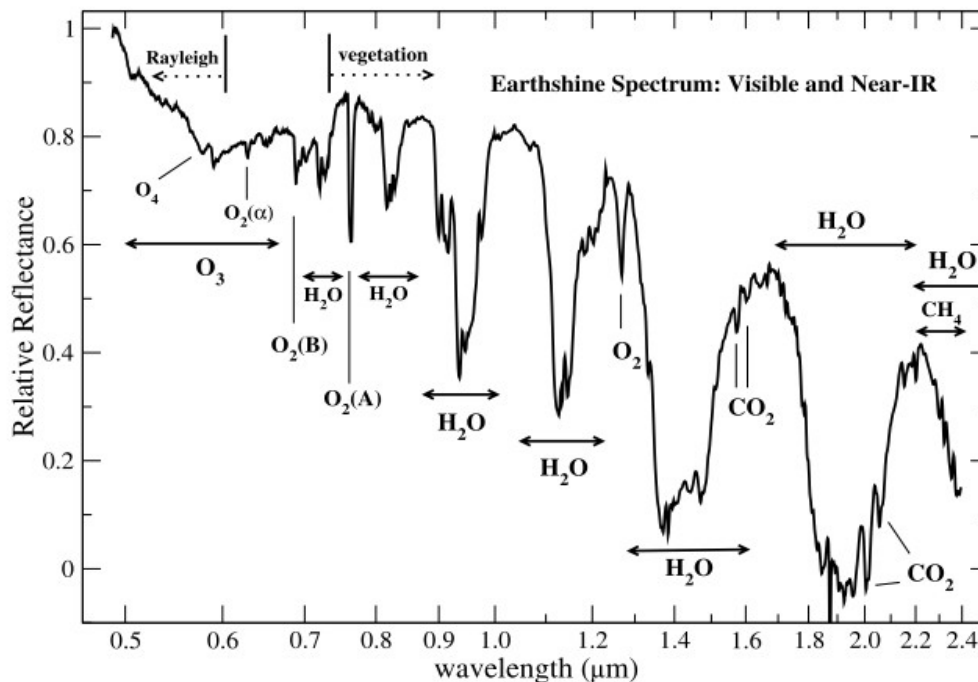
# Spectroscopy of Earth-like planets

## ... may allow detection of life

Spectroscopy can identify biomarkers: molecular species, or combinations of species that can only be explained by biological activity

On Earth: water +  $O_2$  +  $O_3$  +  $CH_4$

Spectra of Earth obtained through Earthshine observation also reveals vegetation's red edge !



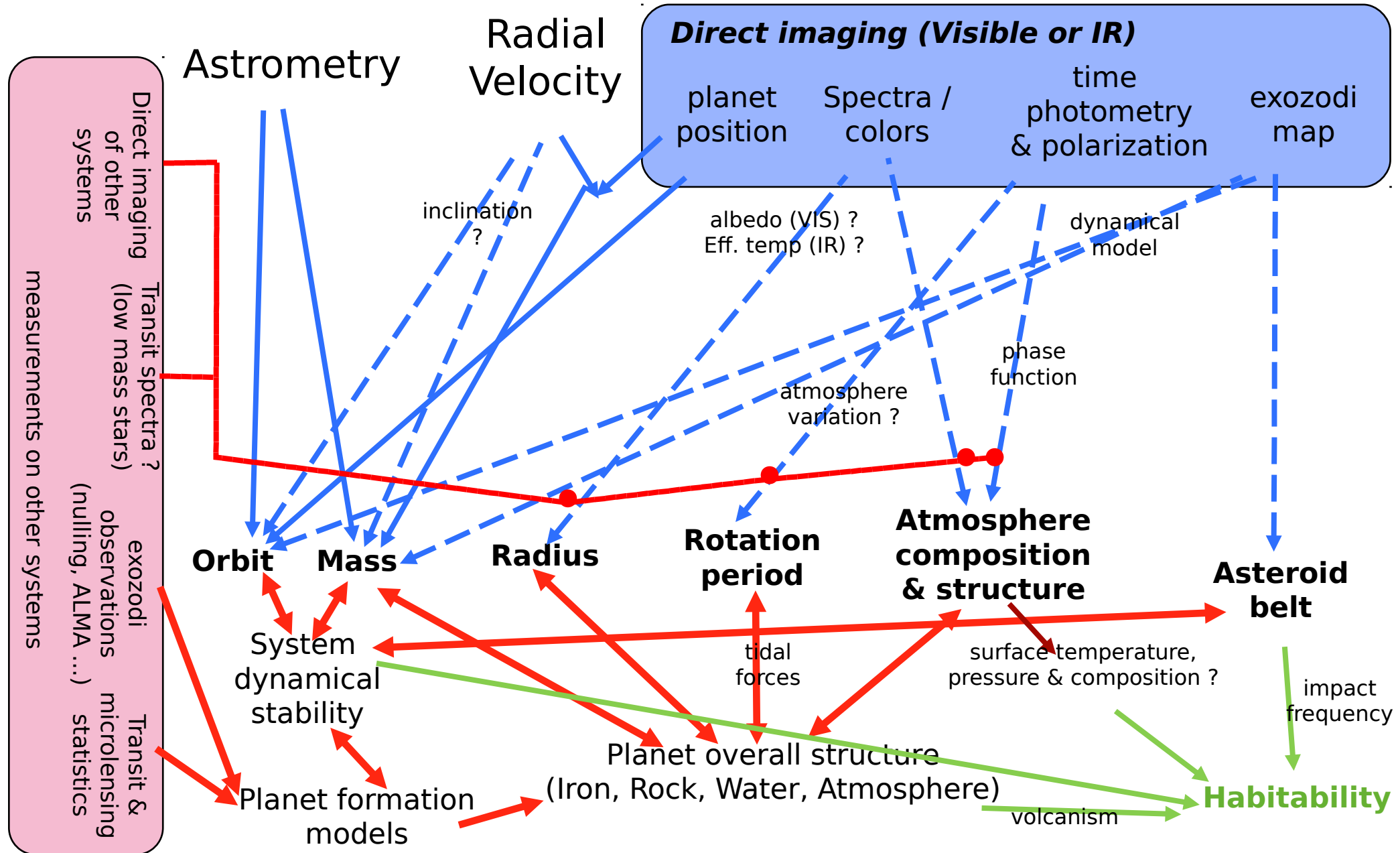
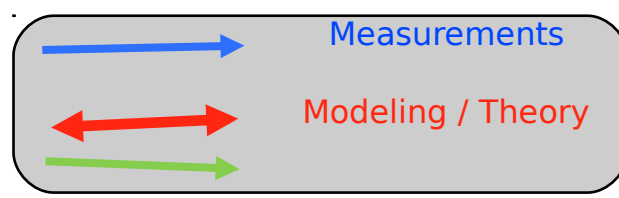
Turnbull et al. 2006



FIG. 7.—Earth's observed reflectance spectrum, at visible and near-infrared wavelengths, created from a composite of the data in this paper (0.8–2.4 μm) and the data presented in Paper I (0.5–0.8 μm). The strongest molecular signatures are indicated, as are the wavelengths where Rayleigh scattering and vegetation reflection are most significant.



# Habitable exoplanet characterization

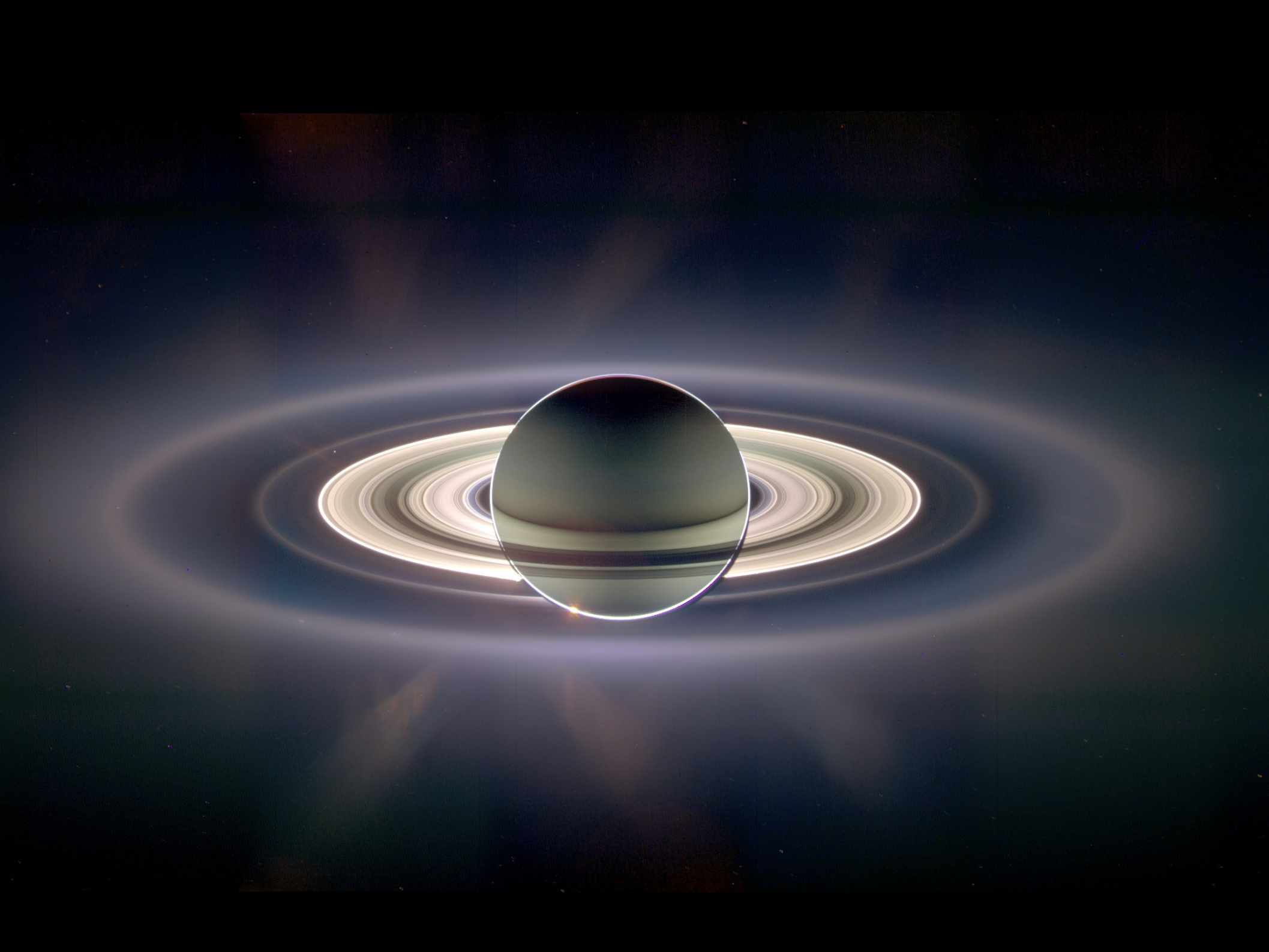


## Exoplanets imaging

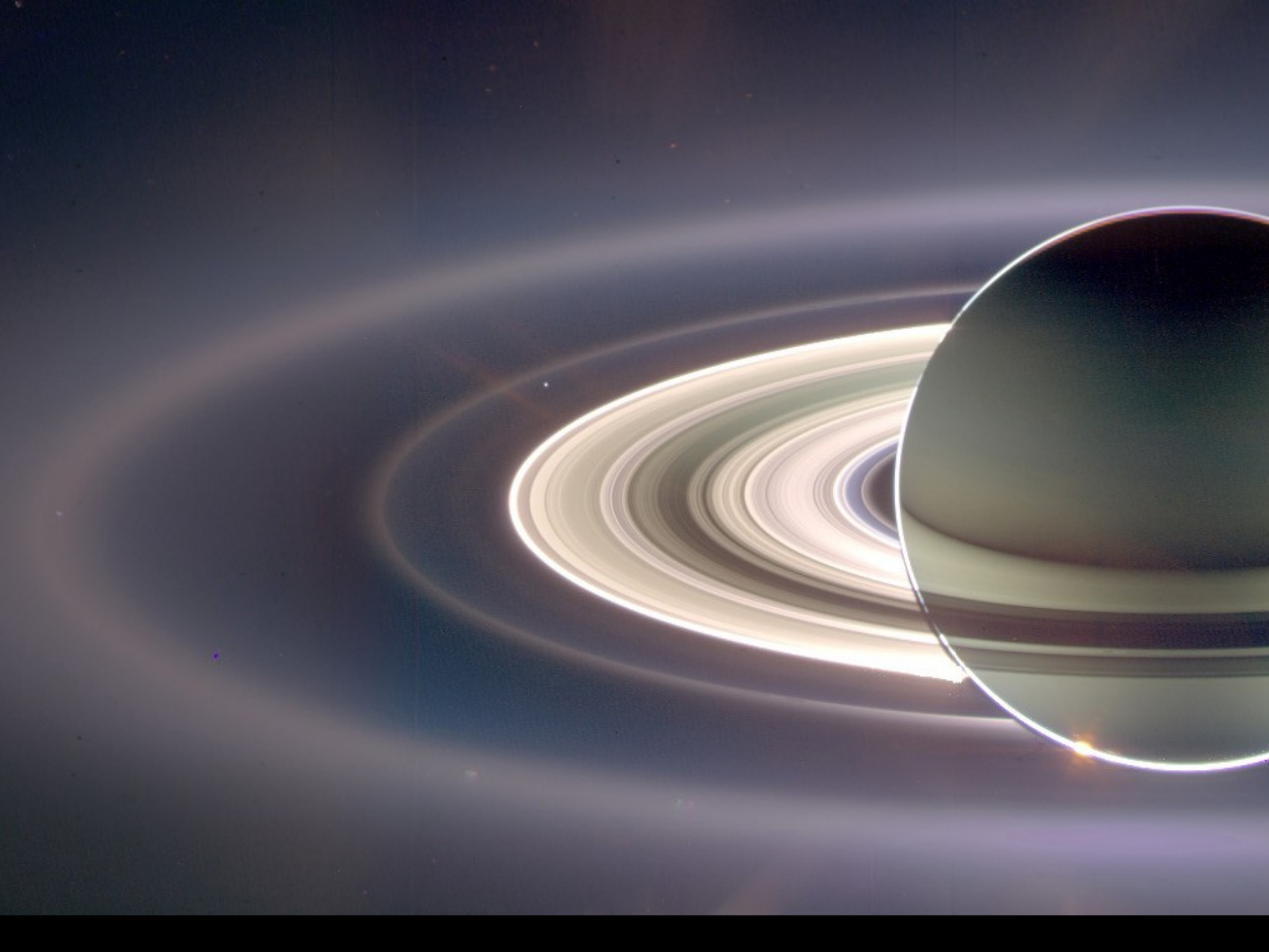
### angular separation, contrast: why is it difficult ?

#### *What would our solar system look like from 10pc away ?*

- Sun would be  $m_v = 4.8$  star (faint naked-eye star)
- Sun diameter would be 0.001" (diffraction limit of a 200m telescope in the near-IR, or 100m in visible)
- Sun-Earth separation would be 0.1" (diffraction limit of a 2-3m telescope in the near-IR, or 1m in visible)
- Earth diameter = 0.00001" (diffraction limit of a 20km diameter telescope in near-IR, or 10km in visible)
- In the visible:
  - Earth at  $1e-10$  contrast would be  $m_v \sim 30$  sources (very faint, would be challenging even for Hubble without the host star)
  - Jupiter in the visible would be  $\sim 10x$  brighter than Earth, at 0.5"
  - Zodiacal light would be several 100x brighter than Earth when integrated, and brightest near Sun
- In the near IR ( $\sim 2 \mu m$ ): similar contrasts
- In the thermal IR ( $\sim 10 \mu m$ ):
  - Contrasts are much more favorable
  - Earth is brightest planet, at  $\sim 1e-6$  contrast









# Exoplanets: Contrast ratio, visible vs. infrared, giant vs rocky

**In the visible**, planets are very faint unless they are very close to their star (luminosity goes as  $d^{-2}$ )

Planets in or near habitable zone cannot be imaged from the ground, and would require dedicated space telescope+instrument.

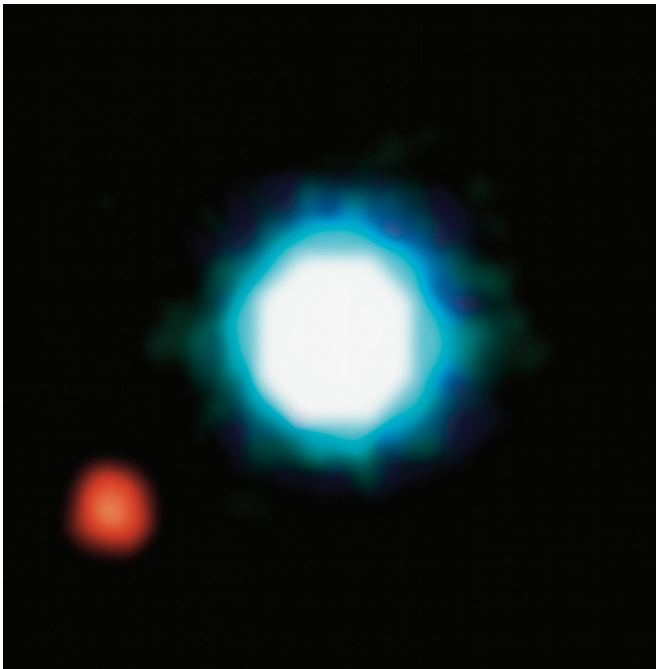
**In the near-IR**, giant and young planets (“young Jupiters”) can be imaged:

- AO systems work well in the near-IR
- Giant planets emit their own light (thermal emission)
- Young planets are still very hot, and slowly cool after formation

**But, habitable planets are not bright in near-IR**

**In the Thermal IR** (~10  $\mu\text{m}$  & longer), contrast is more favorable.

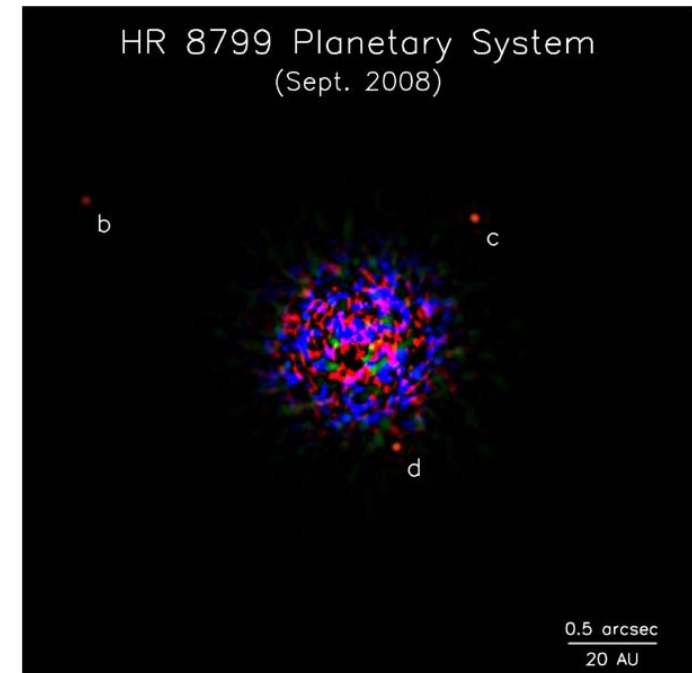
Older giant planets can be imaged (this is one of the key science goals of JWST), and habitable planets are near their thermal emission peak



2M1207 exoplanet  
(Chauvin et al., ESO,  
2004)

Probably the first  
direct image of an  
exoplanet

HR8799: first image  
of exoplanetary system  
with multiple planets  
(Marois et al. 2009)





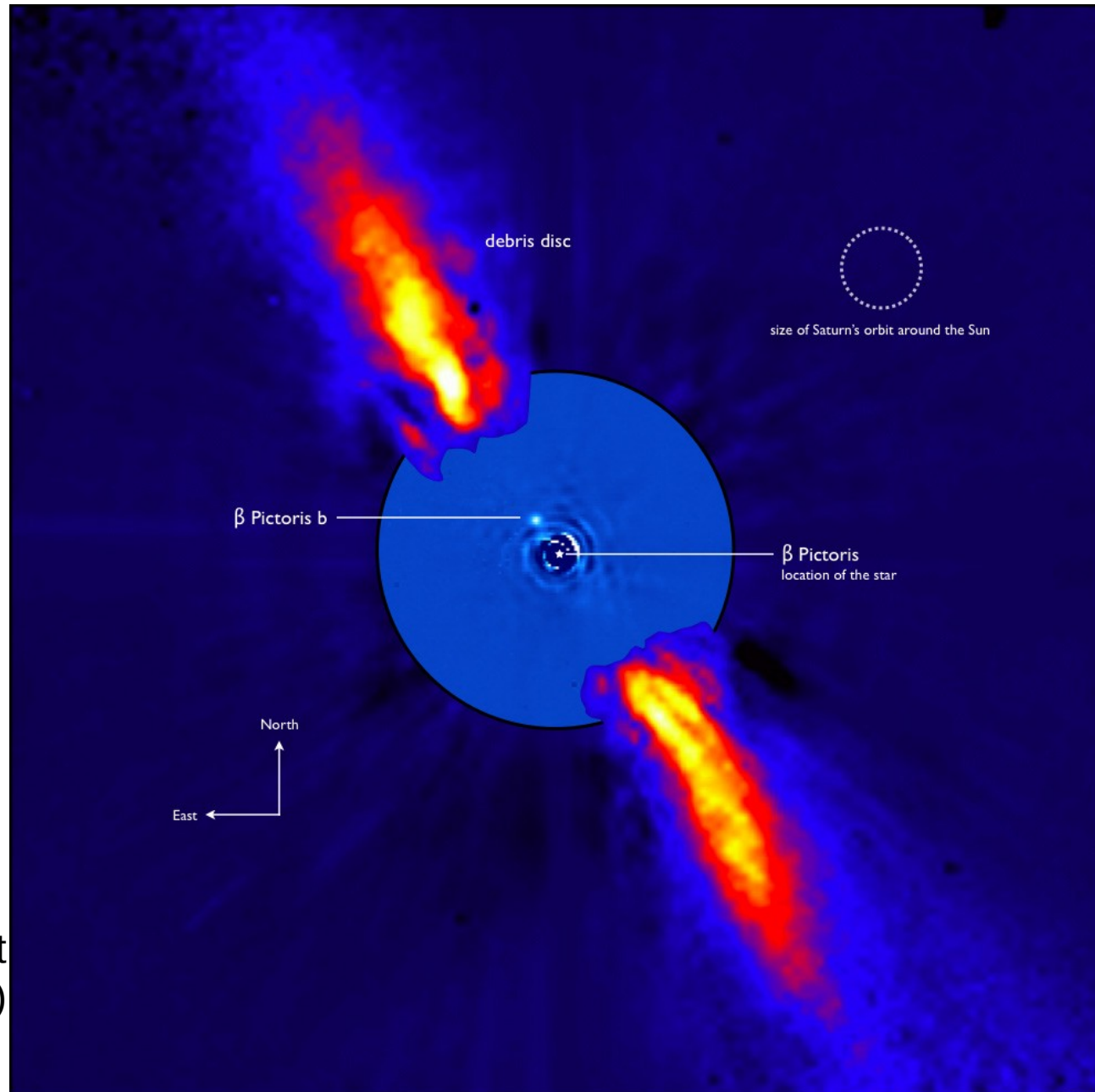
# Exoplanets & dust disks

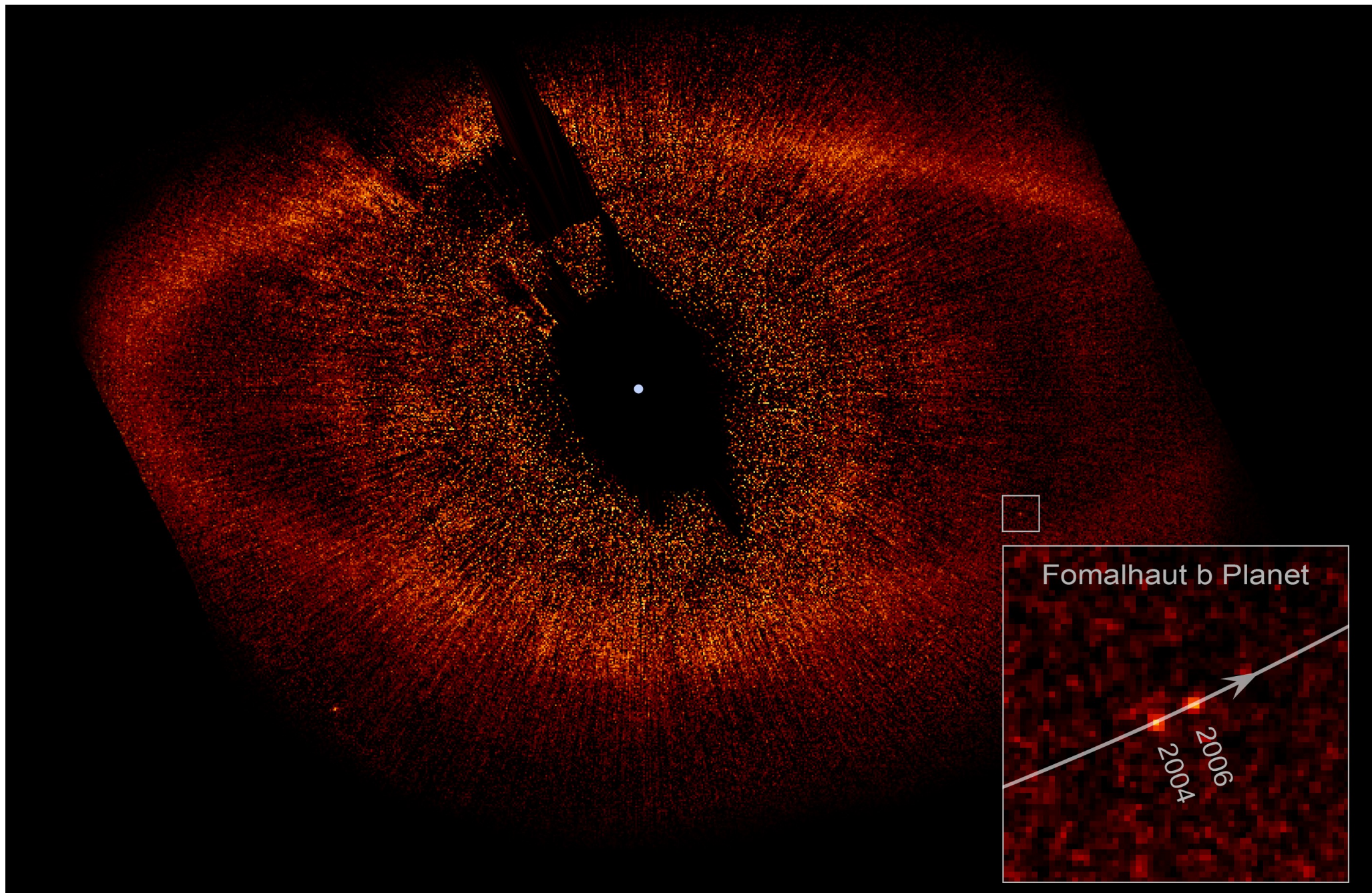
Protoplanetary disk:  
Disk in the process of forming planets

Debris disk:  
Disk generated by collision between small bodies

Ability to image planets and disks → study planetary formation and evolution of planetary systems

Beta Pic exoplanet and dust disk (Lagrange et al. 2009)



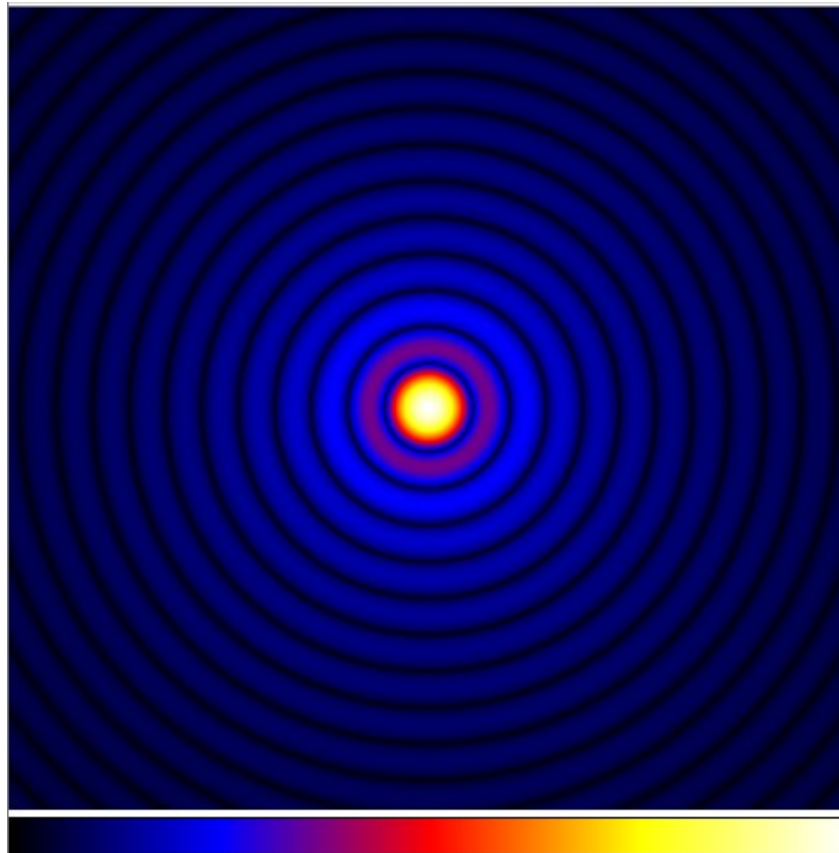
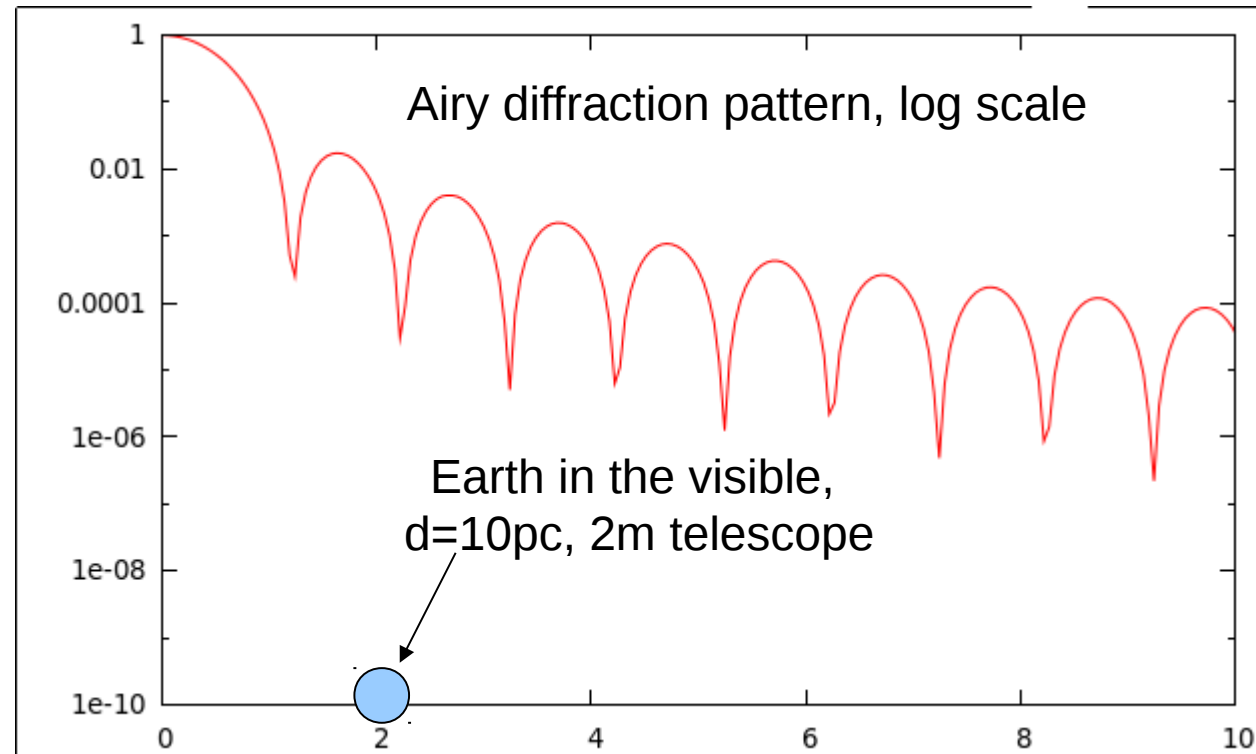
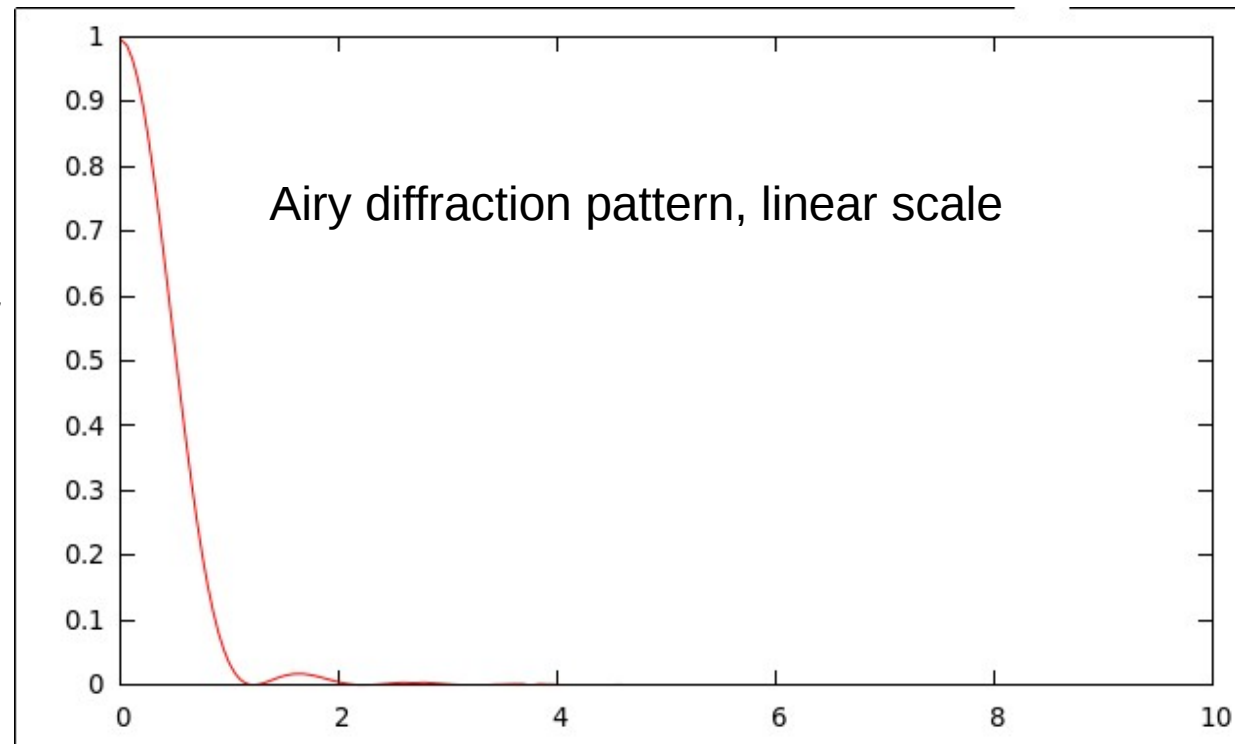


Kalas et al., HST image



# Why coronagraphy ?

*Conventional imaging systems are not suitable for high contrast (even if perfect) due to diffraction*



# Why do we need coronagraphs ?

**Coronagraph can only remove known & static diffraction pattern**

**BUT:**

- static & known diffraction can be removed in the computer
- coronagraphs don't remove speckles due to WF errors

**Fundamental reasons:**

- (1) Photon Noise
- (2) Coherent amplification between speckles and diffraction pattern

**Practical reasons:**

- (3) Avoid detector saturation / bleeding
- (4) Limit scattering in optics -> “stop light as soon as you can”

# Coherent amplification between speckles and diffraction pattern

Final image = PSF diffraction (Airy) + speckle halo

This equation is true in complex amplitude, not in intensity.  
Intensity image will have product term  $\rightarrow$  speckles are amplified by the PSF diffraction.

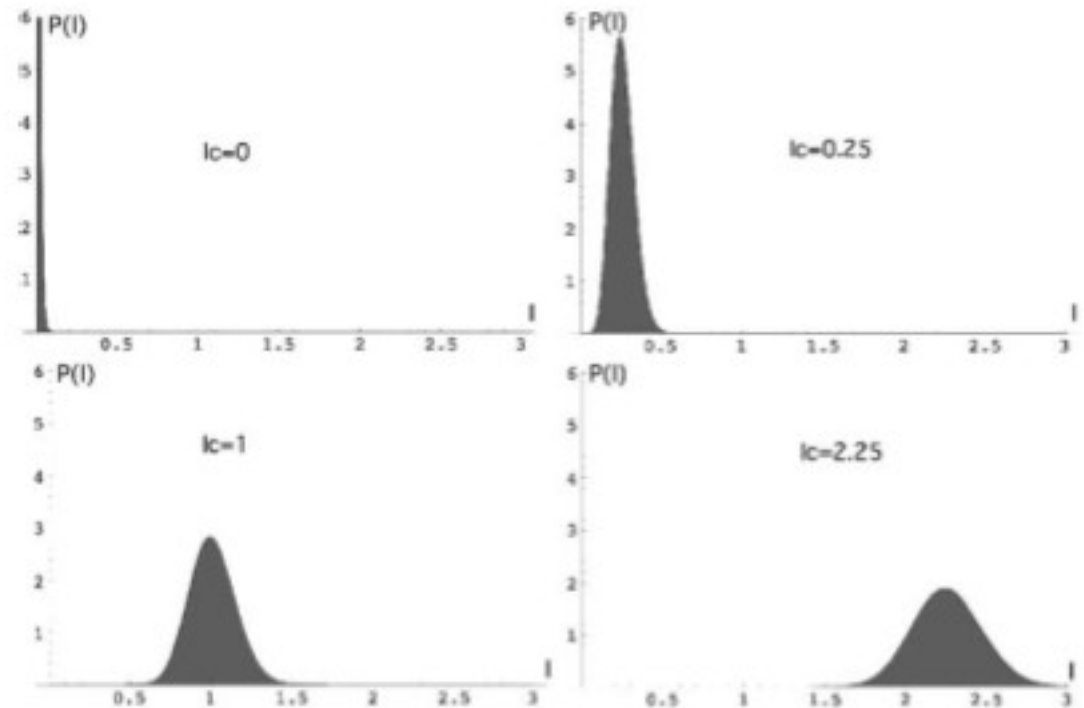


FIG. 3.—PDF of the light intensity at four different constant background intensity levels  $I_c$  and a single value of  $I_s = 0.1$ . High values of  $I_c$  correspond to locations near the perfect PSF maxima (rings), and low values of  $I_c$  correspond to locations near the zeros of the perfect PSF or far from the core. For  $I_c = 0$  we have the pure speckle exponential statistics. The width of the distribution increases with an increase in the level of  $I_c$ . This explains speckle pinning; speckle fluctuations are amplified by the coherent addition of the perfect part of the wave.



# Coherent amplification between speckles and diffraction pattern

Final image = PSF diffraction (Airy) + speckle halo

$$\begin{aligned}\text{Image} &= |A_{\text{PSF}} + A_{\text{speckles}}|^2 \\ &= |A_{\text{PSF}}|^2 + |A_{\text{speckles}}|^2 + 2 |A_{\text{PSF}}| |A_{\text{speckle}}| \cos(\theta)\end{aligned}$$

With PSF >> Speckles, this term dominates speckles



# Coronagraph concepts & systems

Types of coronagraphs

Coronagraph systems & instruments



Olivier's thumb...  
the simplest coronagraph  
Doesn't work well enough to  
see planets around other stars

# What is light: particle or wave ?



1807: Thomas Young publishes his double-slit experiment result  
... cannot be explained by Newton's corpuscular theory of light

1818: French academy of science committee launches a competition  
to explain nature of light

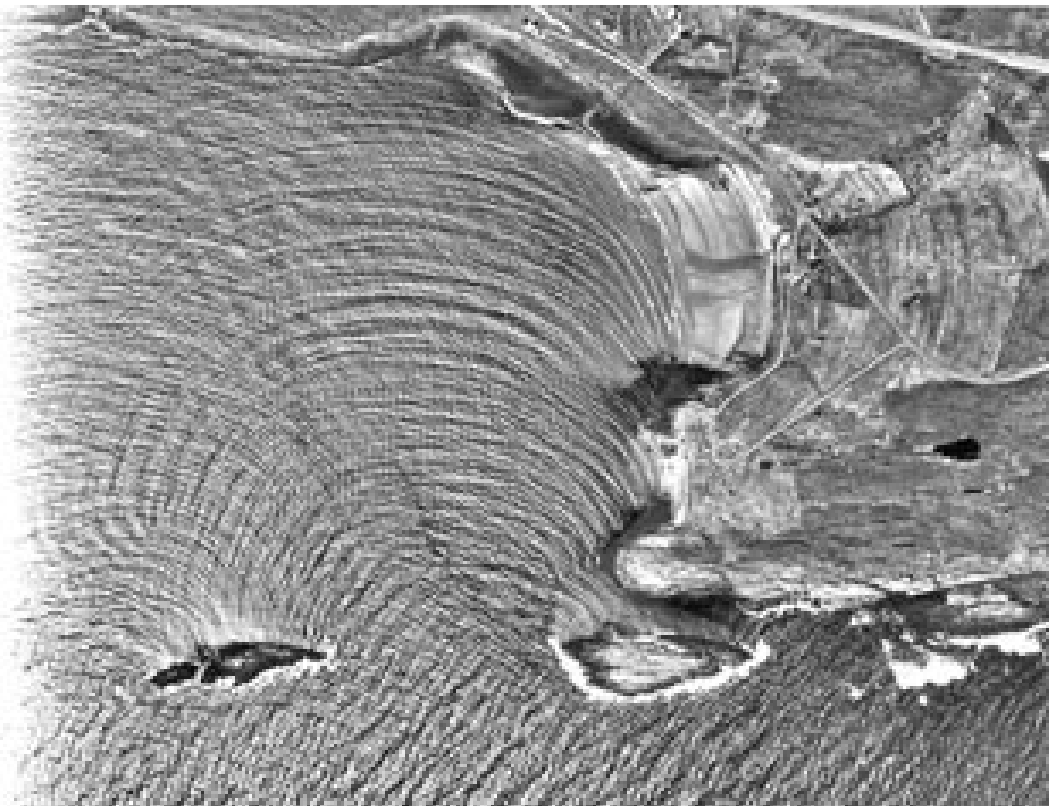


Augustin-Jean Fresnel  
submits wave theory of light

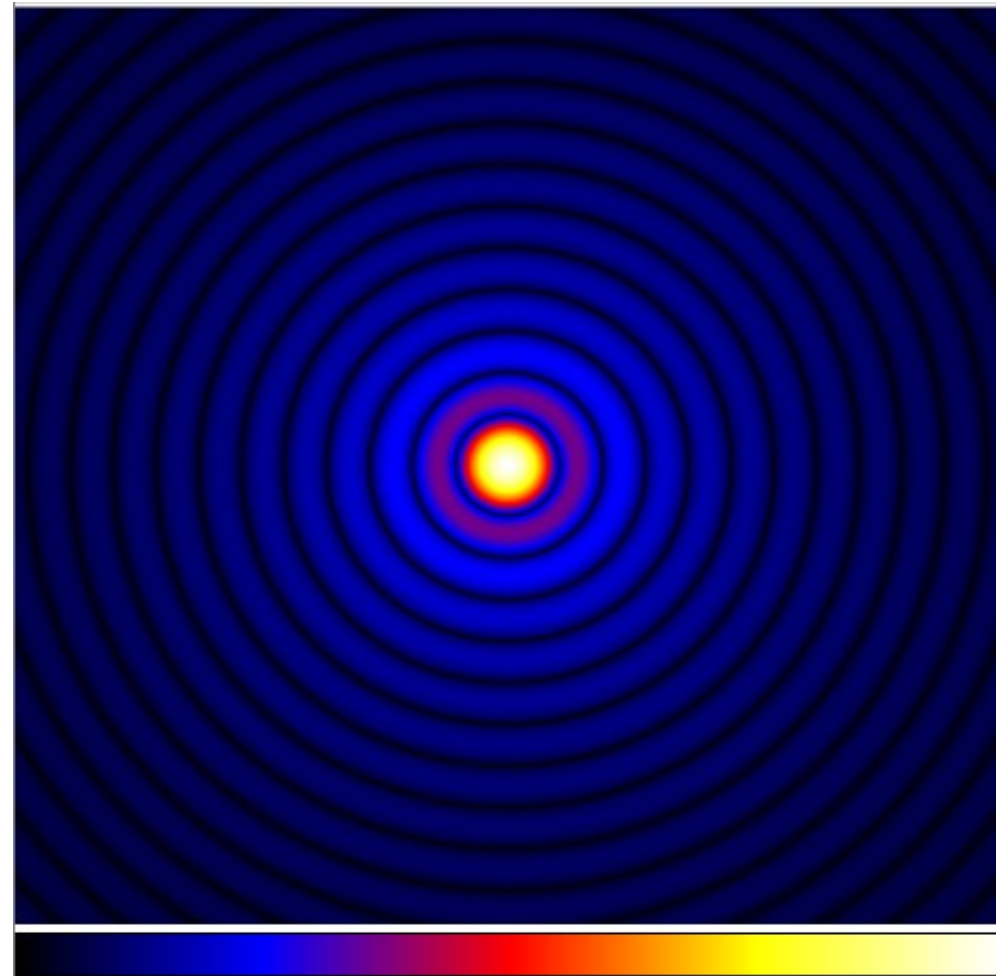
Simeon-Denis Poisson finds a flaw in Fresnel's theory:  
According to Fresnel's equations, a bright spot should appear in  
the shadow of a circular obstacle → this absurd result disproves Fresnel's theory

Dominique-Francois-Jean Arago, head of the committee, performs the experiment  
He finds the predicted spot → Fresnel wins the competition

# Water waves diffract around obstacles, edges, and so does light

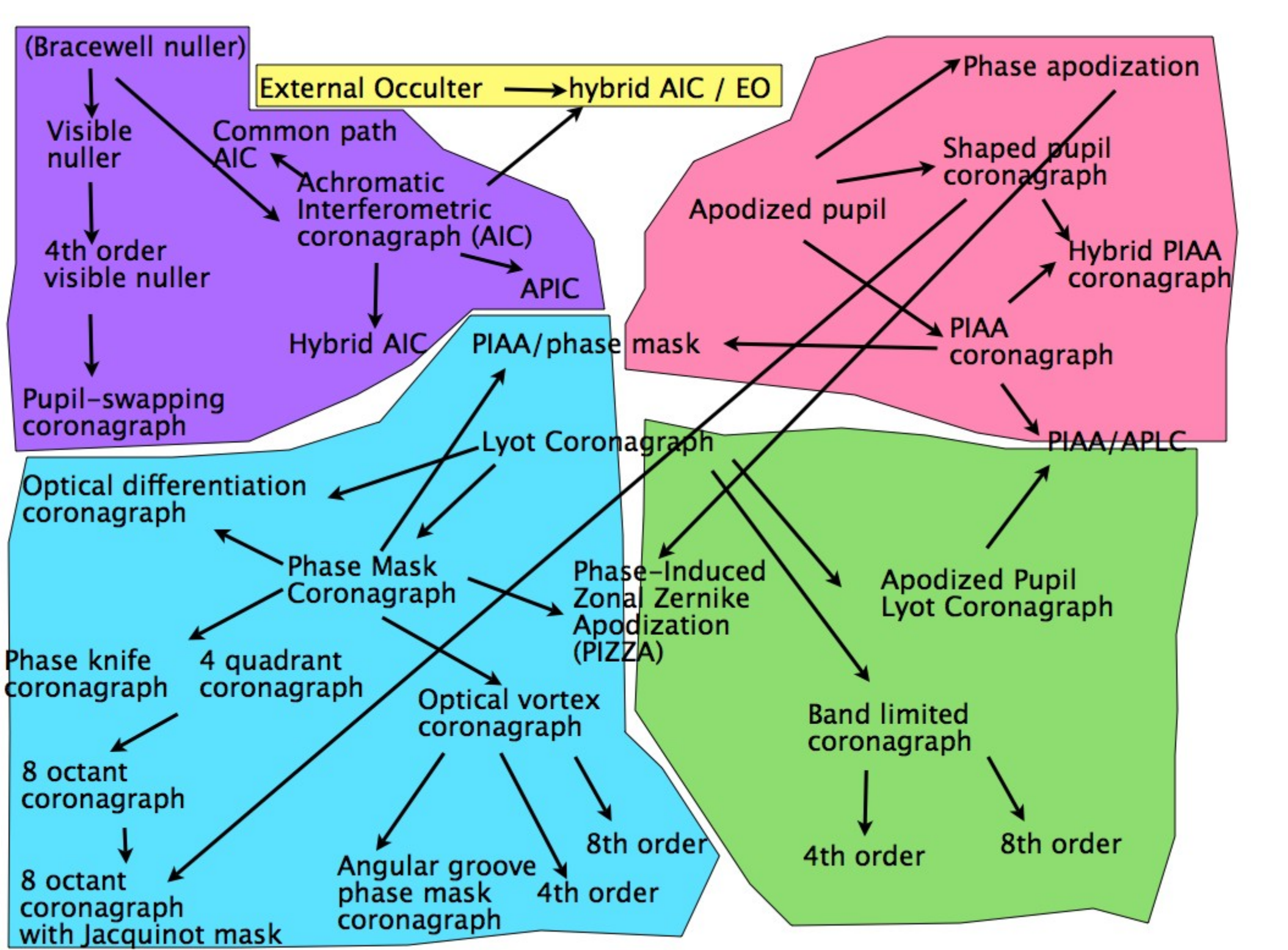


Waves diffracted by coastline and islands



Ideal image of a distant star by a telescope  
Diffraction rings around the image core





# Lyot Coronagraph explained by Fourier transforms

Pupil plane complex amplitude  $\leftrightarrow$  focal plane complex amplitude

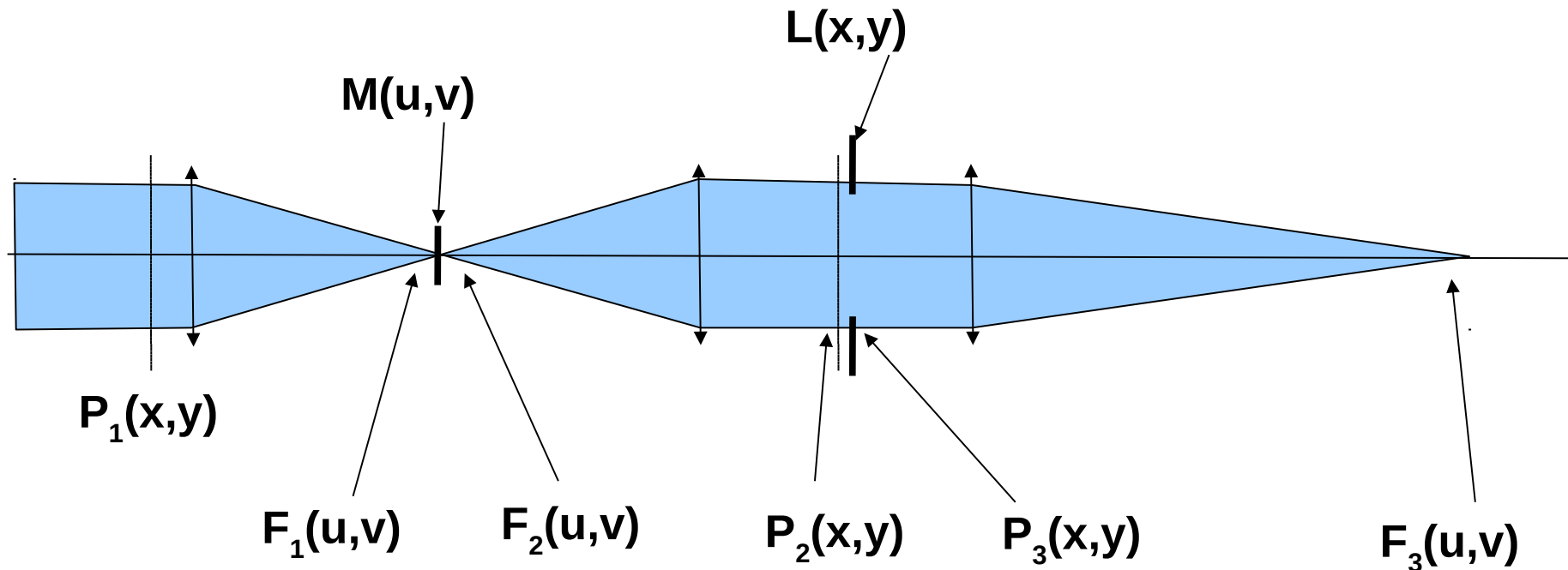
$\rightarrow$  Fourier transform

$\leftarrow$  Inverse Fourier transform

Coordinates in pupil plane:  $x, y$

Coordinates in focal plane :  $u, v$

\* denoting convolution (product = convolution in Fourier transform)



# Lyot Coronagraph explained by Fourier transforms

Full set of equations (explained in next slides):

Entrance pupil of telescope:  $P_1(x,y)$

Focal plane complex amplitude (before focal plane mask):  $F_1(u,v)$

$$F_1(u,v) = \text{FT} ( P_1(x,y) )$$

Focal plane mask complex amplitude transmission:  $M(u,v)$

Focal plane complex amplitude (after focal plane mask):  $F_2(u,v)$

$$F_2(u,v) = F_1(u,v) \times M(u,v) = \text{FT}(P_1(x,y)) \times M(u,v)$$

Exit pupil plane:

$$P_2(x,y) = \text{FT}^{-1}( F_2(u,v) ) = \text{FT}^{-1} ( \text{FT}(P_1(x,y)) \times M(u,v) ) = P_1(x,y) * \text{FT}^{-1}(M(u,v))$$

With \* denoting convolution

$$P_3(x,y) = L(x,y) \times P_2(x,y)$$

$$\mathbf{P_3(x,y) = L(x,y) \times (P_1(x,y) * FT^{-1}(M(u,v)))}$$

$$F_3(u,v) = \text{FT}(L(x,y)) * (F_1(u,v) \times M(u,v))$$

Coronagraphy problem: minimize  $P_3(x,y)$  for on-axis point source

# Lyot Coronagraph explained by Fourier transforms

Pupil plane complex amplitude  $\leftrightarrow$  focal plane complex amplitude

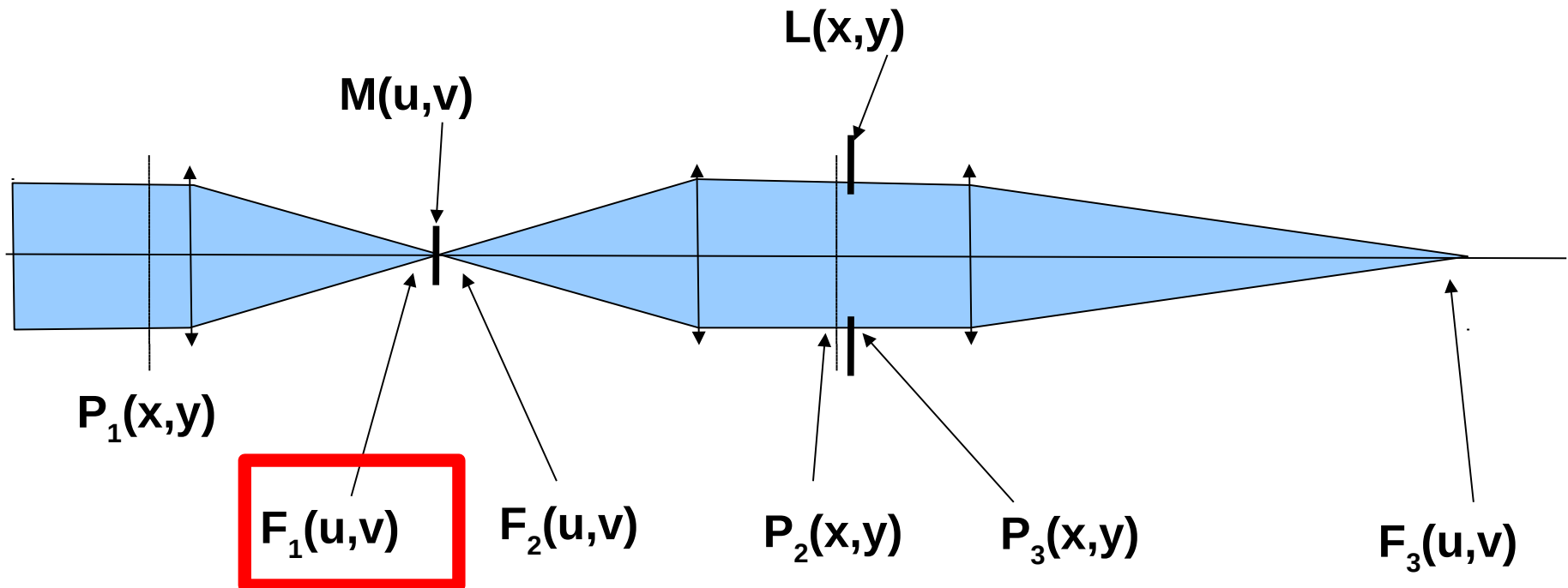
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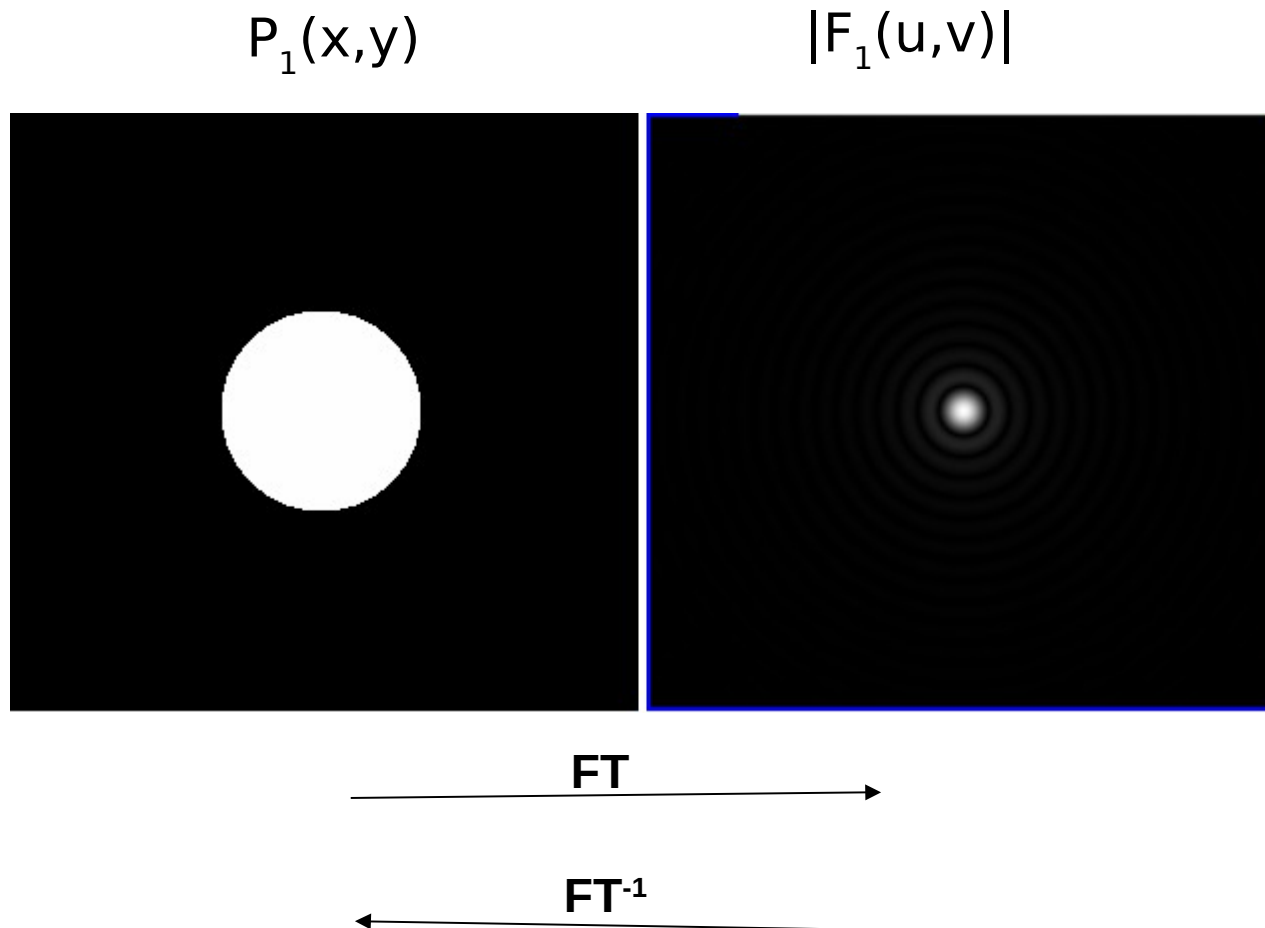


# Focal plane image = FT of pupil complex amplitude

Entrance pupil of telescope:  $P_1(x,y)$

Focal plane complex amplitude (before focal plane mask):  $F_1(u,v)$

$$F_1(u,v) = \text{FT} ( P_1(x,y) )$$



# Lyot Coronagraph explained by Fourier transforms

Pupil plane complex amplitude  $\leftrightarrow$  focal plane complex amplitude

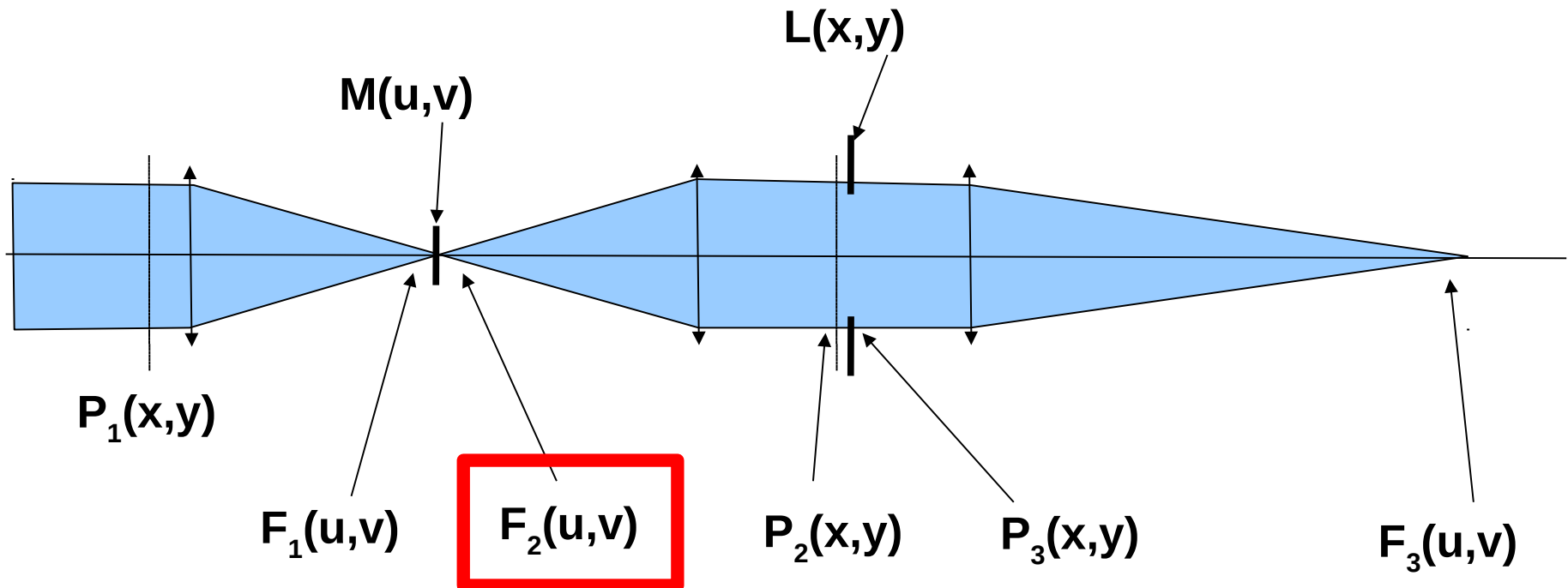
$\rightarrow$  Fourier transform

$\leftarrow$  Inverse Fourier transform

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Coordinates in focal plane :  $u, v$

\* denoting convolution (product = convolution in Fourier transform)



# Inserting an opaque mask in the focal plane

Focal plane mask complex amplitude transmission:  $M(u,v)$

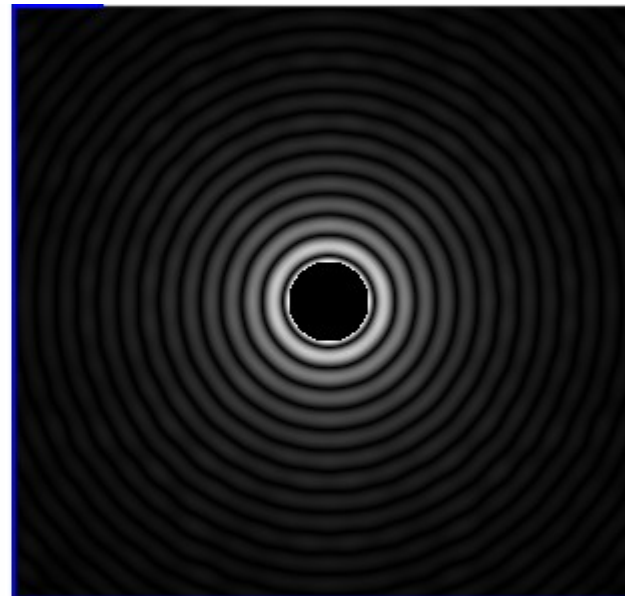
Focal plane complex amplitude (after focal plane mask):  $F_2(u,v)$

$$F_2(u,v) = F_1(u,v) \times M(u,v) = \text{FT}(P_1(x,y)) \times M(u,v)$$

$M(u,v)$



$|F_2(u,v)|$



# Lyot Coronagraph explained by Fourier transforms

Pupil plane complex amplitude  $\leftrightarrow$  focal plane complex amplitude

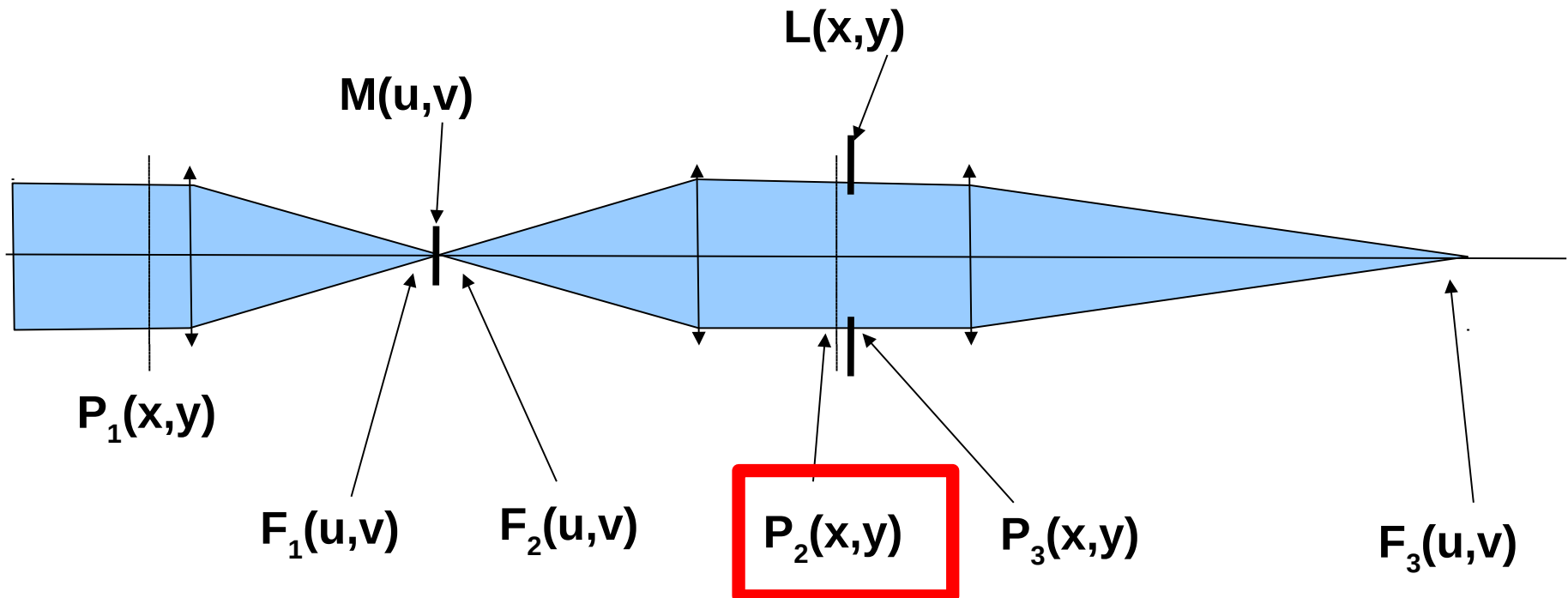
$\rightarrow$  Fourier transform

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Coordinates in pupil plane:  $x, y$

Coordinates in focal plane :  $u, v$

\* denoting convolution (product = convolution in Fourier transform)





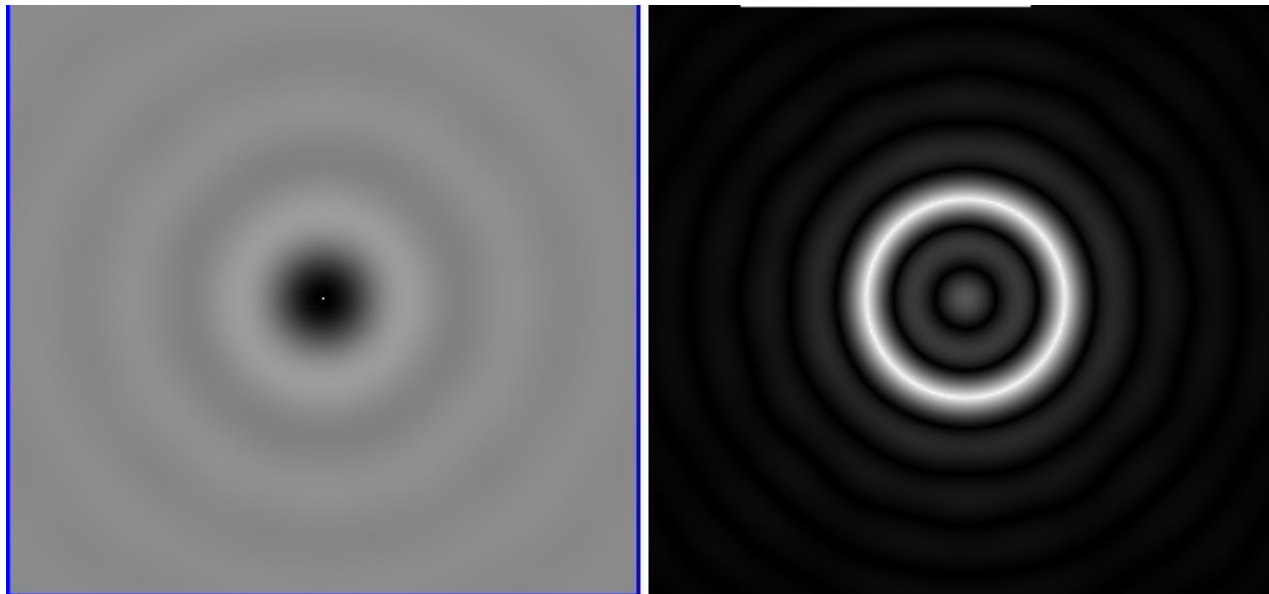
# Lyot Coronagraph : light distribution in output pupil plane

Exit pupil plane:

$$\begin{aligned} P_2(x,y) &= \text{FT}^{-1}( F_2(u,v) ) \\ &= \text{FT}^{-1} ( \text{FT}(P_1(x,y) \times M(u,v)) ) = P_1(x,y) * \text{FT}^{-1}(M(u,v)) \end{aligned}$$

$\text{FT}^{-1}(M(u,v))$

$|P_2(x,y)|$



# Lyot Coronagraph explained by Fourier transforms

Pupil plane complex amplitude  $\leftrightarrow$  focal plane complex amplitude

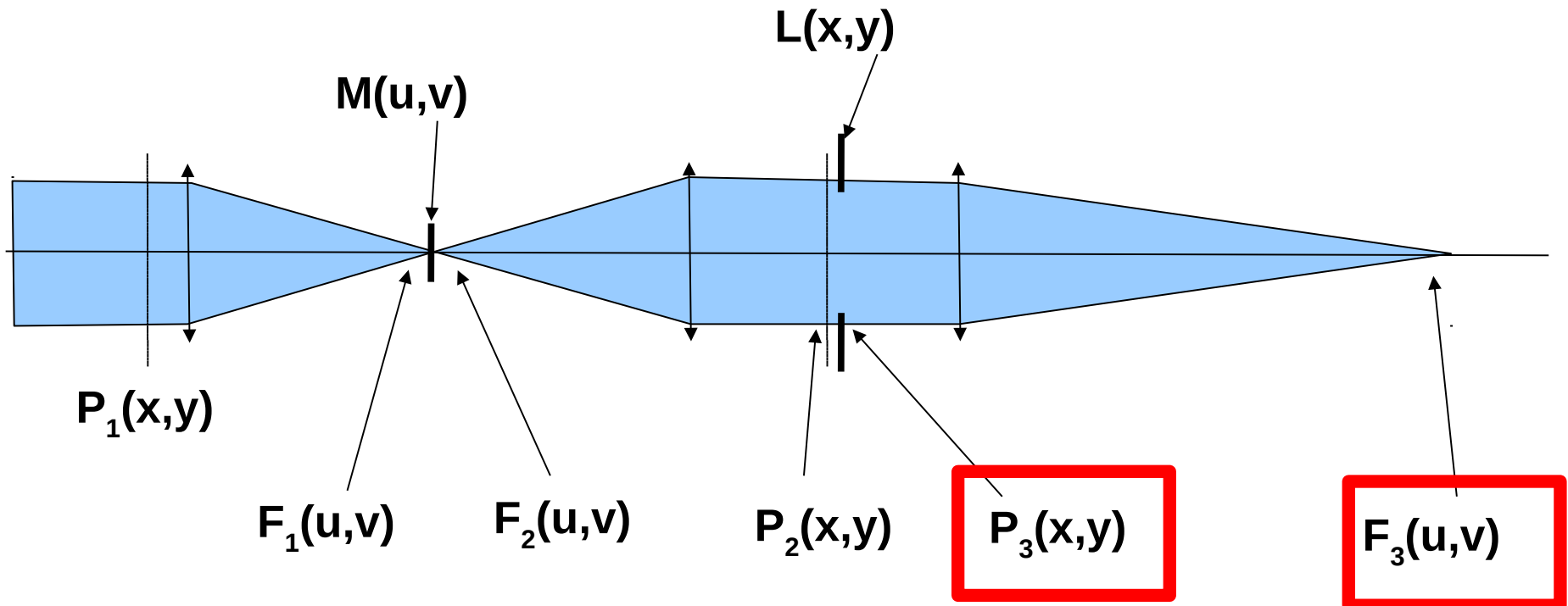
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Coordinates in pupil plane:  $x, y$

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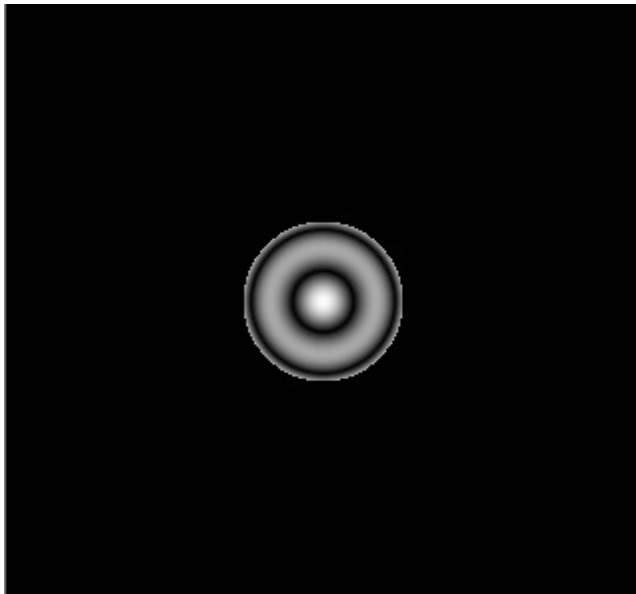
# Lyot Coronagraph : Lyot stop (L)

$$P_3(x,y) = L(x,y) \times P_2(x,y)$$

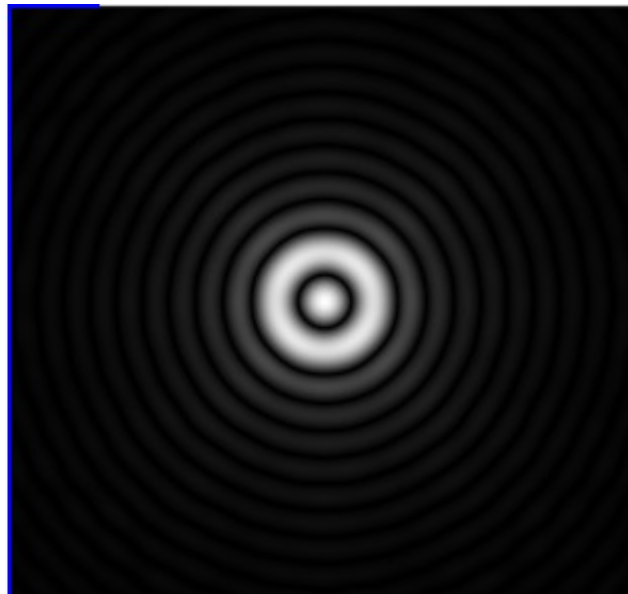
$$\mathbf{P}_3(\mathbf{x},\mathbf{y}) = \mathbf{L}(\mathbf{x},\mathbf{y}) \times (\mathbf{P}_1(\mathbf{x},\mathbf{y}) * \mathbf{FT}^{-1}(\mathbf{M}(\mathbf{u},\mathbf{v})))$$

$$F_3(u,v) = \mathbf{FT}(L(x,y)) * (F_1(u,v) \times M(u,v))$$

$|P_3(x,y)|$

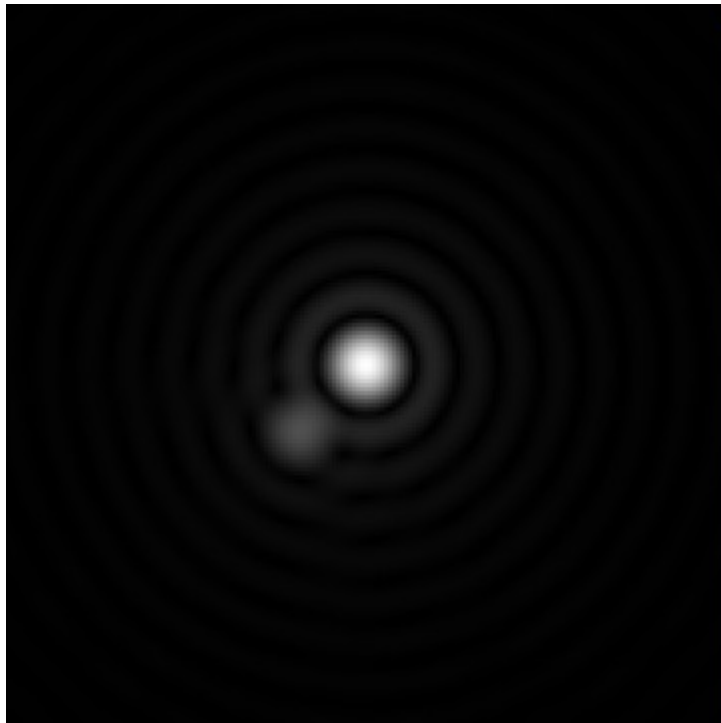


$|F_3(u,v)|$

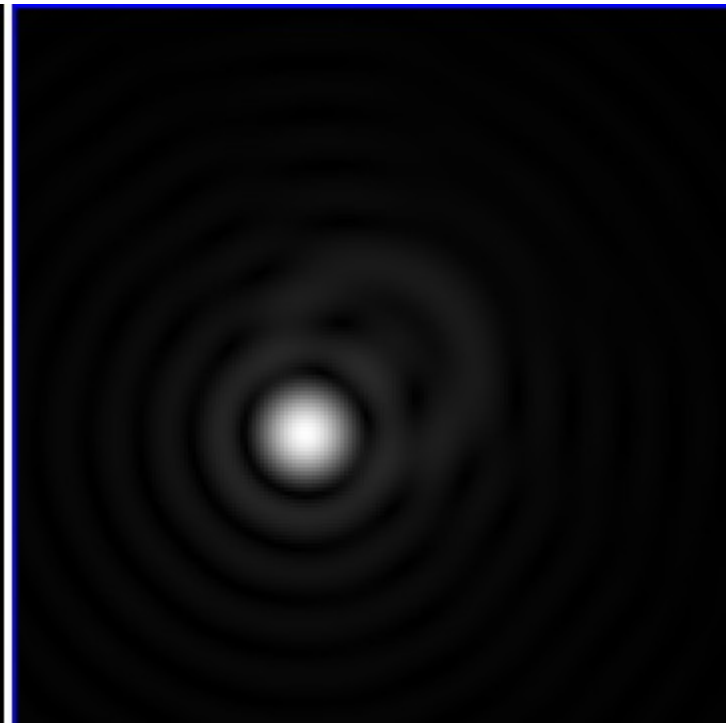


# Numerical simulation of final image for 10:1 contrast

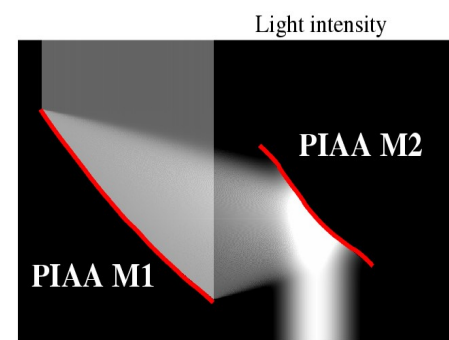
No coronagraph



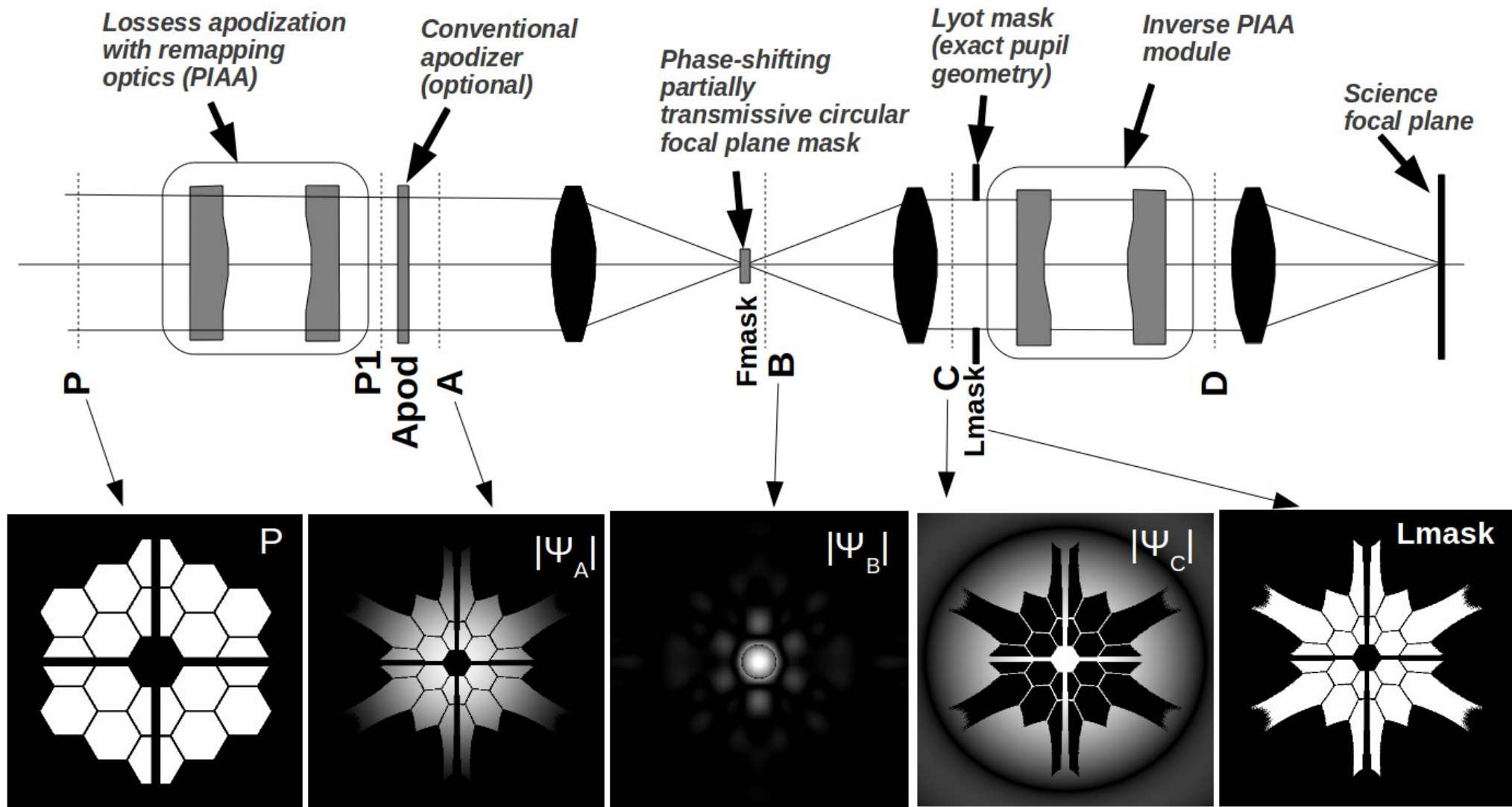
With Lyot  
Coronagraph



# A more fancy coronagraph design



## Phase Induced Amplitude Apodized Complex Mask Coronagraph (PIAACMC)





# Lyot Coronagraph : optimizations

Conventional Lyot coronagraph is limited in performance:

- cannot reach extremely high contrast (some light in pupil)
- tradeoff between throughput and contrast
- not able to get high contrast close to the optical axis

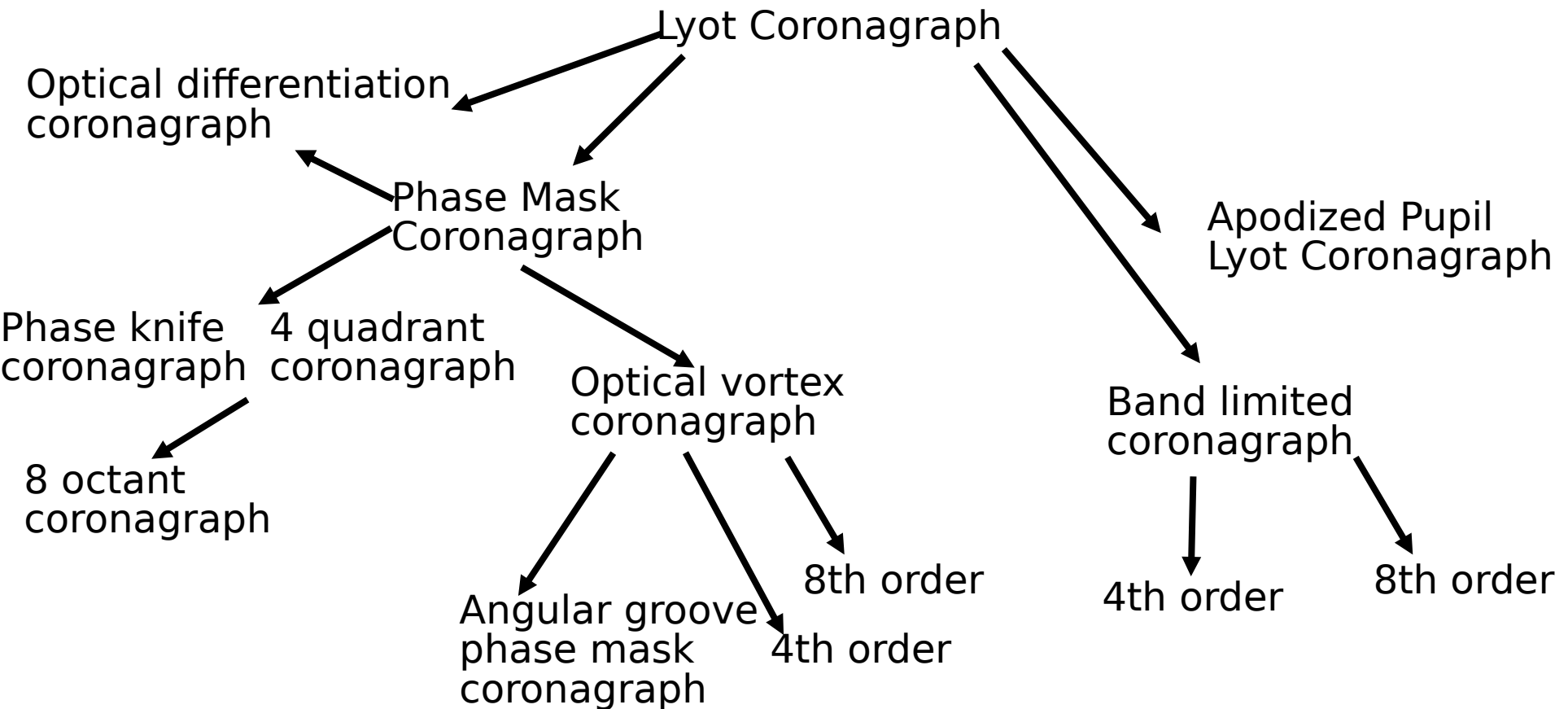
Optimization goal: make pupil dark inside Lyot mask

Possible optimizations include:

(1) Redesign of focal plane mask

- Band-limited
- Use phase as well as (or instead of) amplitude

(2) Apodize entrance aperture



# Pupil Apodization

Since Airy rings originate from sharp edges of the pupil, why not change the pupil ?

## **Conventional Pupil Apodization/ Shaped pupil**

**CPA**

[Kasdin et al. 2003](#)

Make the pupil edges fainter by absorbing light, either with a continuous or "binary" (shaped pupil) mask

## **Achromatic Pupil Phase Apodization**

**PPA**

[Yang & Kostinski, 2004](#)

Same as CPA, but achieved by a phase apodization rather than amplitude

## **Phase Induced Amplitude Apodization Coronagraph PIAAC**

[Guyon, 2003](#)

Perform amplitude apodization by remapping of the pupil with aspheric optics

## **Phase Induced Zonal Zernike Apodization**

**PIZZA**

[Martinache, 2003](#)

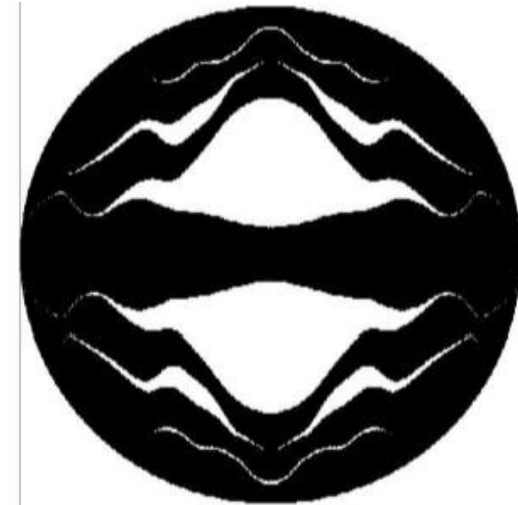
Transform a pupil phase offset into an amplitude apodization thanks to a focal plane Zernike mask

# Conventional Pupil Apodization (CPA)

Many pupil apodizations have been proposed.

Apodization can be continuous or binary.

- + Simple, robust, achromatic
- low efficiency for high contrast



Jacquinot & Roisin-Dossier 1964  
Kasdin et al. 2003, ApJ, 582, 1147  
Vanderbei et al. 2003, ApJ, 590, 593  
Vanderbei et al. 2003, ApJ, 599, 686  
Vanderbei et al. 2004, ApJ, 615, 555

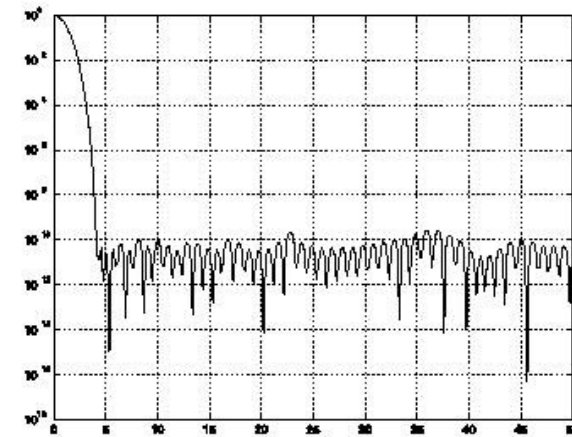
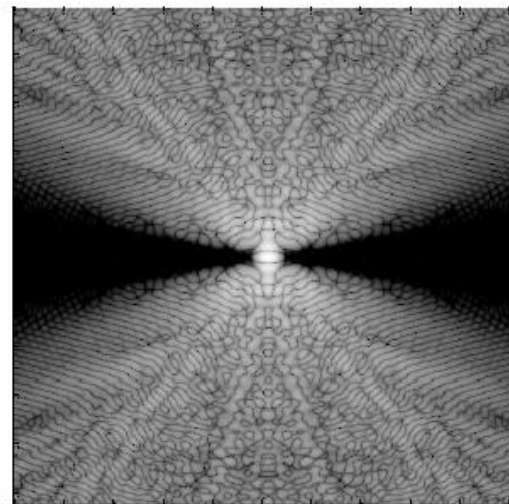
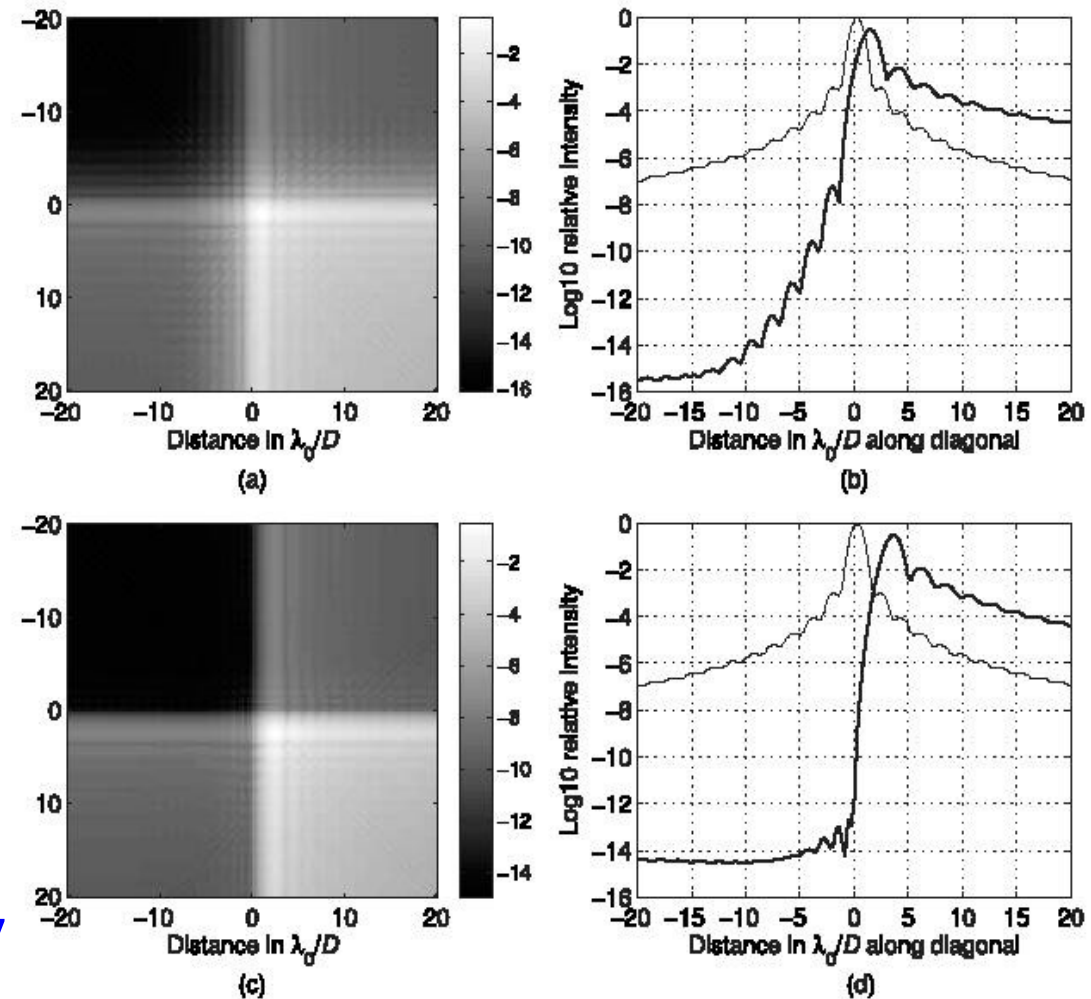


FIG. 9.—*Top*: Asymmetric multiopening mask designed to provide high-contrast,  $10^{-10}$ , from  $\lambda/D = 4$  to  $\lambda/D = 100$  in two angular sectors centered on the  $x$ -axis. Ten integrations are required to cover all angles. Total throughput and pseudoarea are 24.4%. Airy throughput is 11.85%. *Bottom*: Associated PSF. (Note that this mask was originally designed for an elliptical mirror. It has been rescaled to fit a circular aperture.)

# Pupil Phase Apodization (PPA)

Achromatic solutions exist.



Yang & Kostinski 2004, ApJ, 605, 892  
 Codona & Angel 2004, ApJ, 604, L117

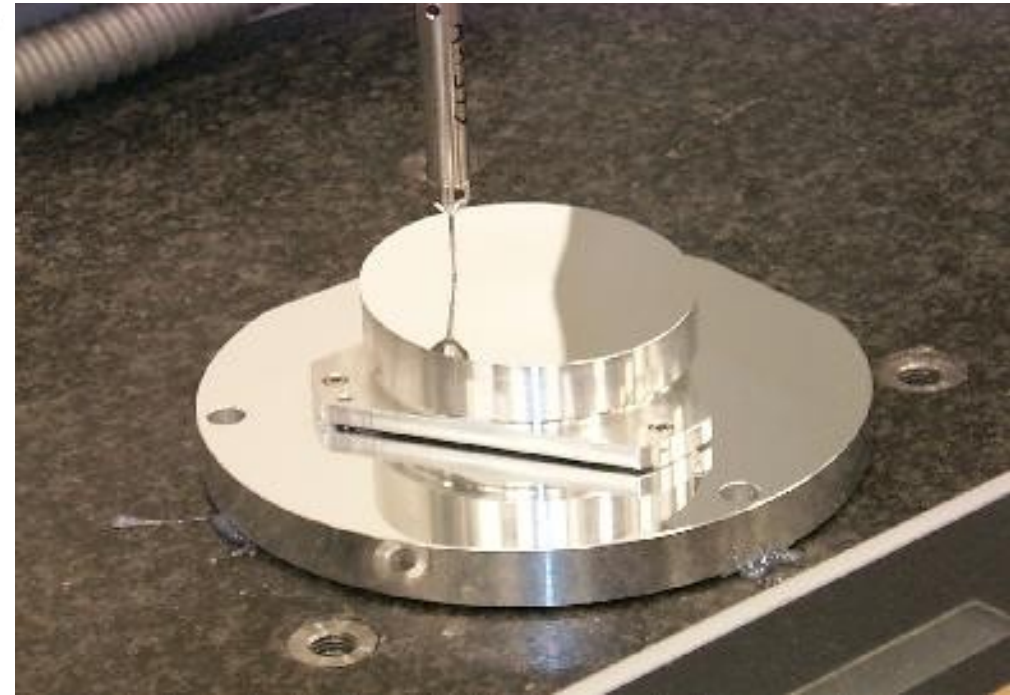
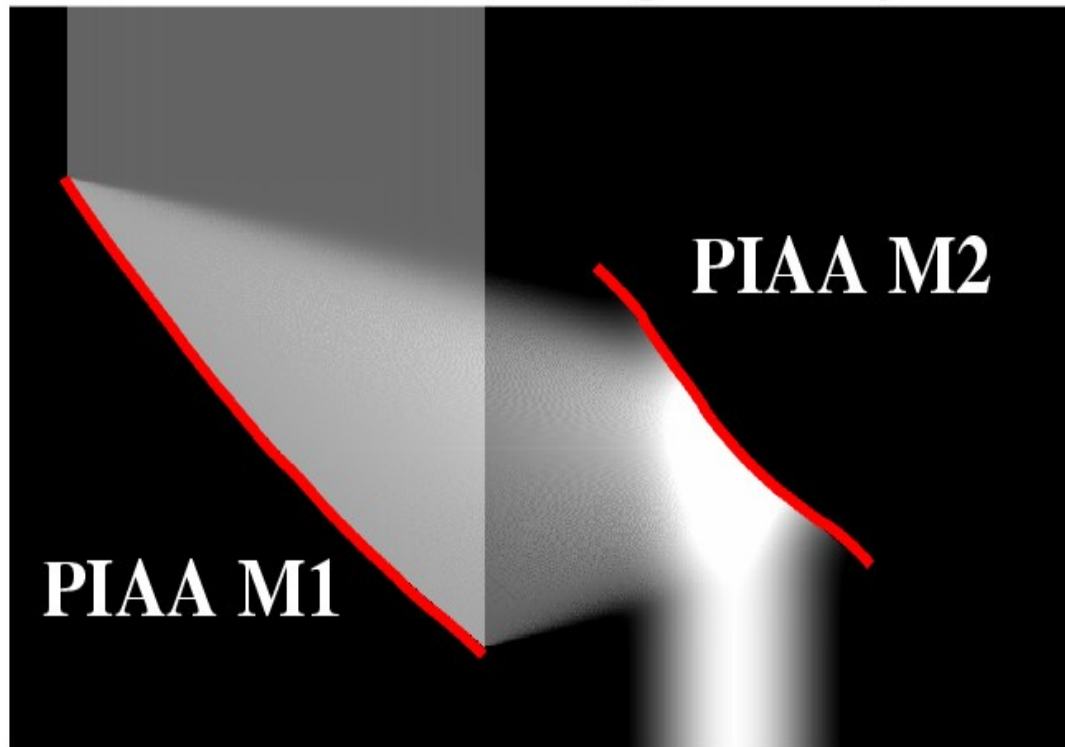
FIG. 9.—Broad-bandwidth light reduction effect on one quadrant of focal plane. The simulation is based on a rectangular spectrum distribution with total bandwidth of  $0.6\lambda_0$ . (a)  $\log_{10}$  relative intensity image when phase  $\phi(x, y) = a \tan[(0.5 - \epsilon)2\pi x/D] + a \tan[(0.5 - \epsilon)2\pi y/D]$ , with  $a = 1$  and  $\epsilon = 0.005$ , is applied to a square pupil. (b) The thicker line represents the  $\log_{10}$  relative intensity along the diagonal line crossing the second and the fourth quadrants in (a). The thinner line represents the one without phase modulation. (c) Same as (a), but with phase  $\phi(x, y)$  from eq. (11), with  $a = 3$  and  $\epsilon = 0.001$ , applied to a square pupil. (d) Same as (b), but for the quadrants in (c). One can see that the reduction level of  $10^{-12}$ , with an inner working distance of about  $3.5\lambda_0/D$ , can still be kept with a broad bandwidth of  $0.6\lambda_0$  in the second quadrant.



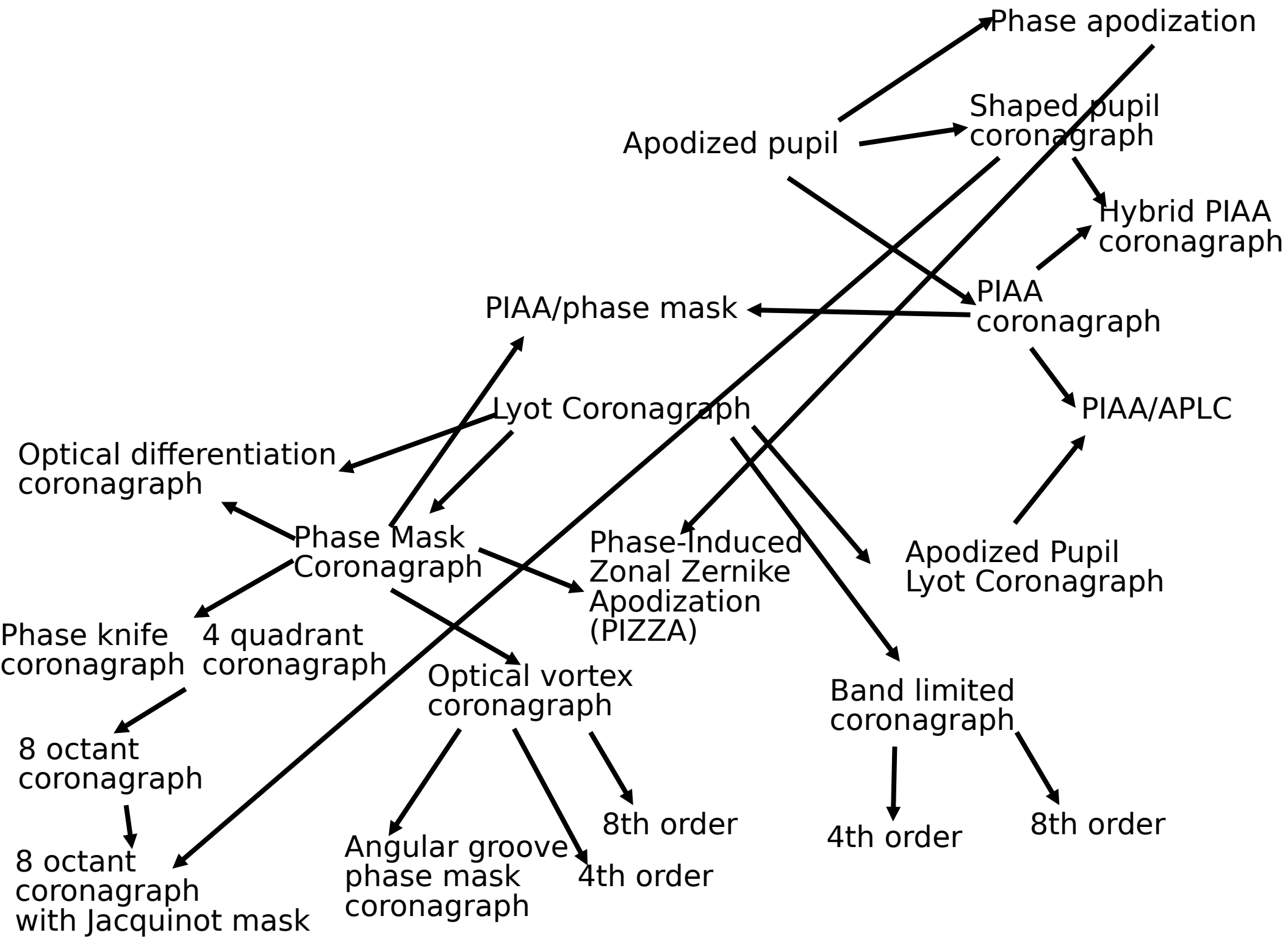
# Phase-Induced Amplitude Apodization Coronagraph (PIAAC)

Lossless apodization by aspheric optics.

Light intensity



Guyon, Belikov, Pluzhnik, Vanderbei, Traub, Martinache ... 2003-present



# **"Interferometric" coronagraphs**

**= Nulling interferometer on a single pupil telescope**

- Creates multiple (at least 2) beams from a single telescope beam
- Combines them to produce a destructive interference on-axis and constructive interference off-axis

## **Achromatic Interferometric Coronagraph Common Path AIC**

**AIC  
CPAIC**

[Baudoz et al. 2000](#), [Tavrov et al. 2005](#)

Destructive interference between pupil and flipped copy of the pupil

Achromatic PI phase shift and geometrical flip performed by going through focus

## **Visible Nulling Coronagraph, X & Y shear, 4<sup>th</sup> order VNC**

[Shao et al.](#), [Menesson et al. 2003](#)

Destructive interference between 2 copies of the pupil, sheared by some distance.

4<sup>th</sup> order null obtained by cascading 2 shear/null

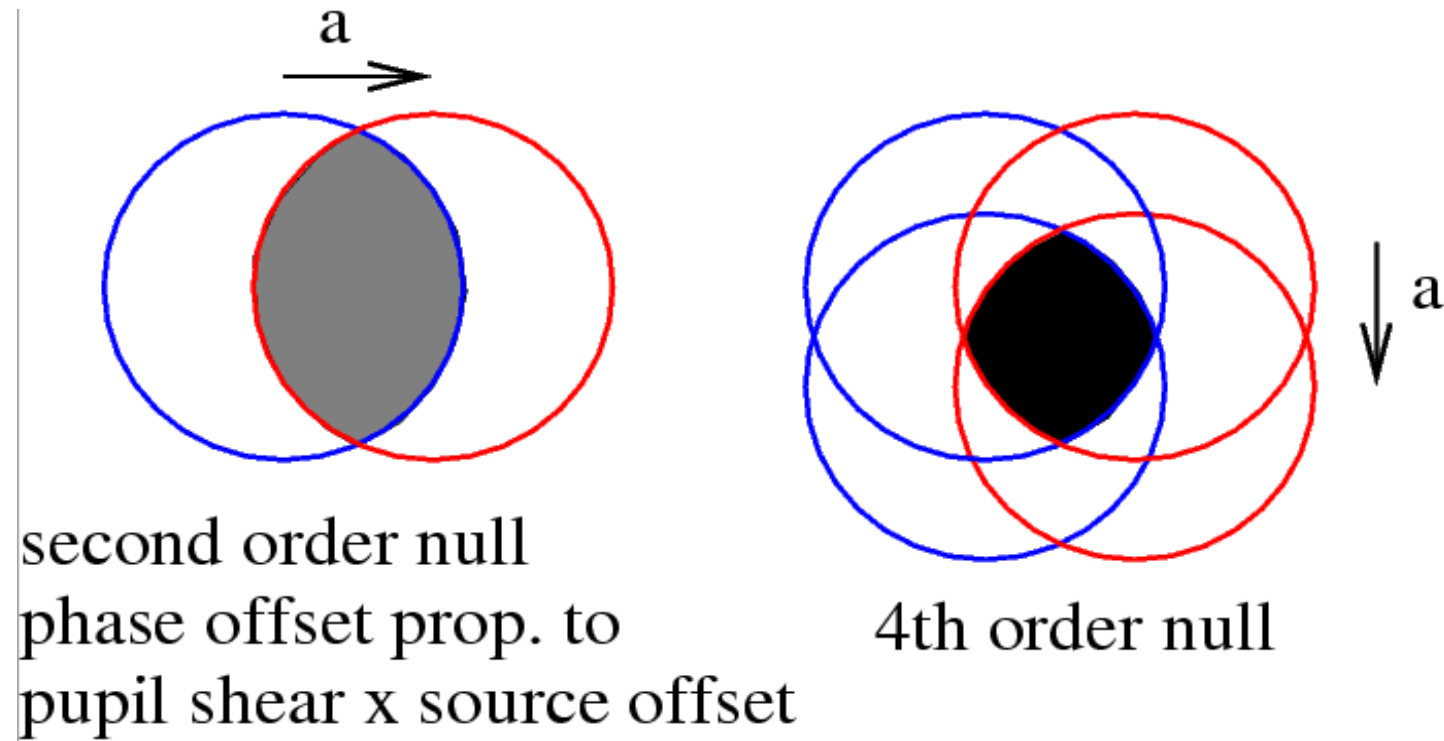
## **Pupil Swapping Coronagraph**

**PSC**

[Guyon & Shao, 2006](#)

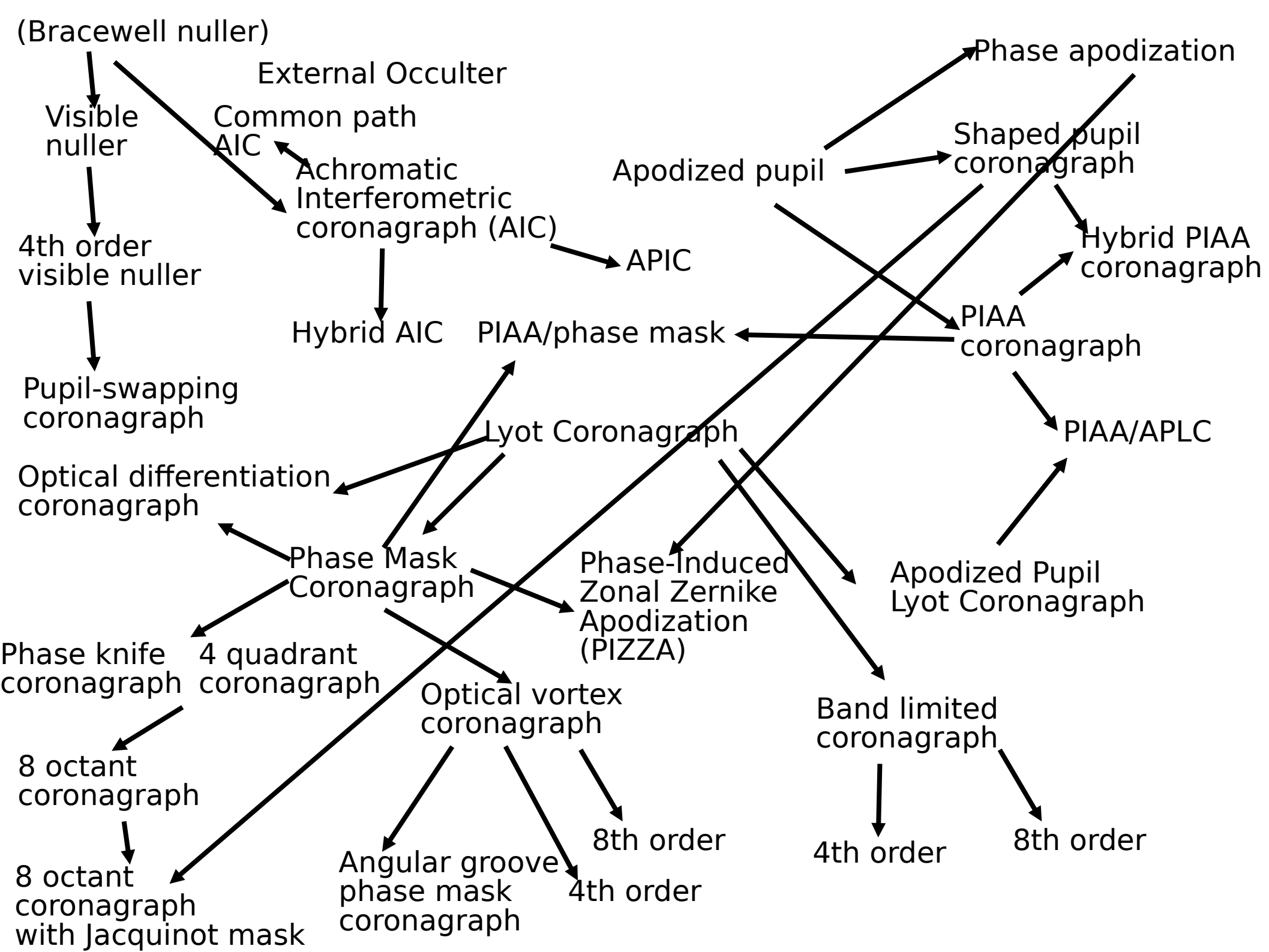
Destructive interference between pupil and a copy of the pupil where 4 quadrants have been swapped

# Visible Nuller Coron. (VNC)



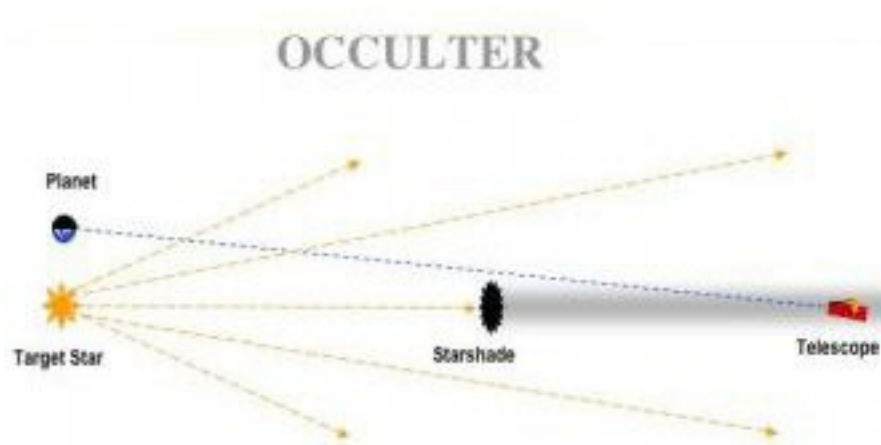
Small shear : high throughput, low IWA  
Large shear : low throughput, small IWA  
The 2 shears can also be colinear

**Sounding rocket  
(PICTURE)**

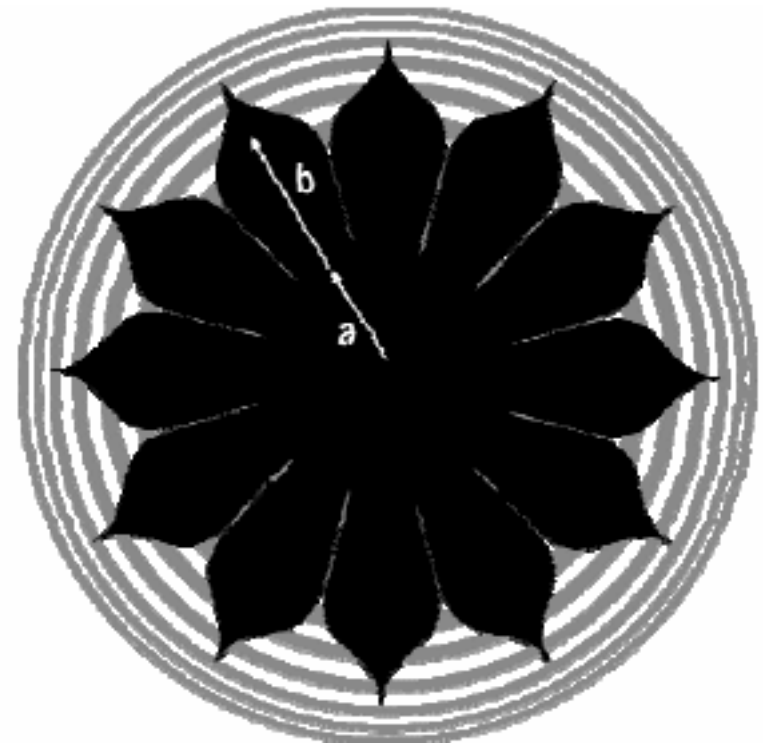


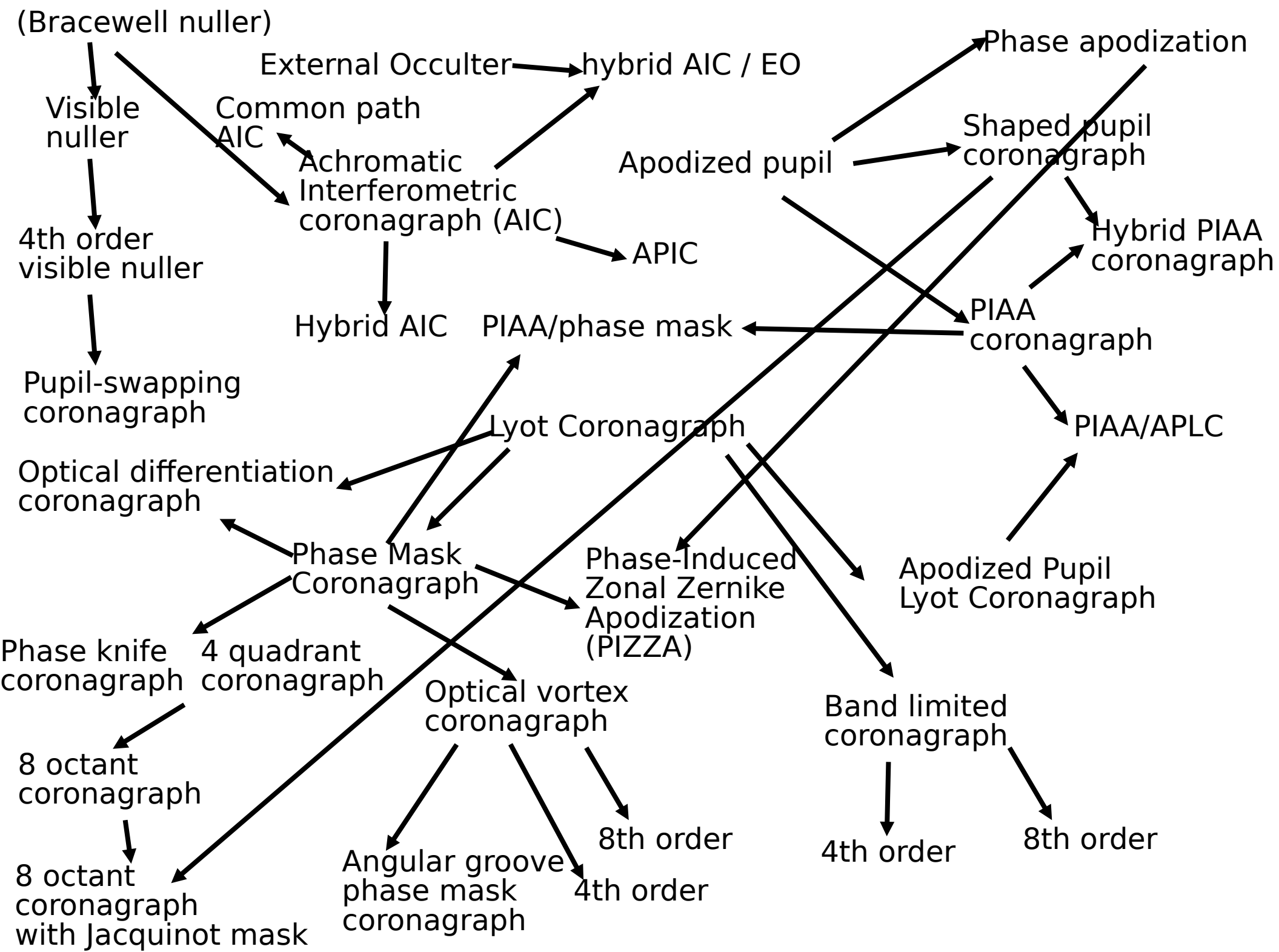


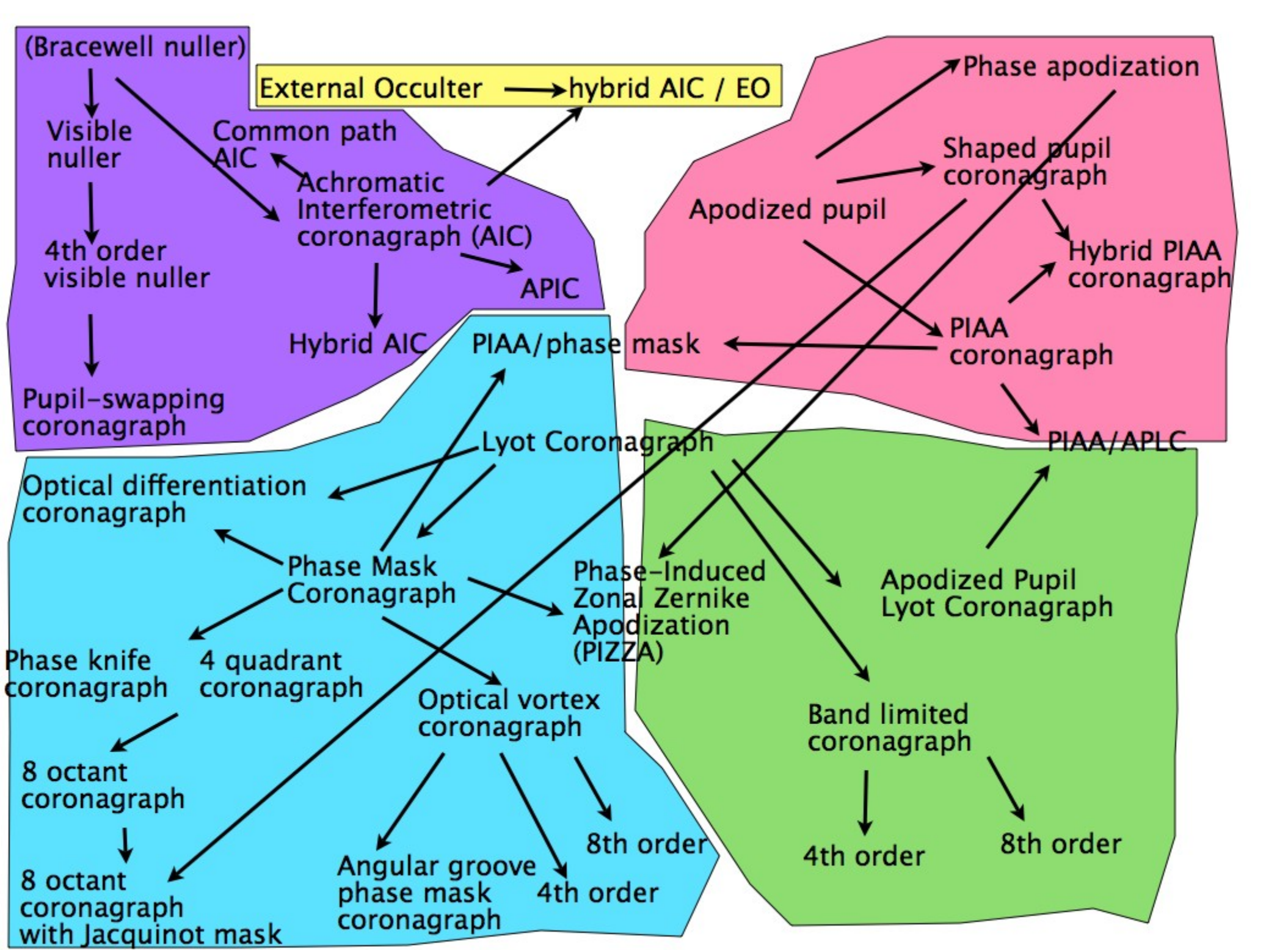
# External Occulter



A properly placed and shaped occulter can drop a deep shadow of starlight over a telescope while allowing planet light to pass unimpeded.







# **Coronagraph systems**

# What is a high contrast imaging system (ground or space) ?

*Imaging system optimized to provide high contrast at small angular separation.*

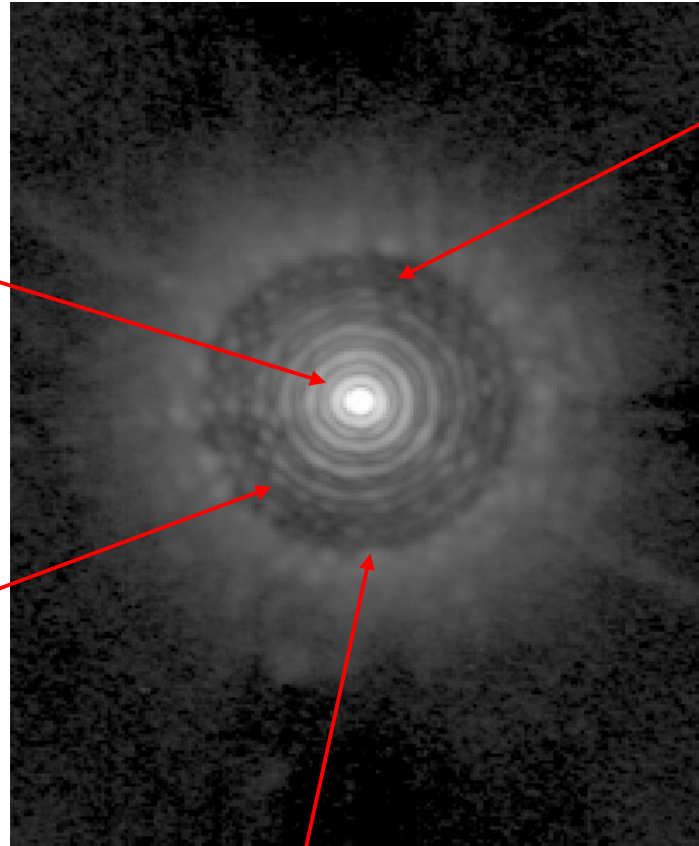
## Key elements:

- **Coronagraph** or nulling interferometer to optically remove starlight and isolate planet light (overcomes diffraction)
- **Wavefront correction system** to reduce and calibrate residual wavefront errors
  - For coronagraphs: Extreme-AO system to flatten wavefront
  - For interferometers: Optical pathlength sensing / correction (+ AO on individual apertures of the interferometer)
- **Science detector (+ differential detection technique)** for imaging, spectroscopy and polarimetry
  - (note: the science detector can be part of the wavefront control system, and measure residual scattered light to be removed)



# From conventional AO to Coronagraphic Extreme-AO

We use a non-extreme AO system image as starting point  
Example of a very good PSF with a current AO system: LBT AO image



PSF diffraction  
(Airy rings, spiders)

**REMOVED BY  
CORONAGRAPH**

Residual atmospheric  
speckle halo

**REDUCED BY FAST,  
ACCURATE AND  
EFFICIENT AO SYSTEM**

Static and slow  
speckles

**MUST BE  
REMOVED BY  
CALIBRATION SYSTEM  
OR DIFFERENTIAL IMAGING  
(actively or in post  
processing)**

Control radius of AO  
**DEFINED BY NUMBER  
OF ACTUATORS IN DM:  
MAY BE INCREASED WITH  
MORE ACTUATORS IF REQUIRED**

# Current and future high contrast systems - ground

**NICI on Gemini South telescope** – ongoing, large survey completed

85-element curvature AO system + Lyot coronagraph

Differential imaging capability (methane absorption line)

**HiCIAO on Subaru Telescope** – ongoing survey

188-element curvature AO system + Lyot coronagraph

Differential imaging capability (methane absorption line)

→ **Subaru Coronagraphic Extreme AO (upgrade of HiCIAO)** – on sky since 2012

Small inner working angle PIAA coronagraph

Pointing sensing and control with coronagraphic low order WFS

Speckle control using focal plane image as sensor

2000 element MEMS deformable mirror

Includes Integral Field Spectrograph to help remove speckles and acquire spectra

**P1640 + Palm300 on Palomar 5-m telescope** – on sky since 2012

3000 element high order AO system + Lyot coronagraph

Includes Integral Field Spectrograph to help remove speckles and acquire spectra

**Gemini Planet Imager (GPI)** – large survey started observations in 2014

ExAO system using 64x64 MEMS DM + coronagraph

Includes calibration interferometer to accurately measure residual speckles

Includes Integral Field Spectrograph to help remove speckles and acquire spectra

**ESO's SPHERE on VLT** – large survey started observations in 2014

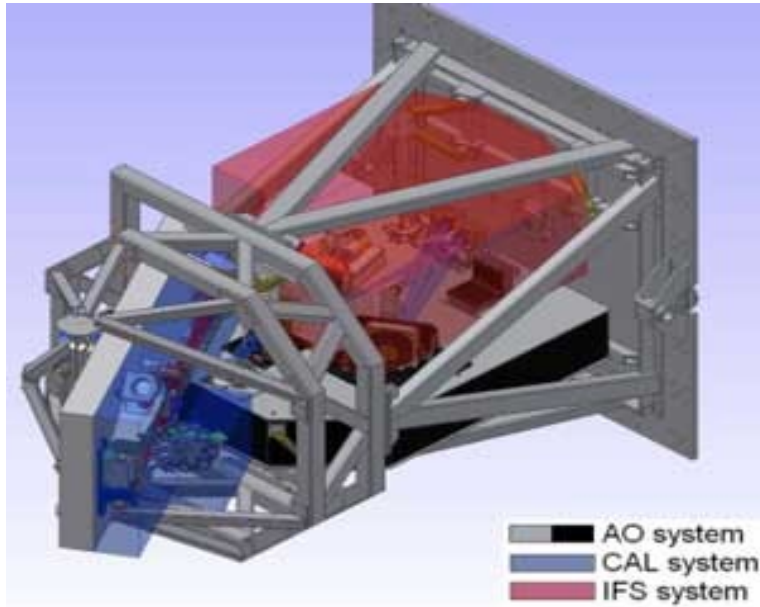
ExAO system + coronagraph

Highly stable bench

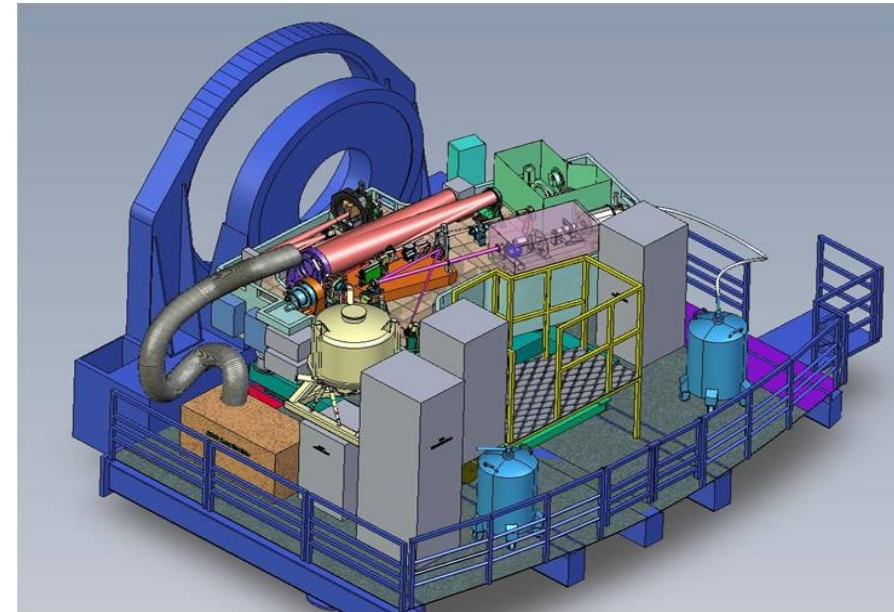
Includes Integral Field Spectrograph to help remove speckles and acquire spectra

Includes differential polarimetric imager

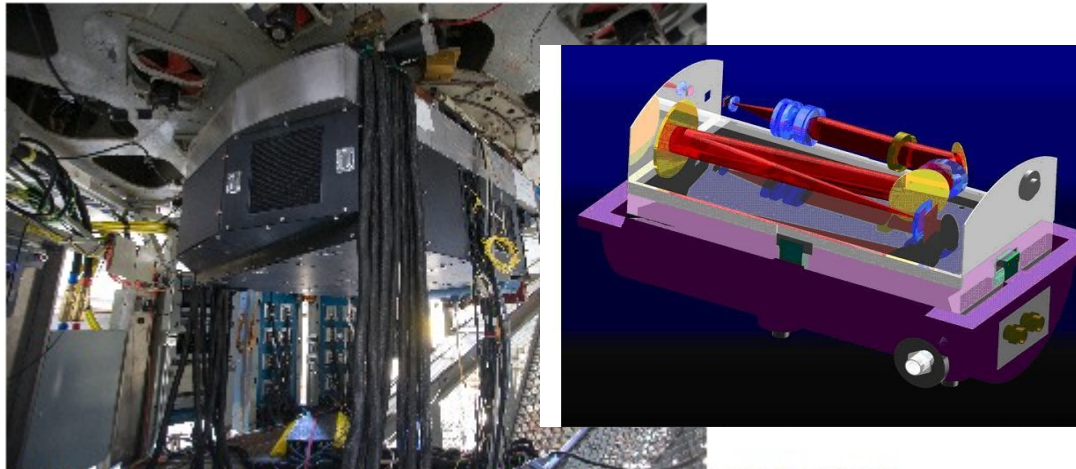
# Current and future high contrast systems - ground



Gemini Planet Imager

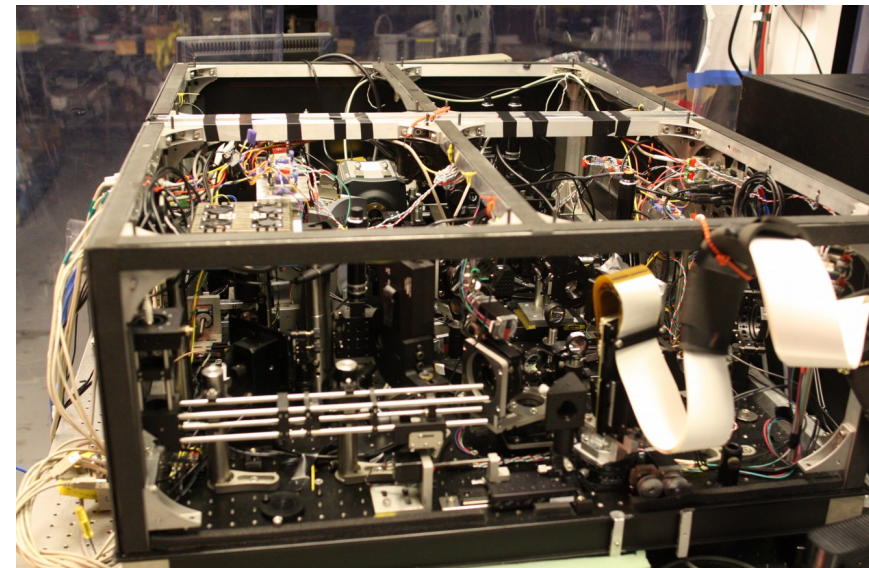


SPHERE (European Southern Observatory)



PALM-3000 installed at the Cass focus of the Hale Telescope at Palomar Mountain. Photo: Scott Kadel.

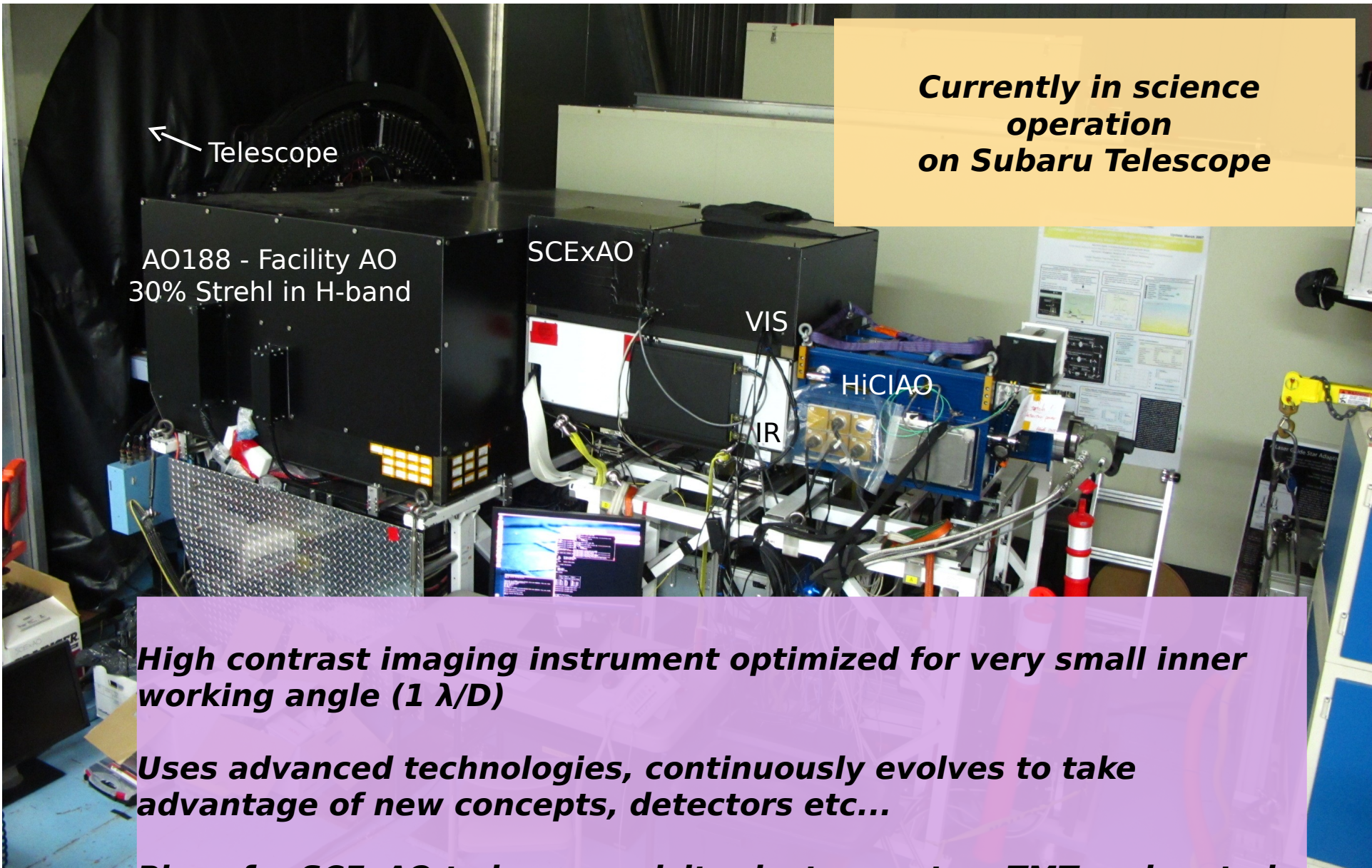
PALM3000/P1640 (Palomar 5-m Telescope)



Subaru Coronagraphic Extreme-AO



# Subaru Coronagraphic Extreme AO (SCExAO)



***Currently in science  
operation  
on Subaru Telescope***

***High contrast imaging instrument optimized for very small inner  
working angle ( $1 \lambda/D$ )***

***Uses advanced technologies, continuously evolves to take  
advantage of new concepts, detectors etc...***

***Plans for SCExAO to become visitor instrument on TMT under study  
→ will submit to TMT technical and scientific proposal***



## Wavefront sensing:

- Non-modulated pyramid WFS (VIS)
- Coronagraphic low order wavefront sensor (IR) for non-common tip/tilt errors
- Near-IR speckle control

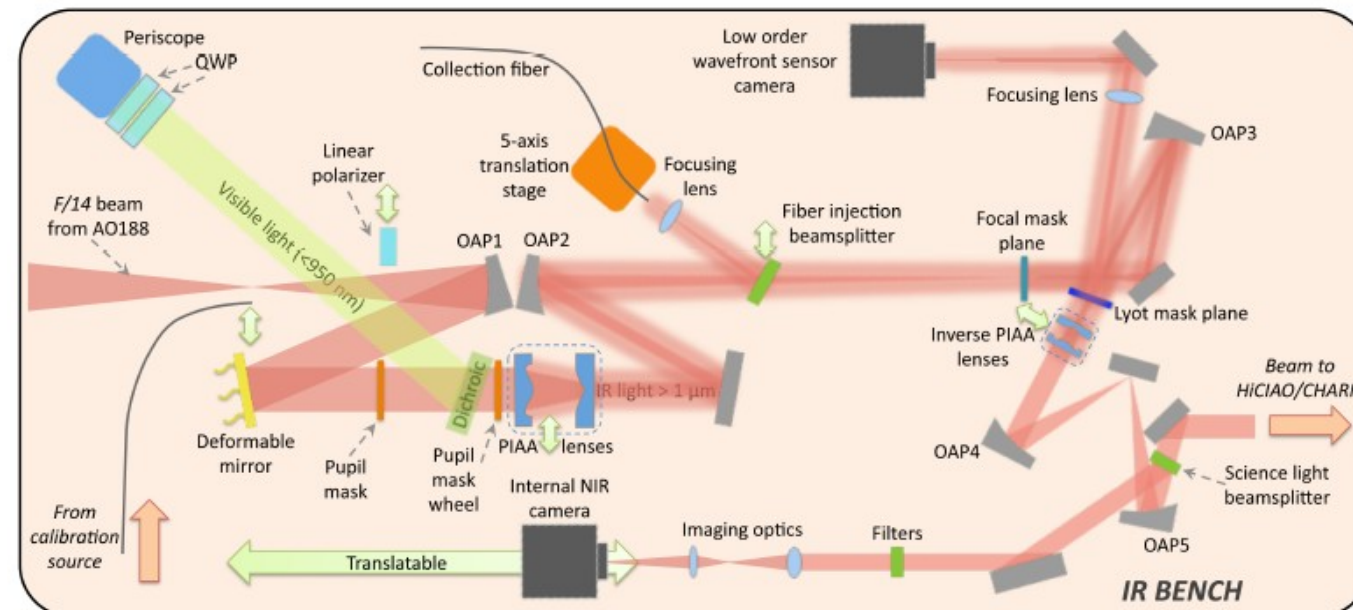
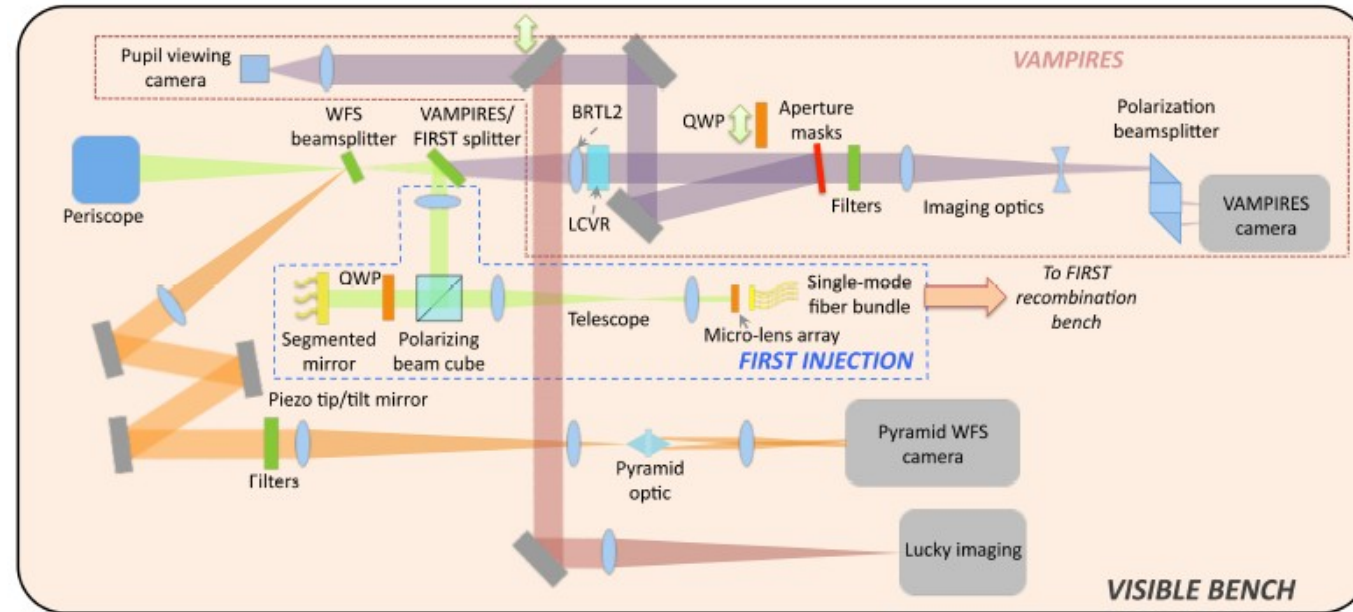
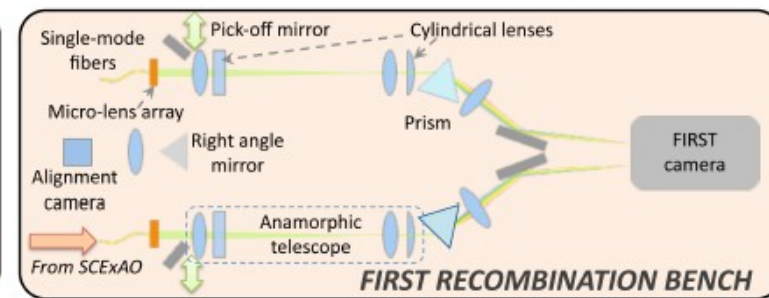
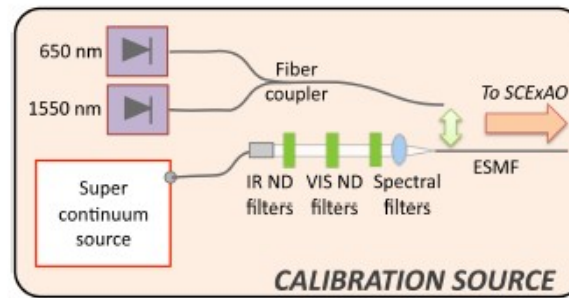
2k MEMS DM

Numerous **coronagraphs** – PIAA, Vector Vortex, 4QPM, 8OPM, shaped pupil (IR)

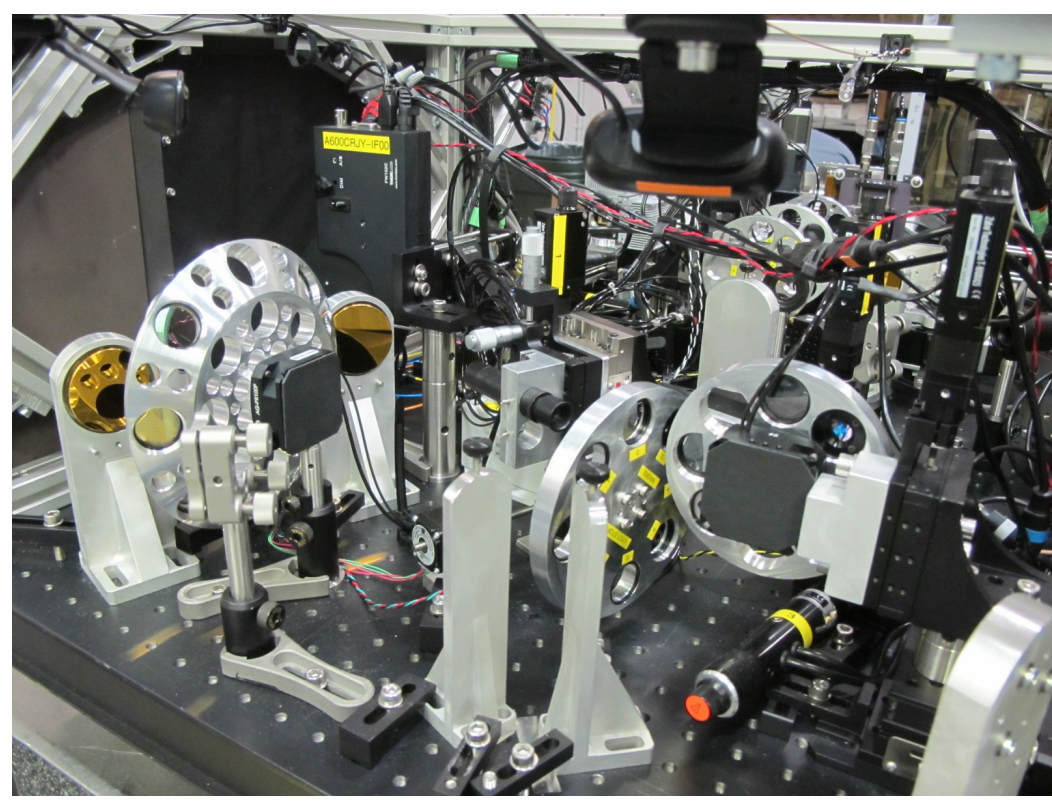
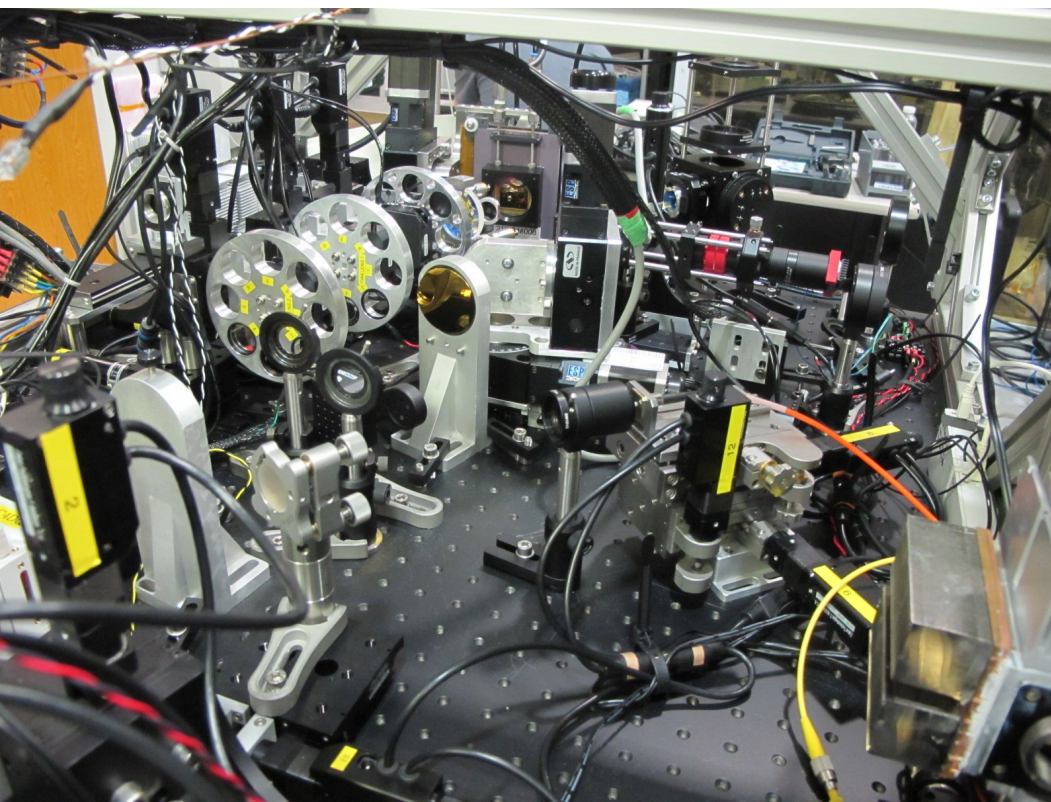
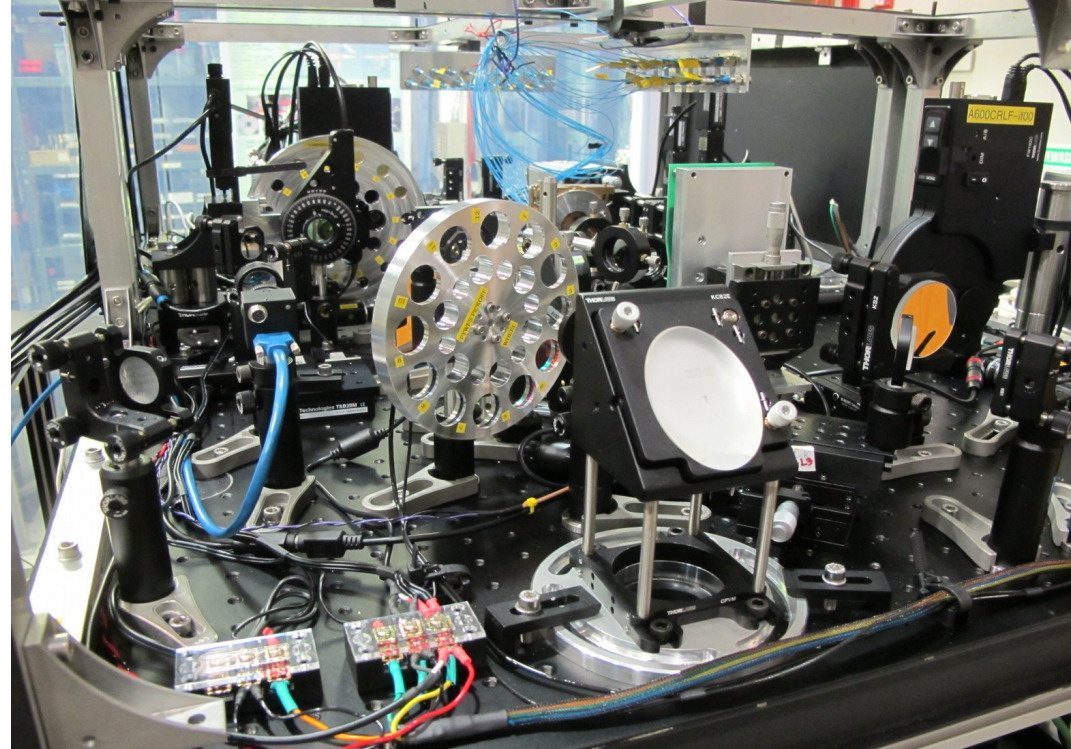
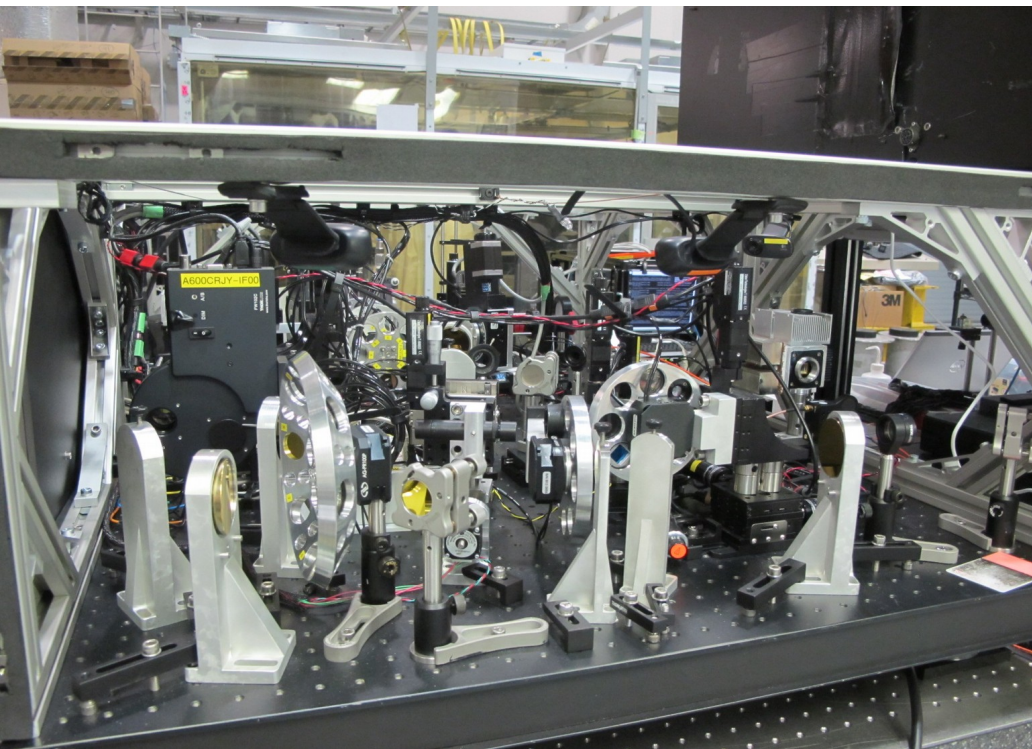
Visible Aperture Masking  
Polarimetric Interferometer for  
Resolving Exoplanetary Signatures  
(VAMPIRES) (VIS)

Fibred Imager for a Single  
Telescope (FIRST) (VIS)  
Fourier Lucky imaging (VIS)

Broadband diffraction limited  
internal cal. Source + phase  
turbulence simulator









# How SCExAO achieves high contrast

## (1) Small IWA, high throughput Coronagraphy

→ removes diffraction (Airy rings), transmits  $r > 1$  I/D region

## (2) Extreme-AO with fast diffraction-limited WFS

→ removes wavefront errors

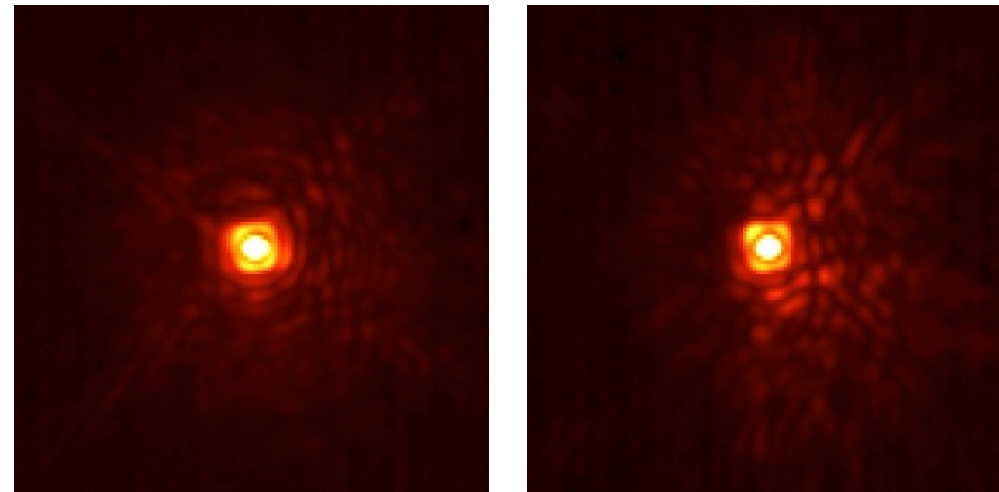
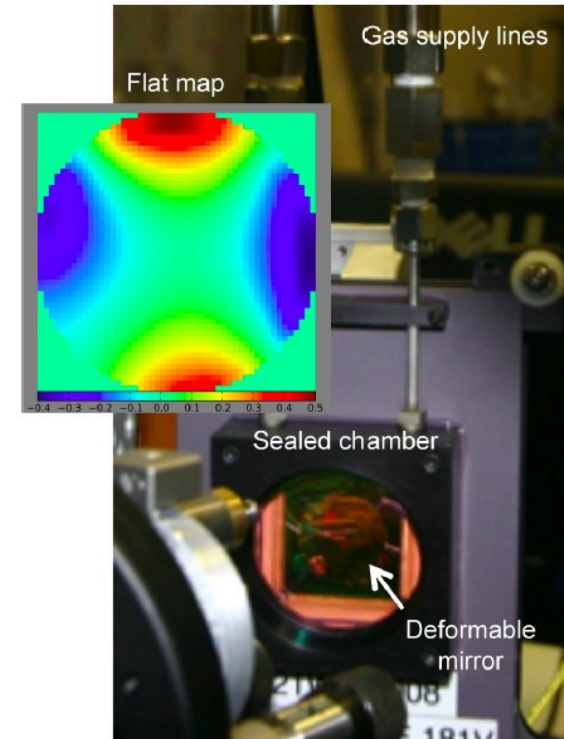
## (3) Near-IR LOWFS

→ keeps star centered on coronagraph and controls Focus, Astig, etc..

→ records residual WF errors to help process data

## (4) Fast Near-IR Speckle control

→ modulates, removes and calibrates residual speckles



Speckle nulling on-sky

# Wavefront control for High contrast imaging

## Ground-based systems

Residual speckle field is brighter than planets(s)

Systems often operate in **speckle noise limited regime**

→ calibrating speckles is extremely important

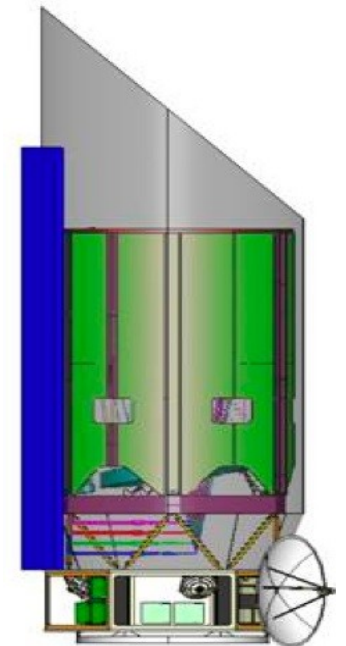
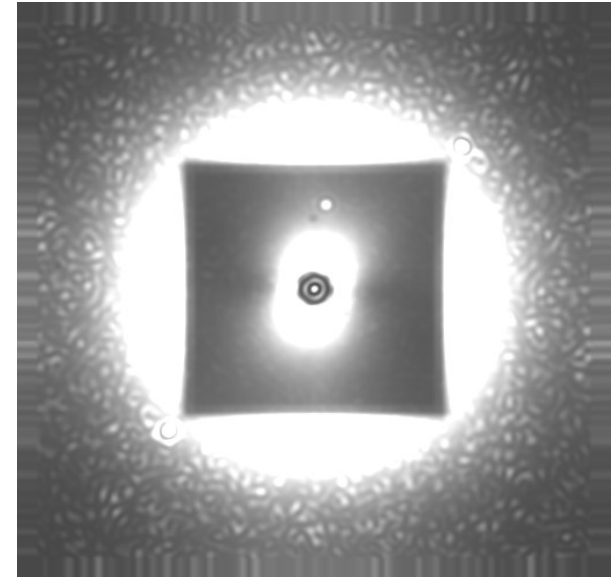
## Space-based ultra-high contrast systems

Detection is close to the **photon noise limit** of the planet(s)

→ speckles need to be reduced at or below the planet image surface brightness level

Wavefront control is essential, and differential imaging/calibration will not work if speckle halo is brighter than planet

→ need to build extremely stable system



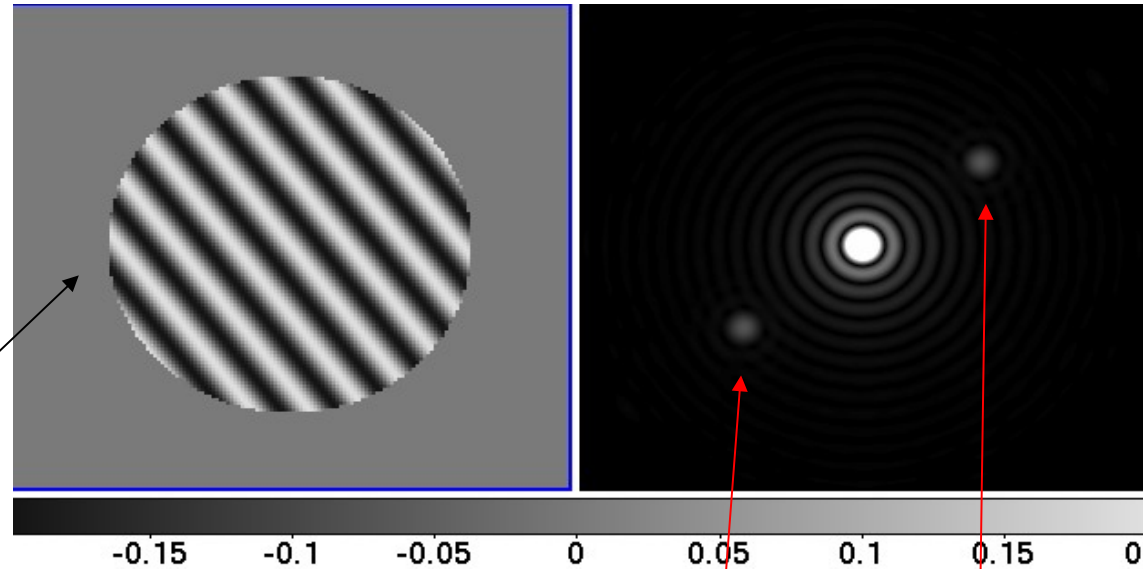
# Relationship between speckle and wavefront errors

pupil plane complex amplitude

$$W(\vec{u}) = \mathcal{A}(\vec{u}) e^{i\phi(\vec{u})}$$

Cosine aberration in pupil phase

$$\phi(\vec{u}) = \frac{2\pi h}{\lambda} \cos(2\pi \vec{f} \vec{u} + \theta)$$



$$I(\vec{\alpha}) = PSF(\vec{\alpha}) + \left(\frac{\pi h}{\lambda}\right)^2 [PSF(\vec{\alpha} + \vec{f}\lambda) + PSF(\vec{\alpha} - \vec{f}\lambda)]$$

## EXAMPLE:

Earth-like planet around Sun-like star is  $\sim 1e-10$  contrast  
In visible light,  $h=1.6e-12$  m (0.0012 nm) =  $1e-10$  speckle

$1e-10$  speckle (or  $1e-10$  contrast planet) around Sun at 10pc = 0.1 ph/sec/m<sup>2</sup>/um

On a 4-m telescope, with 10% efficiency and a 0.5 um spectral band:

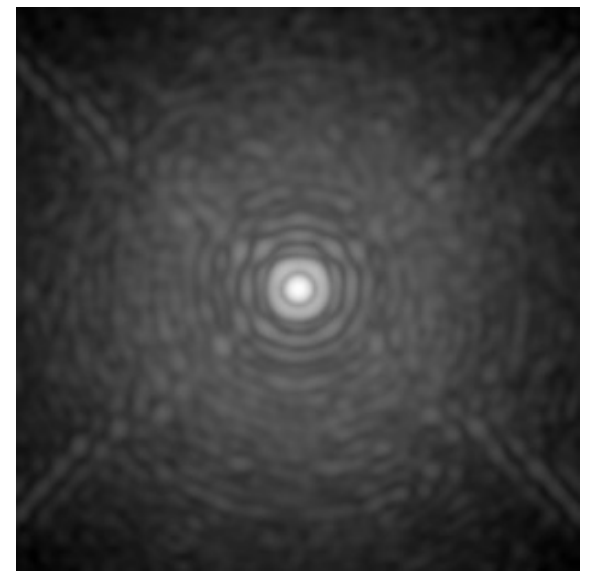
Earth = 0.6 ph/sec

To measure phase and amplitude of speckle requires  $\sim 10$  photon

10 photon = 16 sec

→ **This spatial frequency needs to be stable to 1/1000 nm over  $\sim$  minute**

# Focal plane AO and speckle calibration



Use Deformable Mirror (DM) to add speckles

**SENSING**: Put “test speckles” to measure speckles in the image, watch how they interfere

**CORRECTION**: Put “anti speckles” on top of “speckles” to have destructive interference between the two (Electric Field Conjugation, Give’on et al 2007)

**CALIBRATION**: If there is a real planet (and not a speckle) it will not interfere with the test speckles

Fundamental advantage:

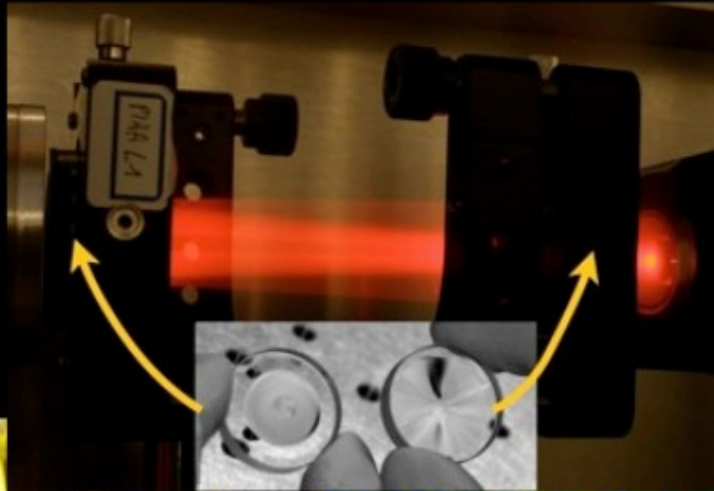
Uses science detector for wavefront sensing:

“What you see is EXACTLY what needs to be removed / calibrated”

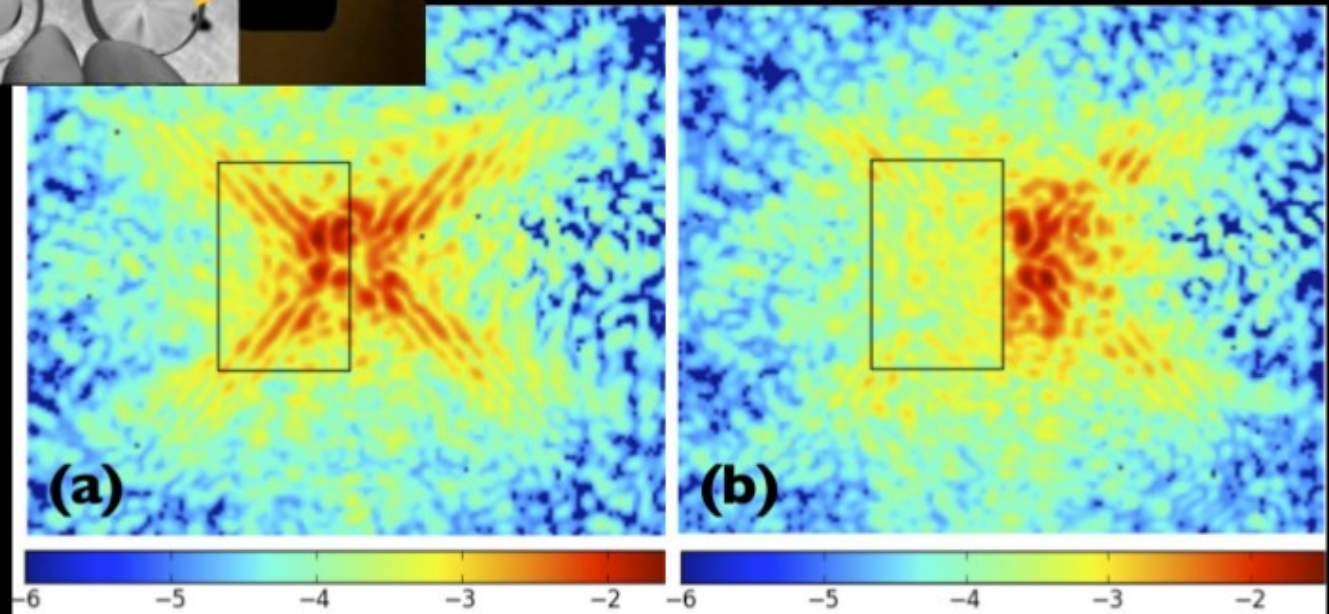
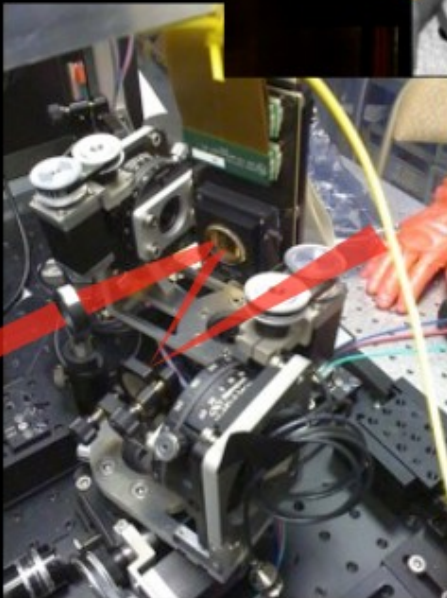


# Active speckle control (Martinache et. al)

Active MEMS DM to replace a **passive ADI approach** at small angular separation



Taking advantage of the full **PIAA - focal plane mask - PIAA<sup>-1</sup>** optical configuration



SCEXAO's PIAA coronagraph permits speckle control from 1.5 to 14  $\lambda/D$

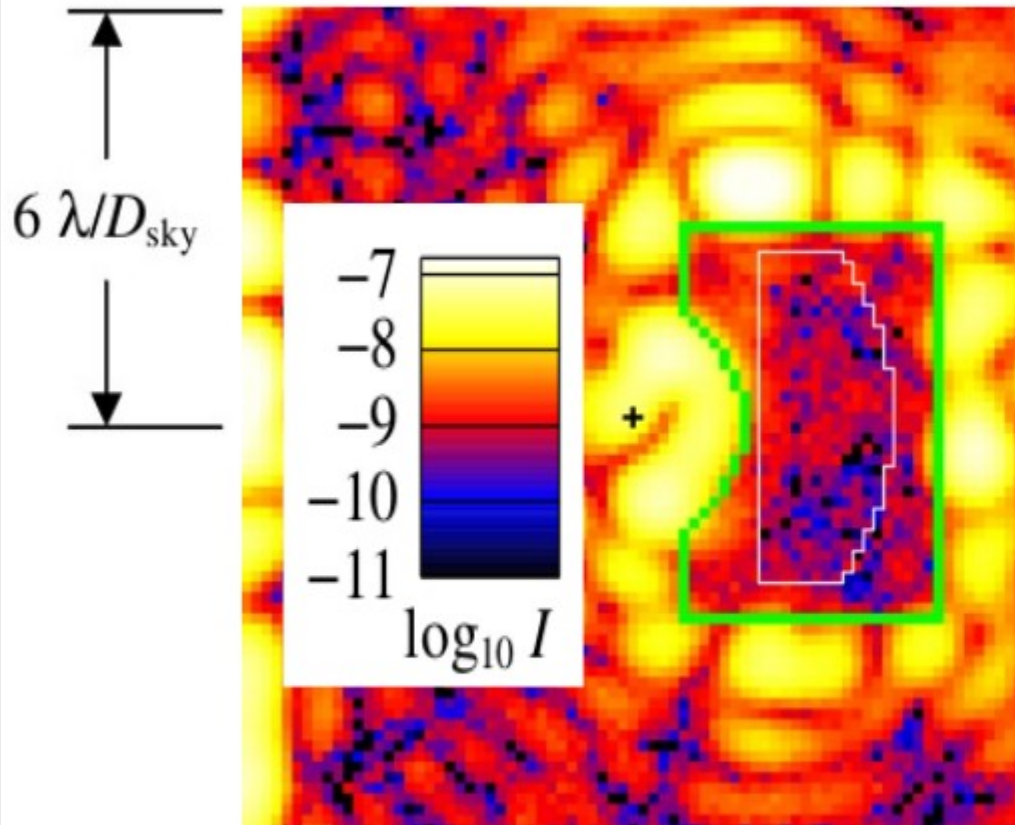
Raw contrast  $\sim 3e-4$  inside the DM control region

*Martinache et al, 2012, PASP, 124, 1288*

# High contrast images obtained in NASA labs

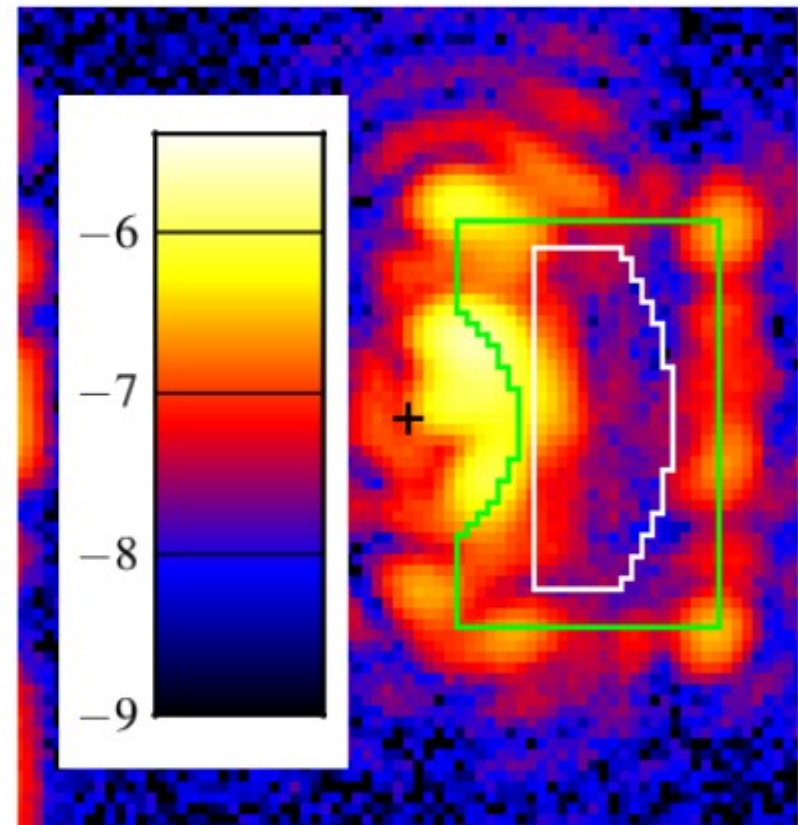
## Example: PIAA coronagraph lab results

Monochromatic light (800nm, vacuum)



3 runs, contrast values averaged from 2 to  $4 \lambda/D$  between  $5.10^{-10}$  to  $9.10^{-10}$   
(figure shows  $7.3.10^{-10}$  result)

7.5% wide band (770 – 830 nm, in air)



$5.10^{-8}$  contrast from 2 to  $4 \lambda/D$ ,  
 $2.10^{-8}$  contrast from 3 to  $4 \lambda/D$   
Contrast performance limited by wavefront instability (test in air)

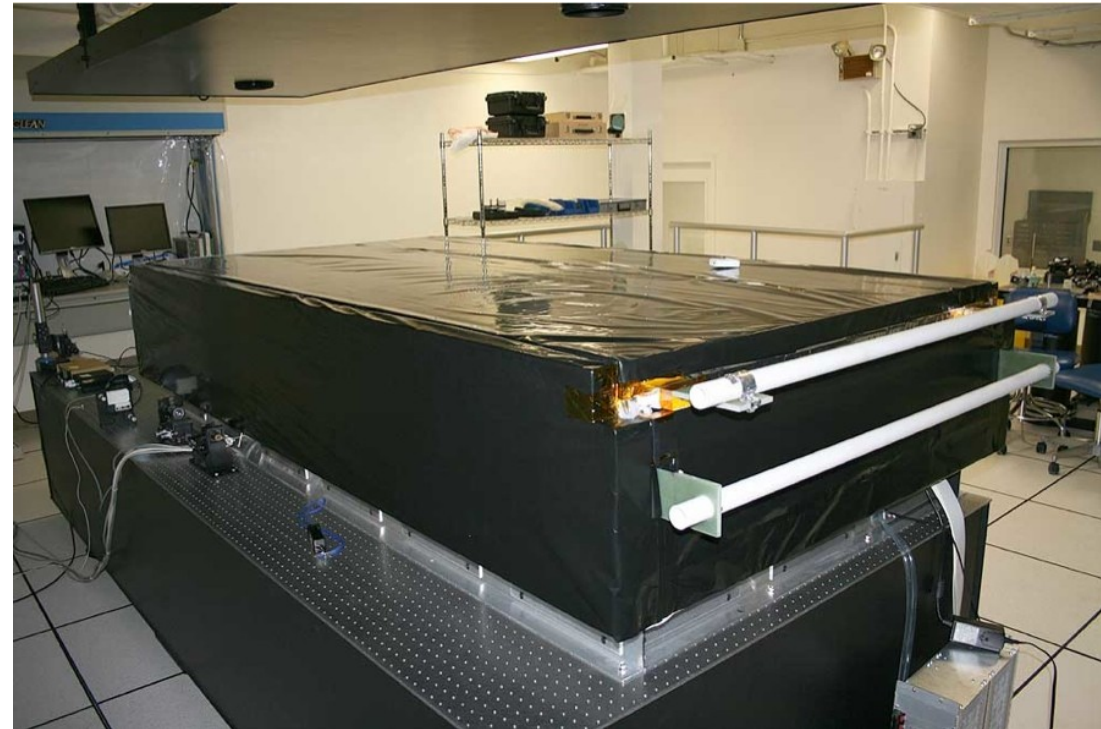


# Coronagraphy testbeds for high contrast ( $< 1e-8$ ) work need to achieve high stability

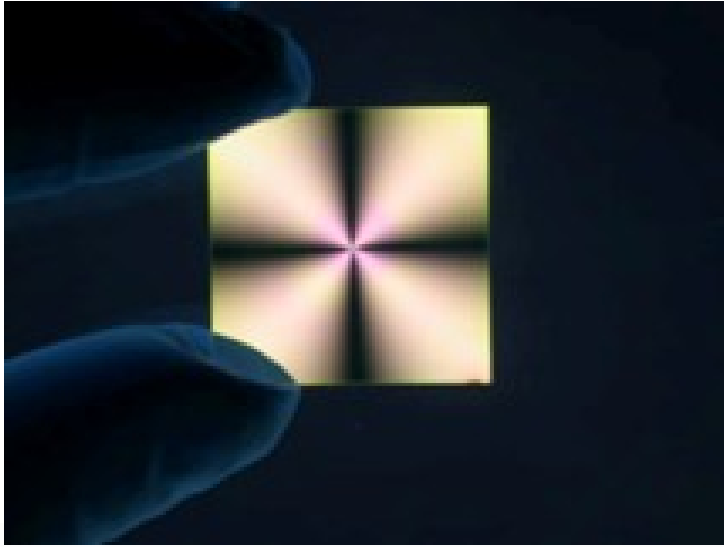
*High Contrast Imaging Testbed (HCIT) is a vacuum facility at NASA JPL*



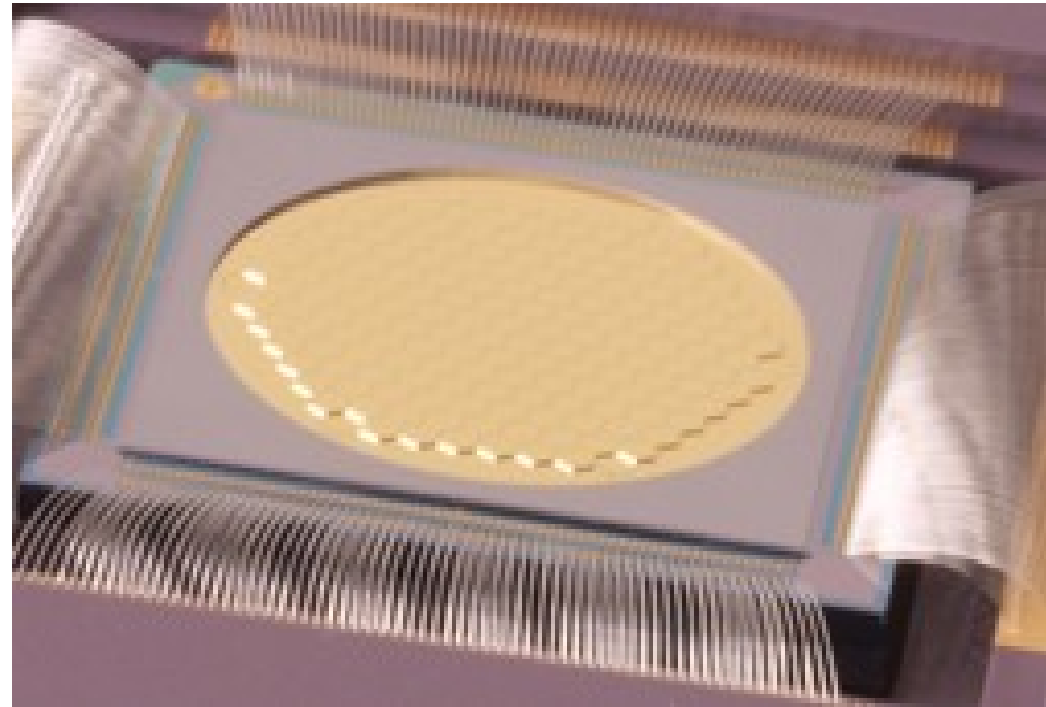
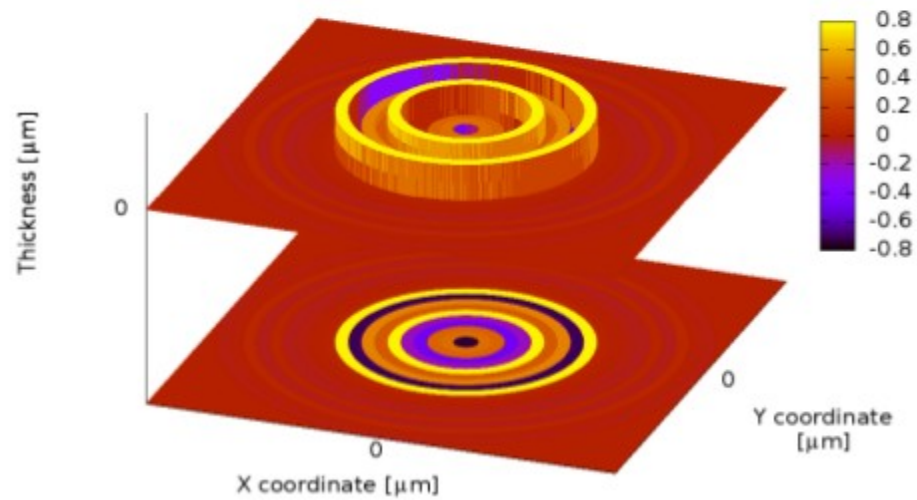
*NASA Ames testing PIAA coronagraph / WFC architectures & MEMs DMs.*



# Technology: components



PIAACMC optimized focal plane mask  
F/20 beam, 10% bandwidth around  $0.5\ \mu\text{m}$   
 $\text{SiO}_2$ , 20 zones,  $4\ \mu\text{m}$  max deviation

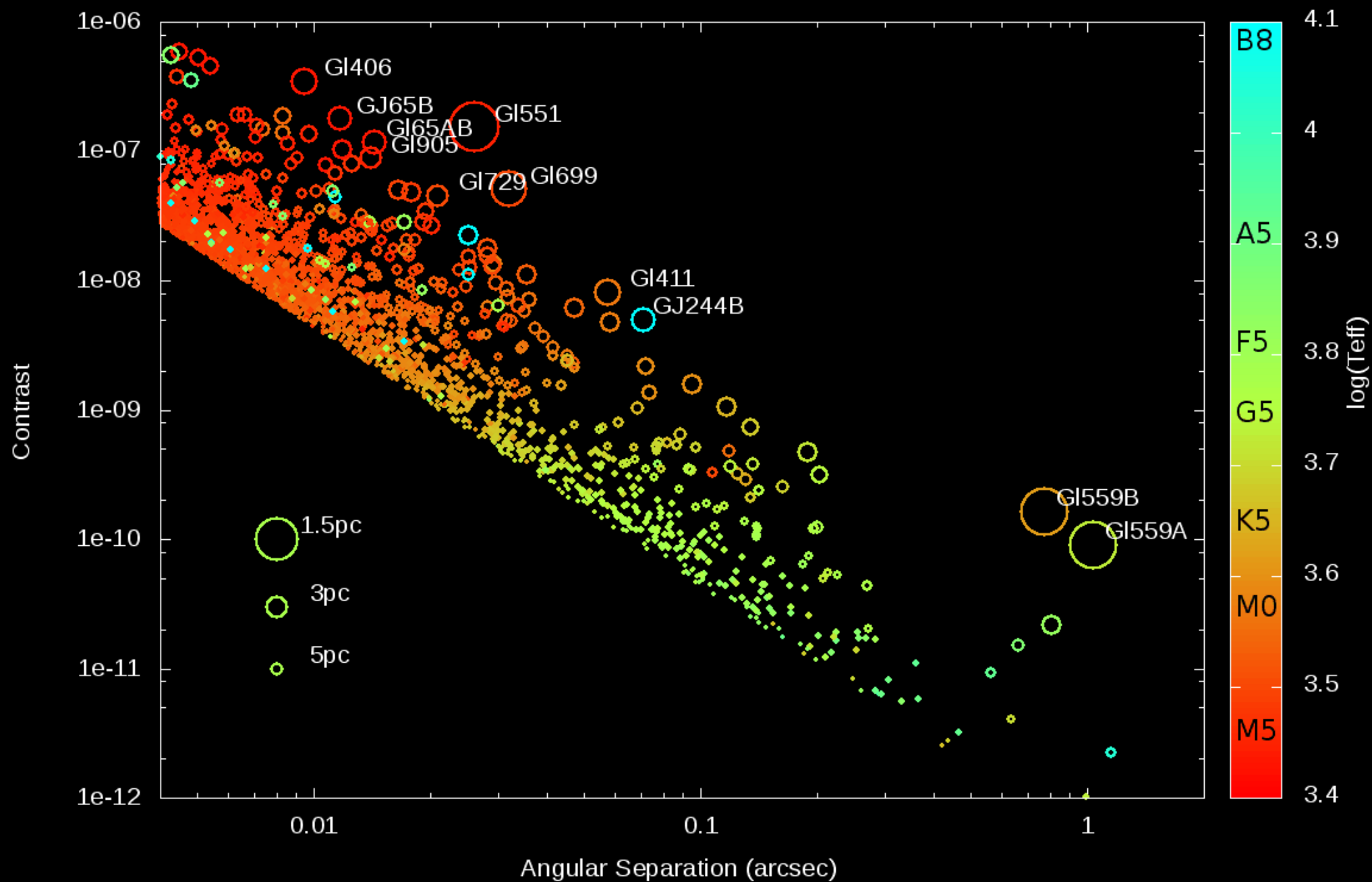


# **Habitable planet imaging: Scientific opportunities**

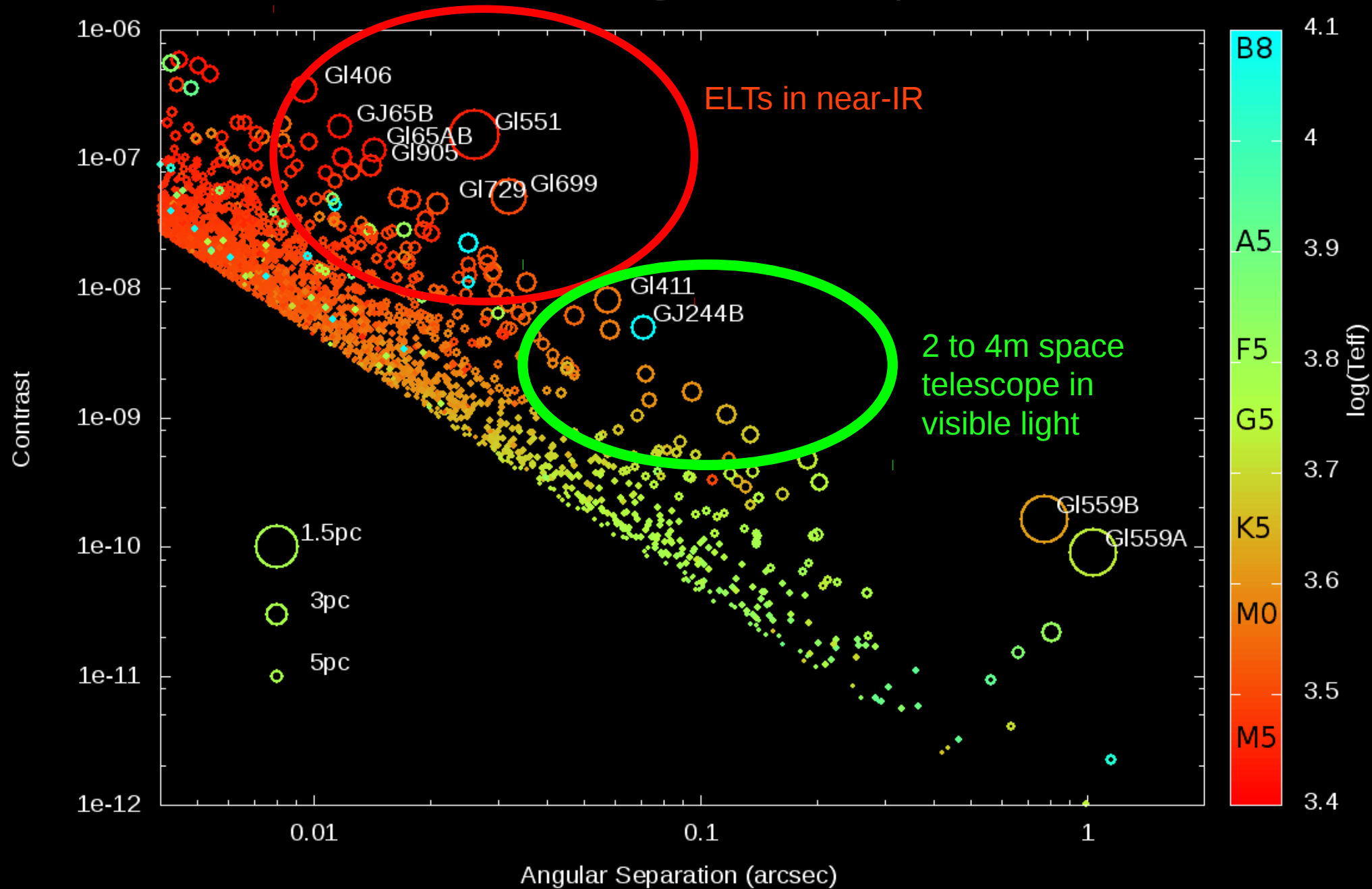
Space allows access to very high contrast (no atmosphere), but aperture size is limited

Ground-based telescopes can be very large ( $\sim 30\text{m}$ ), but the contrast is limited due to atmosphere

# Exo-Earth targets within 20 pc



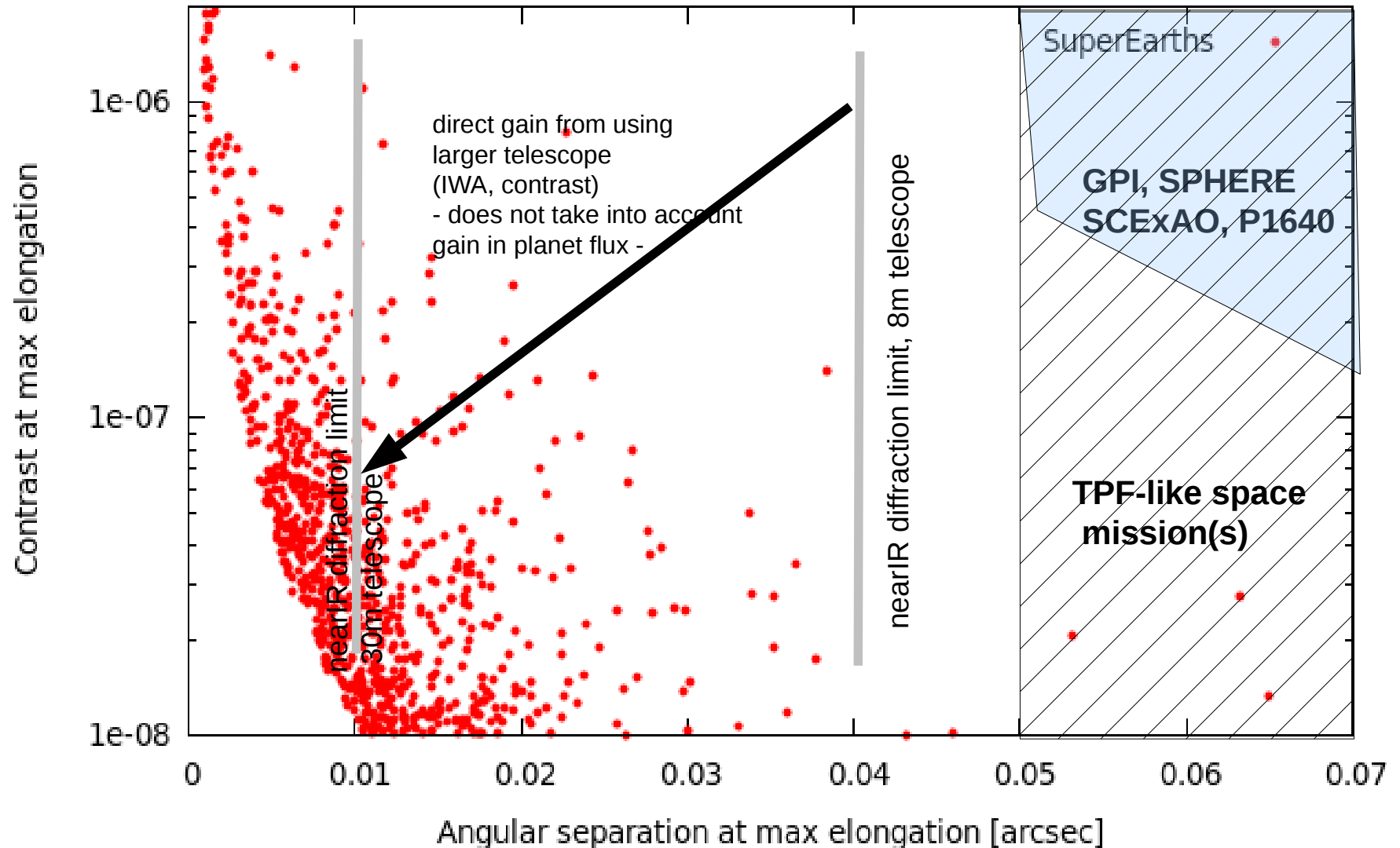
# Exo-Earth targets within 20 pc



# Reflected light planets

Assuming that each star has a SuperEarth (2x Earth diameter) at the 1AU equivalent HZ distance

(assumes Earth albedo, contrast and separation for max elongation)





# Proxima Centauri



Sun

Alpha Centauri A

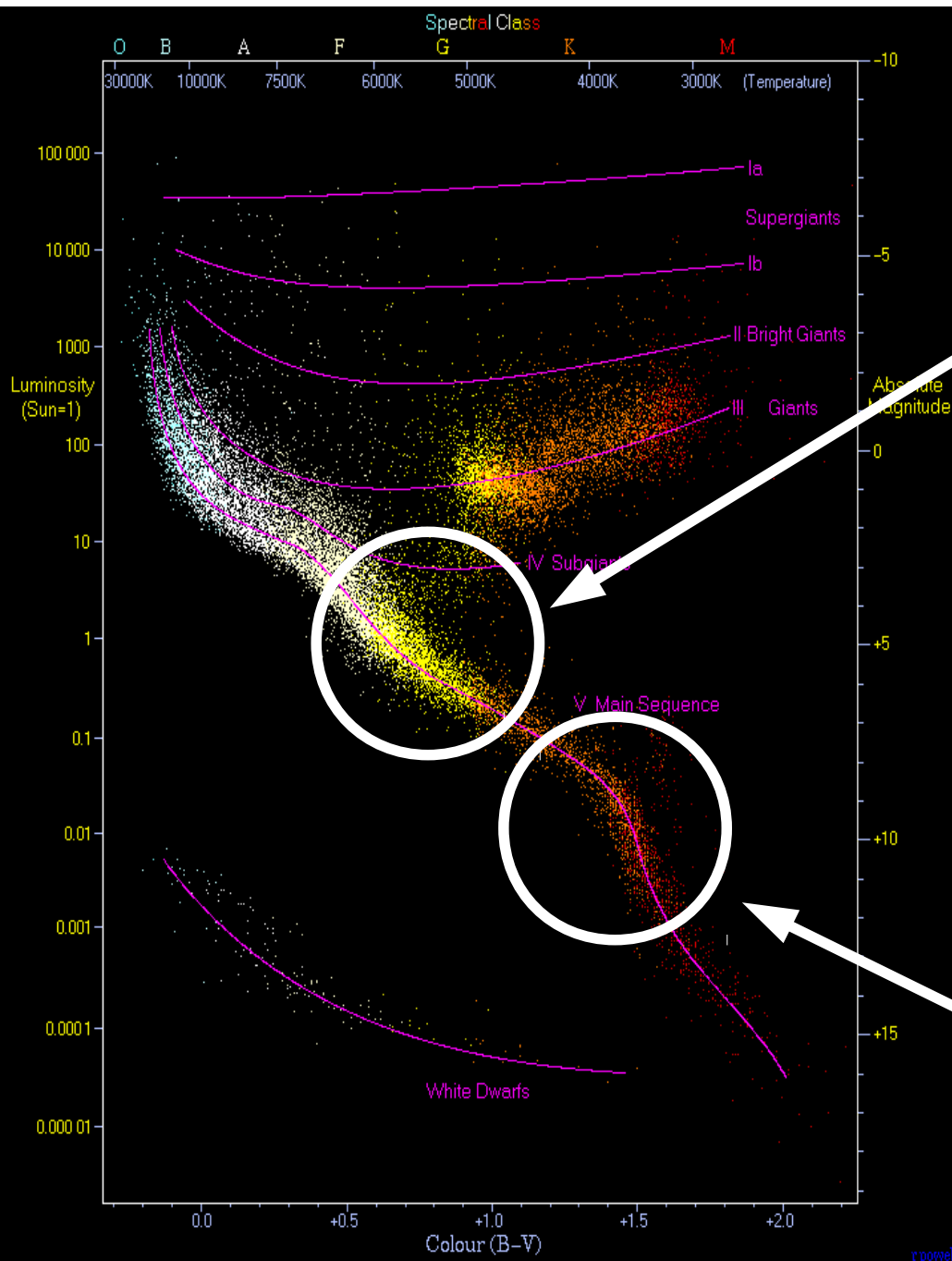
Alpha Centauri B



Proxima Centauri



# Imaging habitable planets from space and ground



----- Space -----

Habitable planets can be imaged around nearby Sun-like stars with ~4m telescope

----- Ground -----

Next generation of 30-m telescopes will image habitable planets around nearby low-mass stars