

Anisotropy Analysis of Spin Vector Distribution in the HSC Survey Volumes

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Aim: Is the observed spin distribution of galaxies random?

Data: HSC Wide Spin Catalogues (Tadaki+2020)

3D distribution of 15757 spiral winding S/Z annotations

(independent and complementary to intrinsic shape analysis)

Methods: Number Asymmetry Analysis for Searched Spheres

Correlation Analysis (TBD)

- Galaxy image database : **SDSS, Pan Starrs**, DES, ESO DSS, **HSC**
- **Judgement of spiral winding (S or Z): Eye Tutorial=>AI=>Eye check**
- **Distance (15767 spec-z, 37968 PSF fillers TBD)**

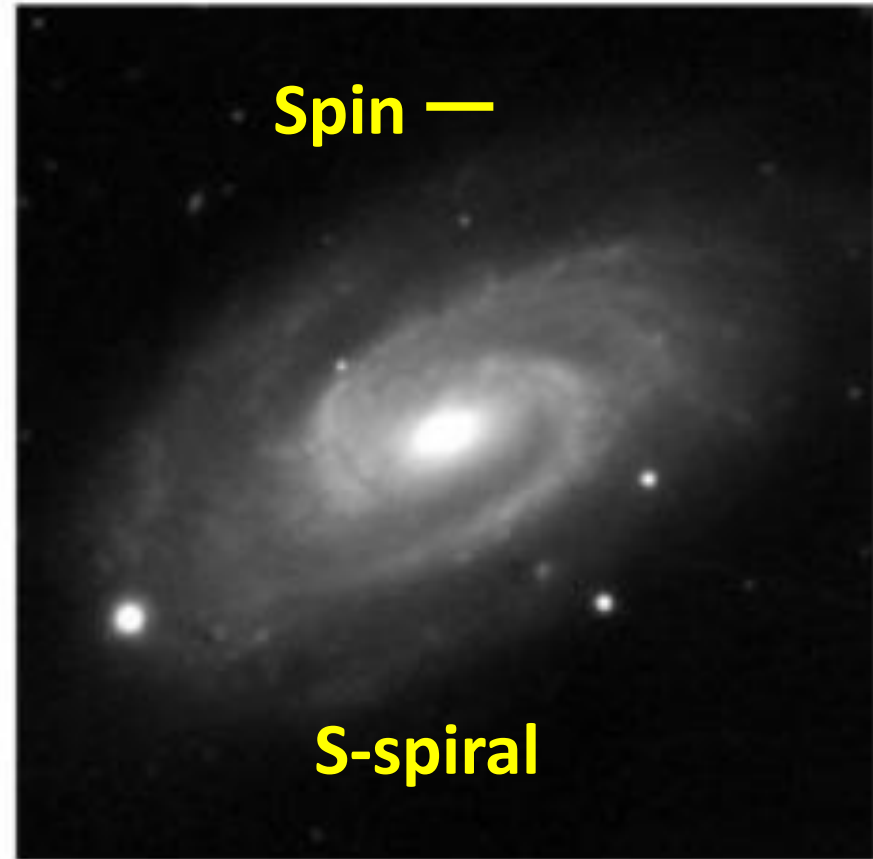
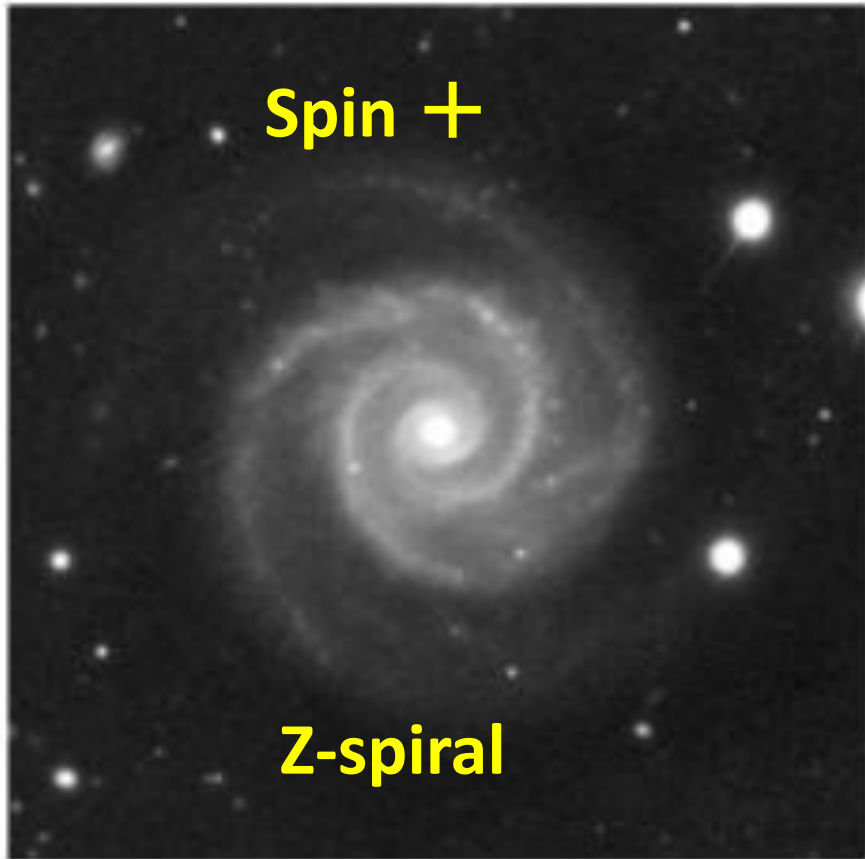
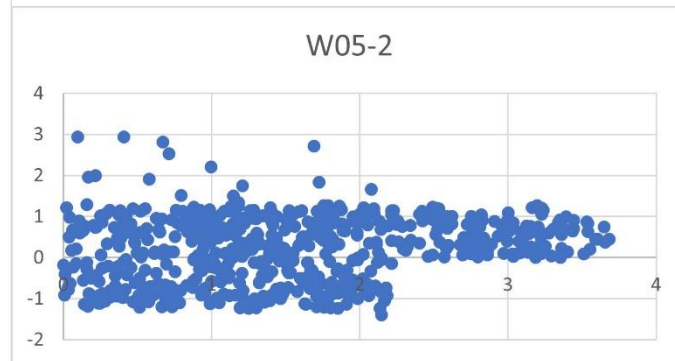
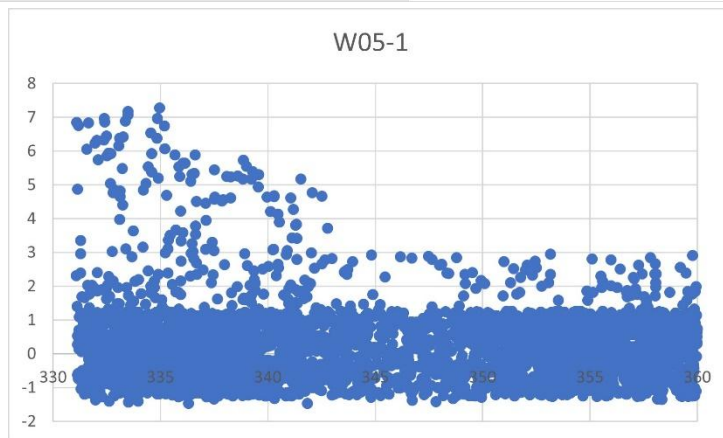
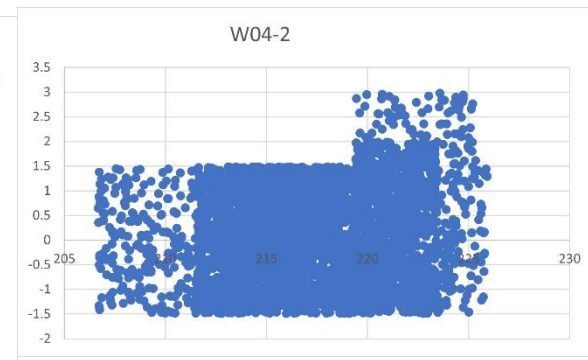
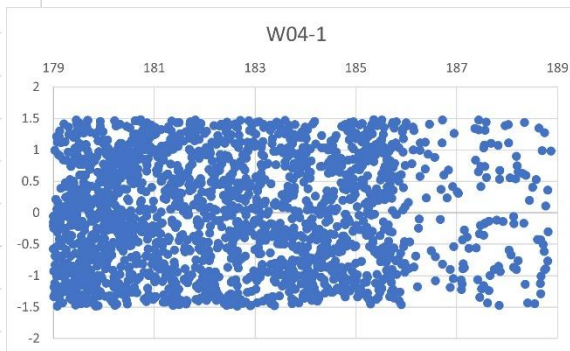
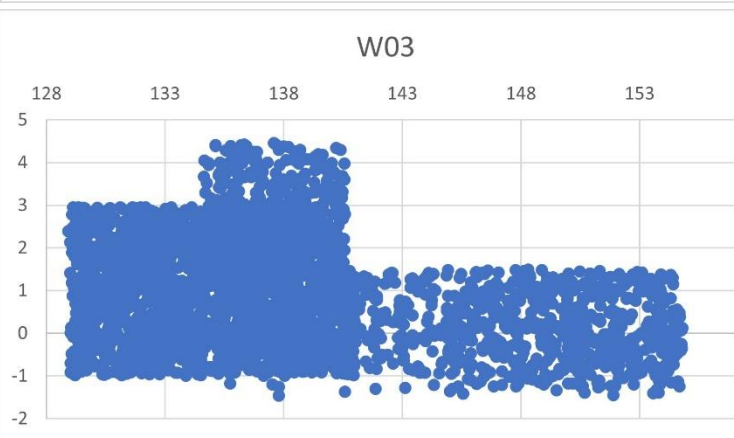
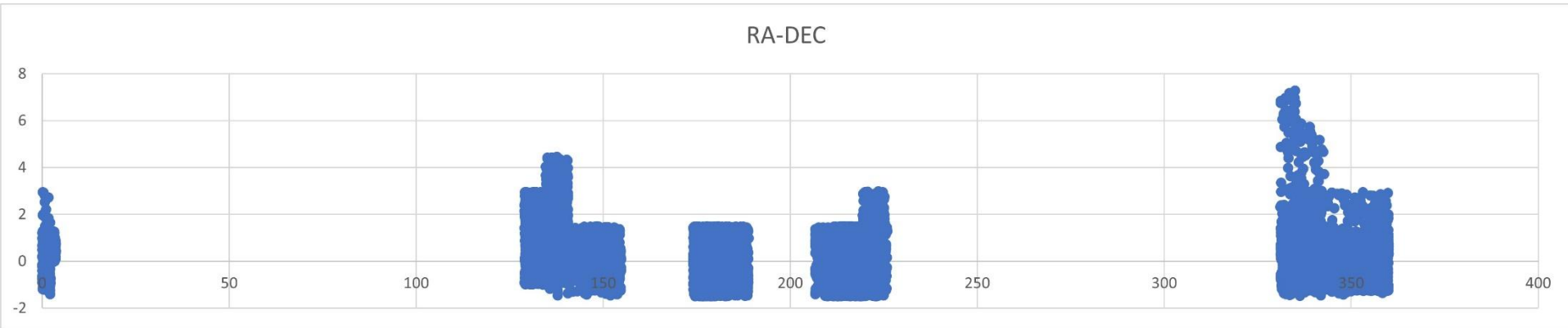
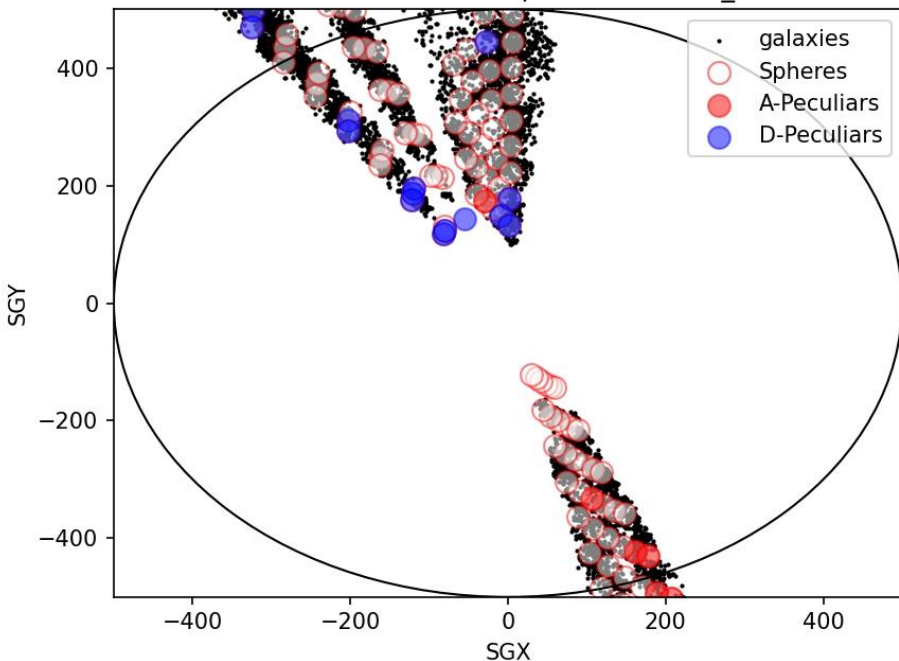


Figure 1. Examples of Z(left), S(center), and inside Z

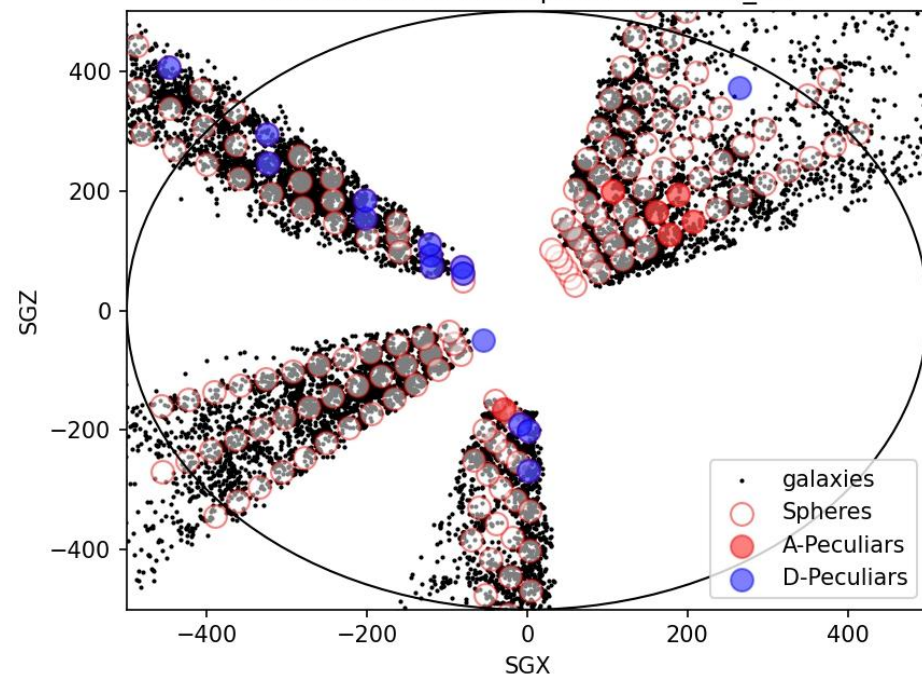
HSC Wide Regions



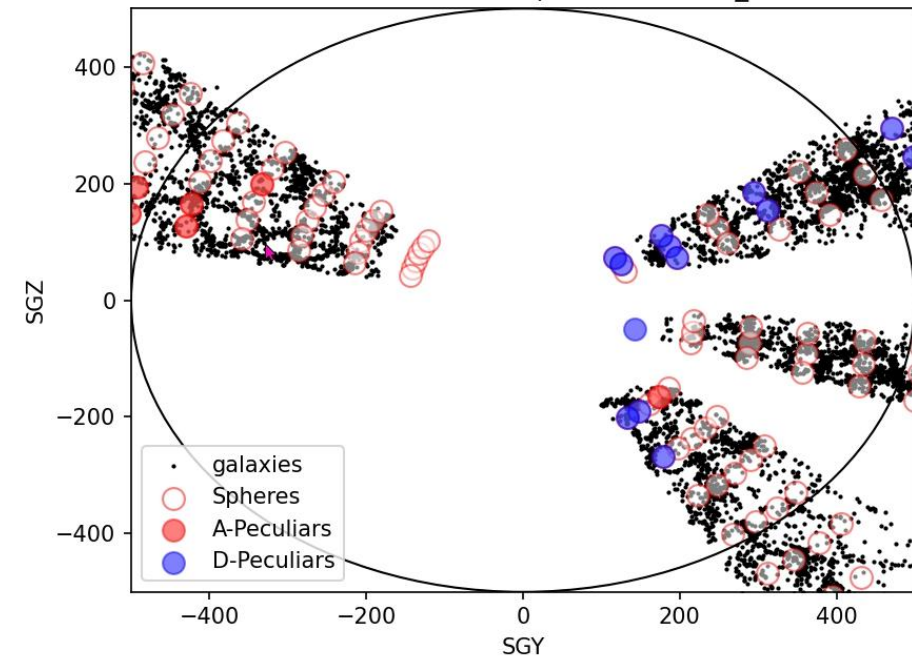
Distribution of HSC spirals in HSCall_XY



Distribution of HSC spirals in HSCall_XZ



Distribution of HSC spirals in HSCall_YZ



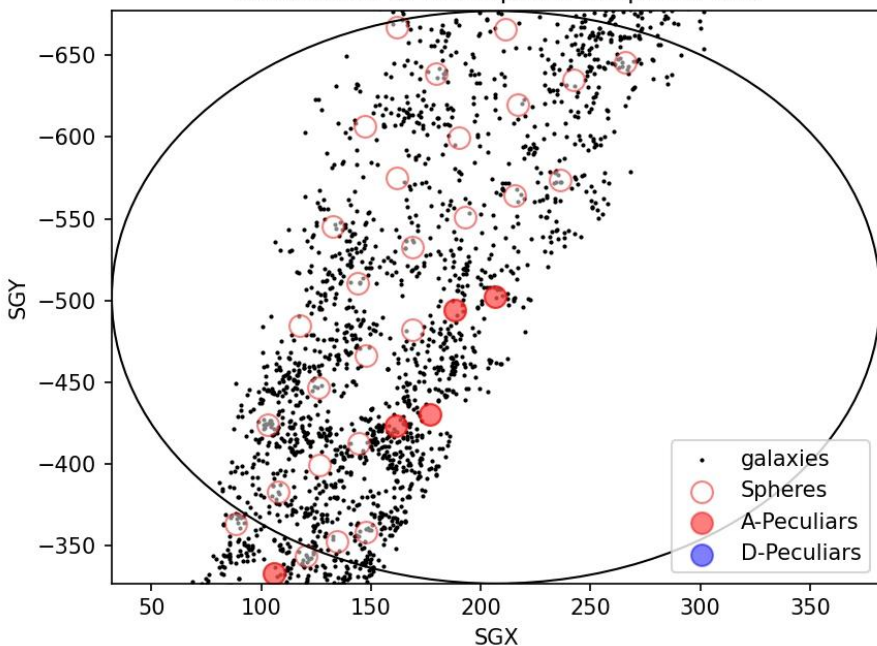
$$A = \{n(S) - n(Z)\} / \{n(S) + n(Z)\},$$

$$\sigma A = \{n(S) - n(Z)\} / \sqrt{n(S) + n(Z)}$$

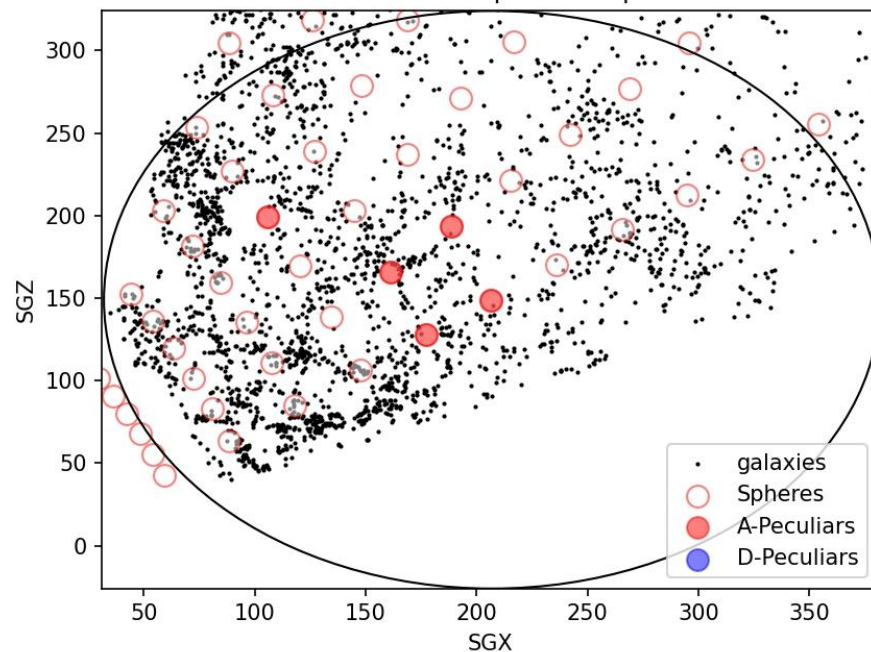
187 searched sphere centers
with radius 20~200Mpc

Red spheres : $|\sigma A| > 3$

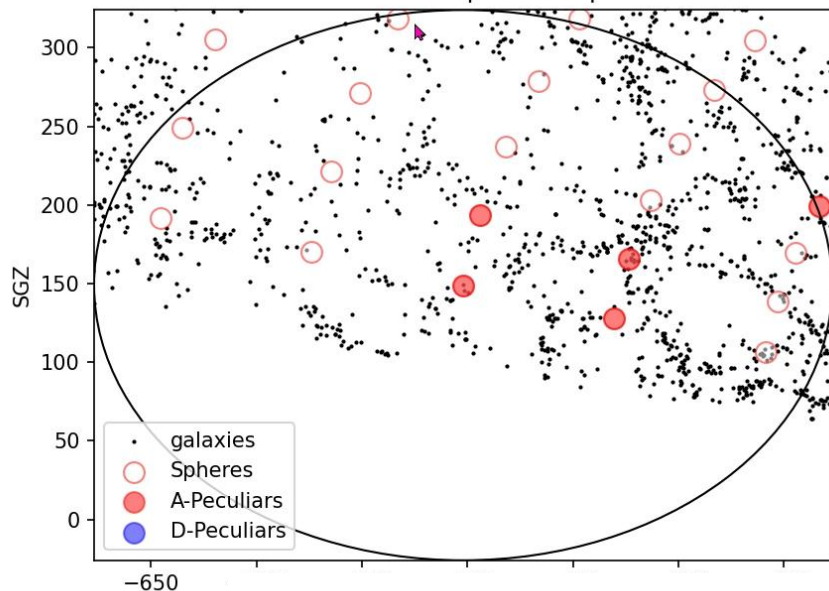
Distribution of HSC spirals in Sphere 625



Distribution of HSC spirals in Sphere 625



Distribution of HSC spirals in Sphere 625



SphereID652_SA
 $R=175\text{Mpc}$, $n(\text{all})=887$
 $N(\text{S})=499$, $n(\text{Z})=388$,
 $A=0.125$, $\sigma A=3.727$

Regions with spin asymmetry appear connected.

13/187 regions identified with $|\sigma A_e| > 3$
 => Have we discovered anisotropy?

sphere	RA	DEC	ns	nz	nall	nflip	sigDE	sigDF	sigD	asymA	sigma	flirate	proE	thetaE	proF	thetaF
652	-2.1	0.311	499	388	887	329	1.859	2.476	1.867	0.125	3.727	0.371	0.94	19.88	-0.38	112.5
378	-2.1	0.311	568	454	1022	366	1.223	2.549	0.419	0.112	3.566	0.358	0.843	32.49	-0.5	119.8
2275	-7.1	0.311	372	285	657	368	0.197	2.948	-1.92	0.132	3.394	0.56	-0.19	100.8	-0.4	113.3
1199	-2.1	0.311	498	397	895	392	0.676	2.783	-0.83	0.113	3.376	0.438	0.544	57.06	0.239	76.16
2001	-7.1	0.311	391	305	696	386	0.2	2.882	-1.91	0.124	3.26	0.555	0.018	88.99	-0.43	115.3
651	-2.1	0.311	637	526	1163	497	0.466	2.368	-1.31	0.095	3.255	0.427	0.316	71.55	0.143	81.78
1473	-2.1	0.311	422	335	757	320	0.461	2.438	-1.32	0.115	3.162	0.423	0.797	37.15	0.154	81.15
925	-2.1	0.311	572	471	1043	461	0.514	2.44	-1.2	0.097	3.127	0.442	0.662	48.55	0.281	73.71
1727	-7.1	0.311	438	351	789	422	0.395	2.498	-1.47	0.11	3.097	0.535	0.789	37.9	-0.54	122.6
84	-7.1	0.311	797	679	1476	677	0.931	2.12	-0.25	0.08	3.071	0.459	0.988	8.897	-0.38	112.2
632	-7.1	0.311	624	521	1145	580	0.909	2.292	-0.3	0.09	3.044	0.507	0.945	19.08	-0.28	106.5
4429	-17.1	0.311	201	145	346	147	1.159	2.58	0.273	0.162	3.011	0.425	0.564	55.64	-0.88	151.2
5629	148.3	0.984	90	54	144	114	1.745	2.136	1.607	0.25	3	0.792	0.315	71.66	-0.05	92.94

Analysis Outline of HSC volumes

- Use 76355 (S/Z) data of Tadaki+2020 for 4 HSC WIDE regions
- distributed in 4 fan beam regions up to 1 Gpc
of which 15757 are with spec-z
- 58449 photo-z samples to be measured as PFS Fillers
Distance = cz (for $z < 0.3$)
- Set up 275 Searched Spheres at 80.4Mpc ($dz=0.02$) step and corresponding steps in RA & Dec. *Search radius 20 ~200 Mpc.*
- Count $n(S)$, $n(Z)$ and calculate A and sigma.
- 187 spheres contained more than 100 spirals with known S/Z
- 13 spheres in 3 groups with 3σ anisotropy in sigmaA.
- $P(\sigma_A > 3) = 0.003$
- Inconsistent with random distribution?

S/Z correlation functions

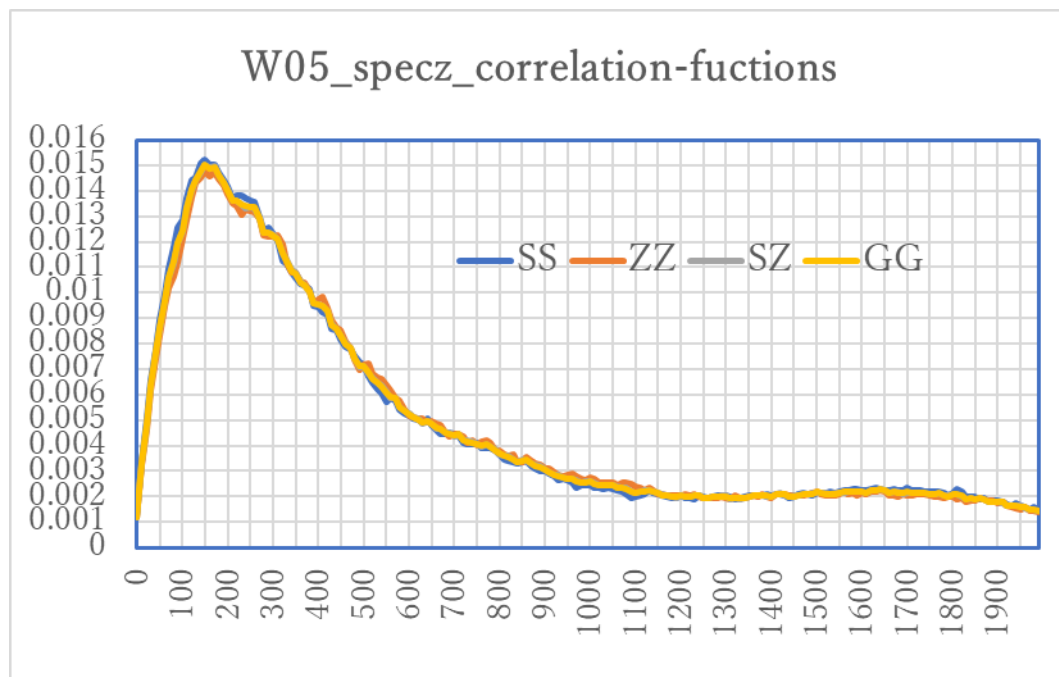
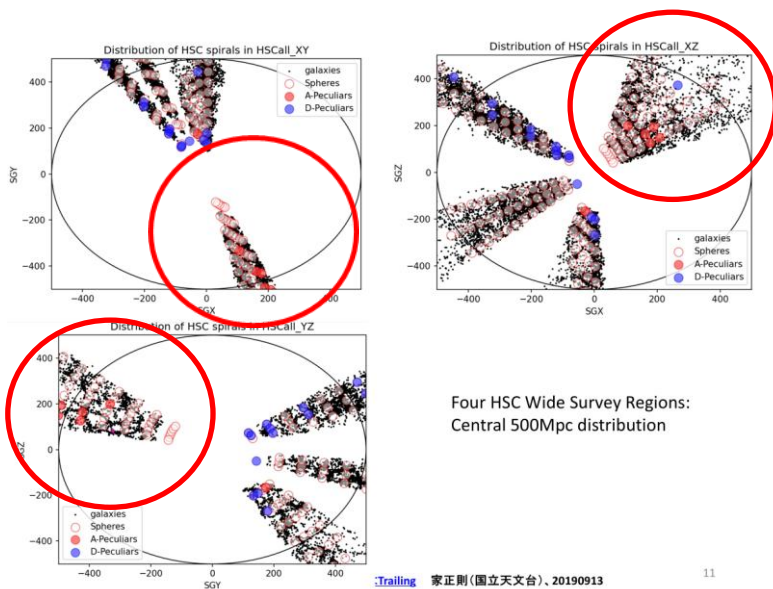
before normalization by random samples

HSC PDR2 W05 Specz sample (RA width 26deg, Dec width 3deg, Distance<3360Mpc)
(SGX, SGY, SGZ) for S-spiral:2206, Z-spiral:2021, G-total:4227 galaxies

Is there a standard cosmological model adopted for HSC analysis?

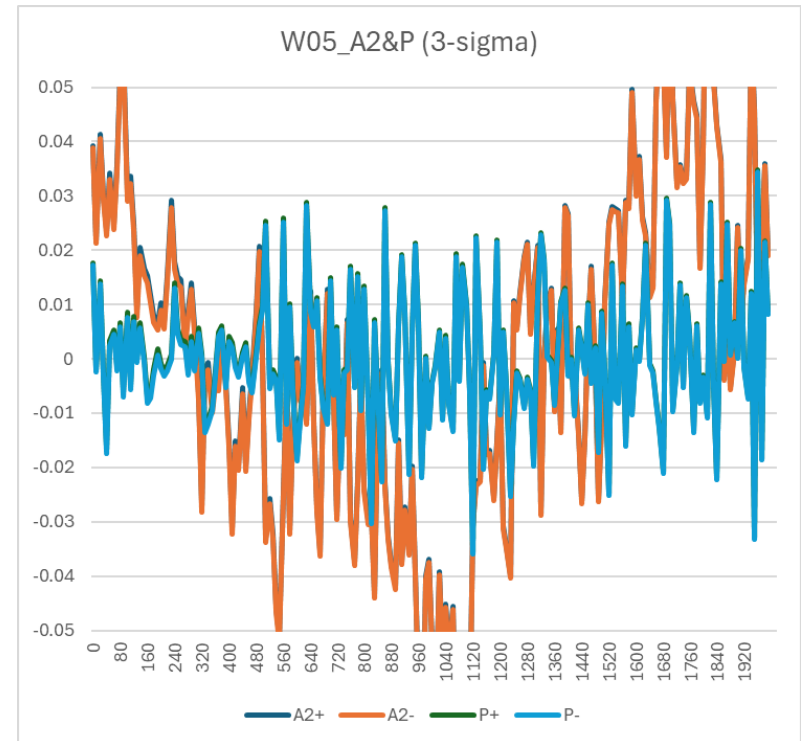
Pairs: SS=2432115、ZZ=2041210、GG=8931651、SZ=4458326

Distribution functions $0 < d < 2000\text{Mpc}$, 10Mpc pitch



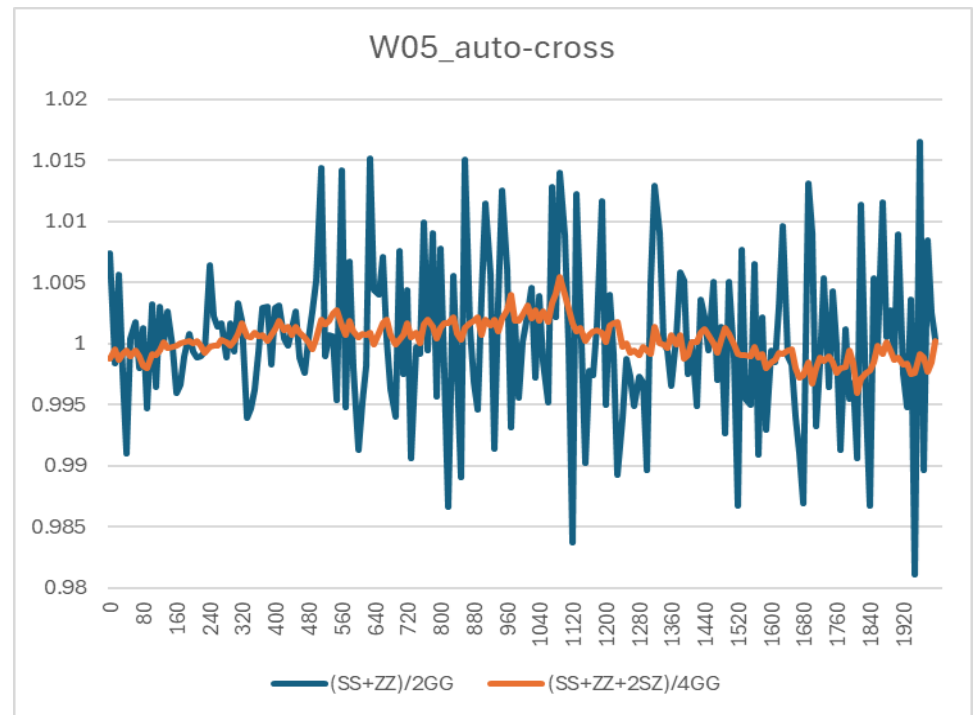
Asymmetry

- $A2(d) = (SS - ZZ) / (SS + ZZ)$
- $P(d) = (SS + ZZ - SZ) / GG$
- Analysis normalized by random data (TBD)



AutoCorr vs CrossCorr

- $(SS+ZZ)/2GG$
- $(SS+ZZ+2SZ)/4GG$



(1) Random Assignment Sample

- Observed: S/Z, randomly assigned: s/z for n sets
- Normalization all by GG, where $G=S+Z=s+z$

SS, Ss, ss, ZZ, Zz, zz, SZ, Sz, sZ, sz, GG

SG, sG, ZG, zG, expect $GG=ss=zz$, $sG=zG$

Underscore for n sets ensemble

$$\langle SS \rangle = (SS + \underline{GG} - 2\underline{SG}) / \underline{GG}, \quad \langle SZ \rangle = (SZ + \underline{GG} - \underline{SG} - \underline{ZG}) / \underline{GG}$$

$$\langle ZZ \rangle = (ZZ + \underline{GG} - 2\underline{ZG}) / \underline{GG}$$

$$A(d) = (\langle SS \rangle - \langle ZZ \rangle) / (\langle SS \rangle + \langle ZZ \rangle)$$

$$P(d) = (\langle SS \rangle + \langle ZZ \rangle - 2\langle SZ \rangle) / (\langle SS \rangle + \langle ZZ \rangle + 2\langle SZ \rangle)$$

(2) Randomly Generated Sample

- Regions : common to observed, sky mask, boundary?
- Distribution: random with common redshift distrib'n
- Depth, Halo Occupation Distribution?, no photo-z
- Normalization:

$$SS=SS/RR, ZZ=ZZ/RR, SG=SG/RR$$

$$SR=SR/RR, ZR=ZR/RR,$$

$$\langle SS \rangle = (SS + RR - 2SR) / RR, \quad \langle SZ \rangle = (SZ + RR - SR - ZR) / RR$$

$$\langle ZZ \rangle = (ZZ + RR - 2ZR) / RR$$

$$A(d) = (\langle SS \rangle - \langle ZZ \rangle) / (\langle SS \rangle + \langle ZZ \rangle)$$

$$P(d) = (\langle SS \rangle + \langle ZZ \rangle - 2\langle SZ \rangle) / (\langle SS \rangle + \langle ZZ \rangle + 2\langle SZ \rangle)$$